

# Current Dark Matter Searches and the Neutrino Bound

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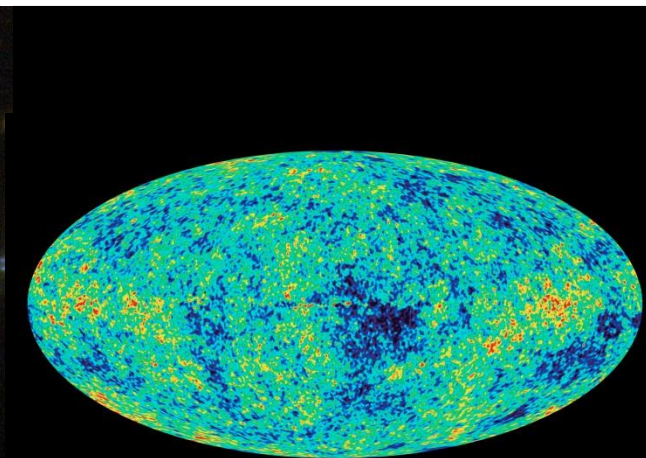
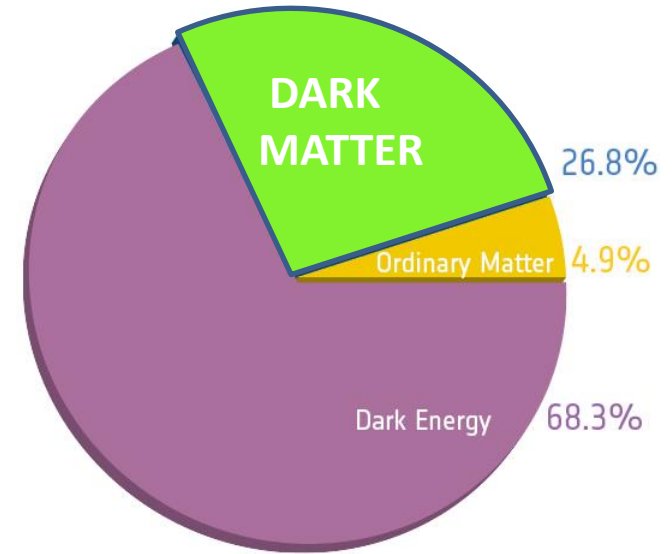
# Dark Matter: One of the Biggest Problems in the Universe

Huge amount of Evidence for Dark Matter

Galaxies, Clusters of Galaxies, Expansion of Universe, fluctuations in the CMB, etc

Thought to be an elusive particle not yet detected

New physics at the LHC energy scale can explain the dark matter in the Universe if it is a Weakly Interacting Massive Particle (WIMP) or similar



# Thermal Relics Work !

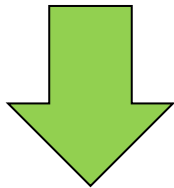
(at least for the dark matter bit)

$$\sigma_{\text{weak}} \simeq \frac{\alpha^2}{m_{\text{weak}}^2}$$

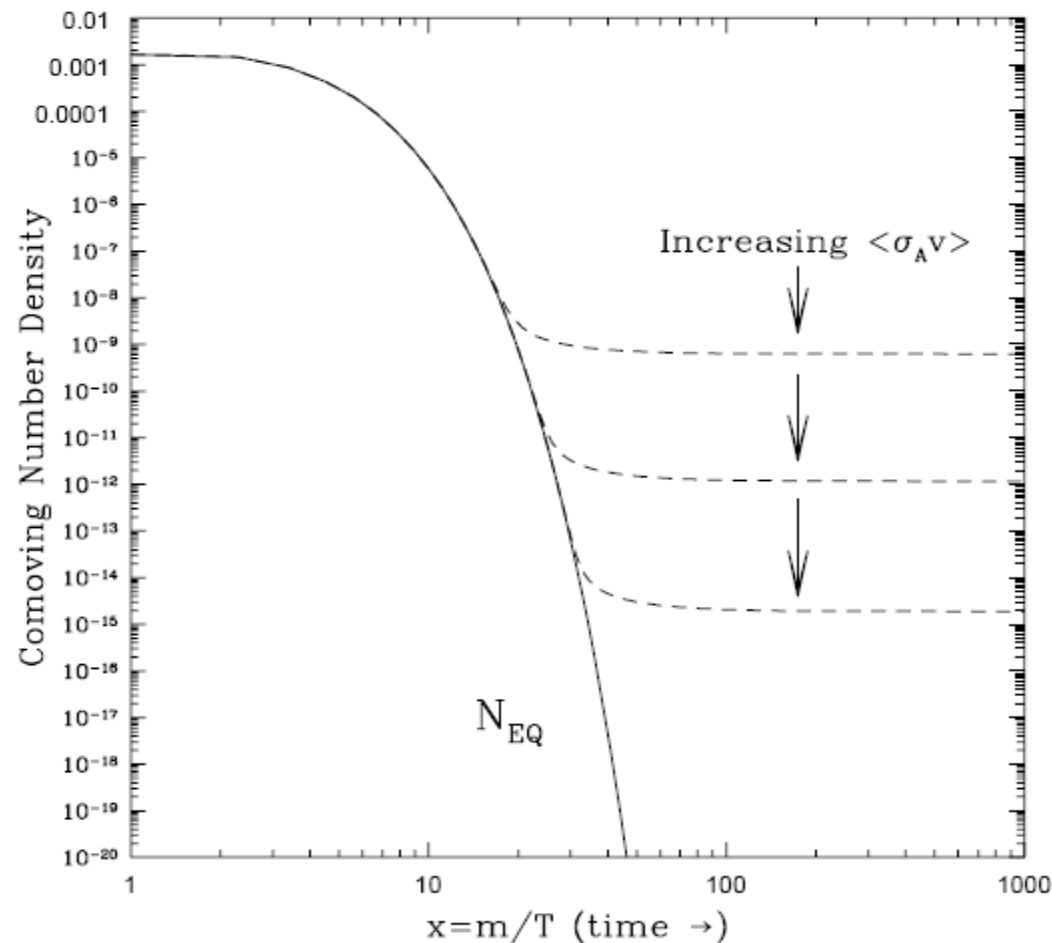
$$\alpha \simeq \mathcal{O}(0.01)$$

+

$$m_{\text{weak}} \simeq \mathcal{O}(100 \text{ GeV})$$



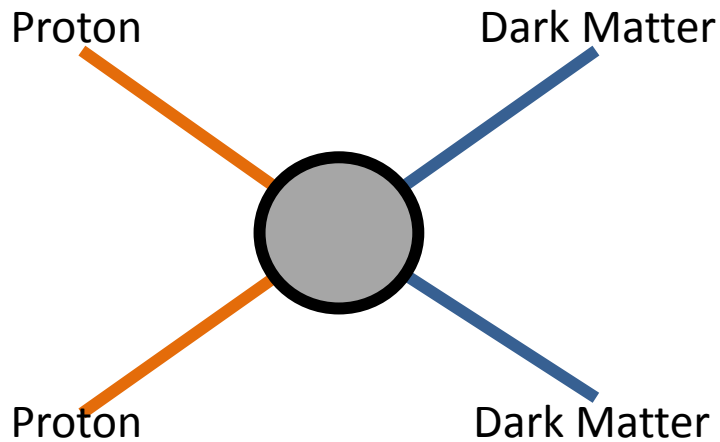
$$\Omega_{\chi} \sim 1$$



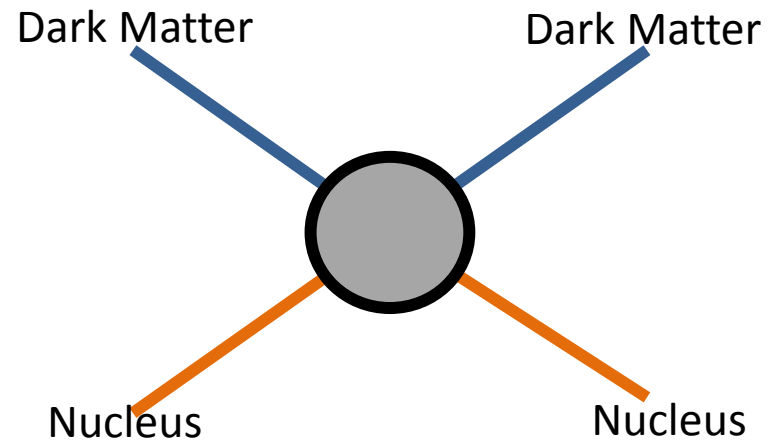
$$\frac{dn}{dt} = \langle \sigma v \rangle \left( \frac{\rho}{m_{\chi}} \right)^2$$

Right amount of dark matter if dark matter mass  $100 \text{ MeV} < M < 100 \text{ TeV}$

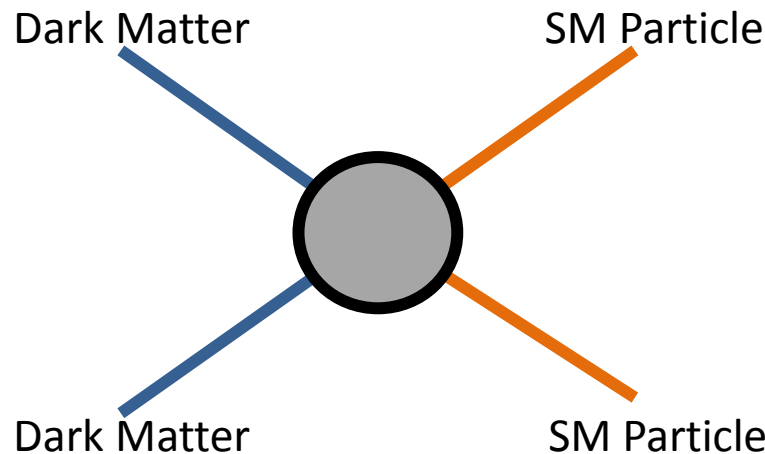
# Ways to Detect Dark Matter – *Make, Shake and Break*



***Make*** – collider production



***Shake*** – direct detection scattering



***Break*** – indirect detection of annihilation

# Outline

- A word about SUSY
- Effective Lagrangians and Simplified Models of Dark Matter
- Problems with resonances in simplified models
- Using complementarity to probe these regions
- Future methods to cope with the neutrino bound

Based on:-

1305.3452 with Robert Hogan

1406.3288 with John Heal

1406.5047 with Philipp Grothaus and Jocelyn Monroe

1409.4075 with various

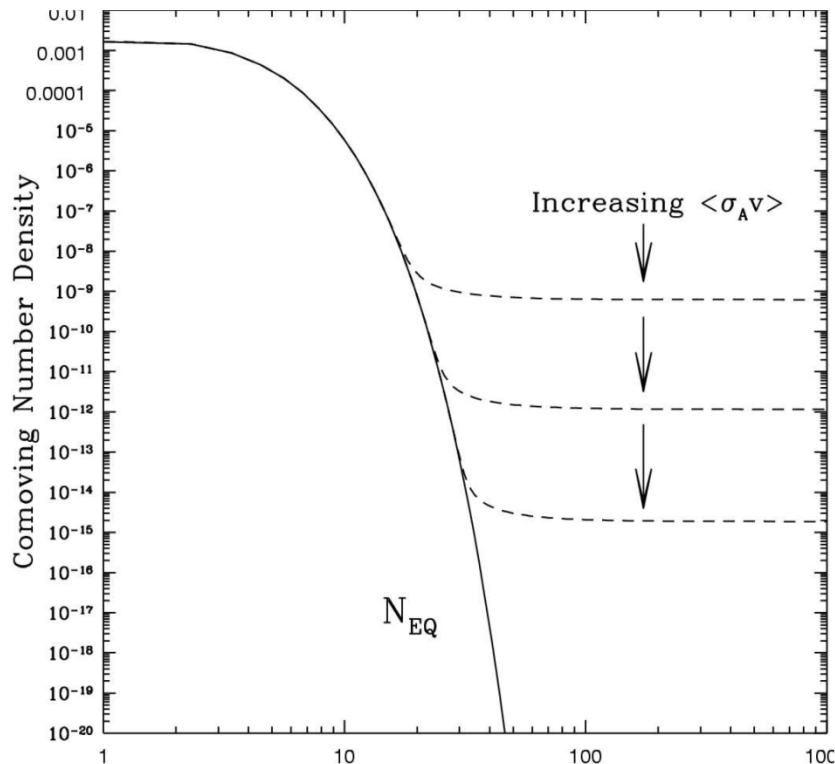
# Constrained Minimal Supersymmetric Standard Model

Superfield	Bosons	Fermions	
<u>Gauge</u>			All sfermion masses equal at GUT scale
$\widehat{G}$	$g$	$\widetilde{g}$	All gaugino masses equal at GUT scale
$\widehat{V}^a$	$W^a$	$\widetilde{W}^a$	
$\widehat{V}'$	$B$	$\widetilde{B}$	
<u>Matter</u>			Reduced to 5 free parameters
$\widehat{L}$ $\widehat{E}^c$	leptons $\left\{ \begin{array}{l} \widetilde{L} = (\widetilde{\nu}, \widetilde{e}^-)_L \\ \widetilde{E} = \widetilde{e}_R^+ \end{array} \right.$	$(\nu, e^-)_L$ $e_L^c$	$\mu, \ m_0, \ m_{1/2}, \ A \text{ and } B \leftrightarrow \tan \beta = \frac{v_2}{v_1}$
$\widehat{Q}$ $\widehat{U}^c$ $\widehat{D}^c$	quarks $\left\{ \begin{array}{l} \widetilde{Q} = (\widetilde{u}_L, \widetilde{d}_L) \\ \widetilde{U}^c = \widetilde{u}_R^* \\ \widetilde{D}^c = \widetilde{d}_R^* \end{array} \right.$	$(u, d)_L$ $u_L^c$ $d_L^c$	
$\widehat{H}_d$ $\widehat{H}_u$	Higgs $\left\{ \begin{array}{l} H_d^i \\ H_u^i \end{array} \right.$	$(\widetilde{H}_d^0, \widetilde{H}_d^-)_L$ $(\widetilde{H}_u^+, \widetilde{H}_u^0)_L$	

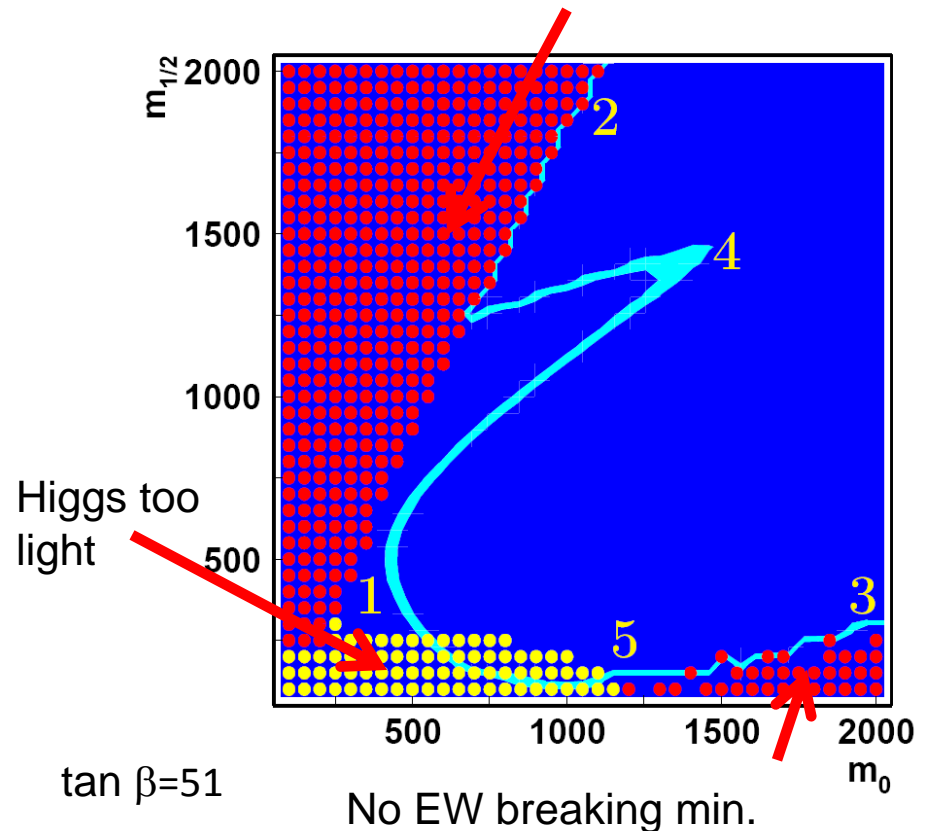
# Is Neutralino Dark Matter Still OK?

Superpartners of neutral gauge and higgs bosons mix into four majorana *neutralinos* which make good WIMP candidate

$$\chi = N_{11}\tilde{B} + N_{12}\tilde{W}_3 + N_{13}\tilde{H}_1^0 + N_{14}\tilde{H}_2^0$$



Stau lighter than neutralino

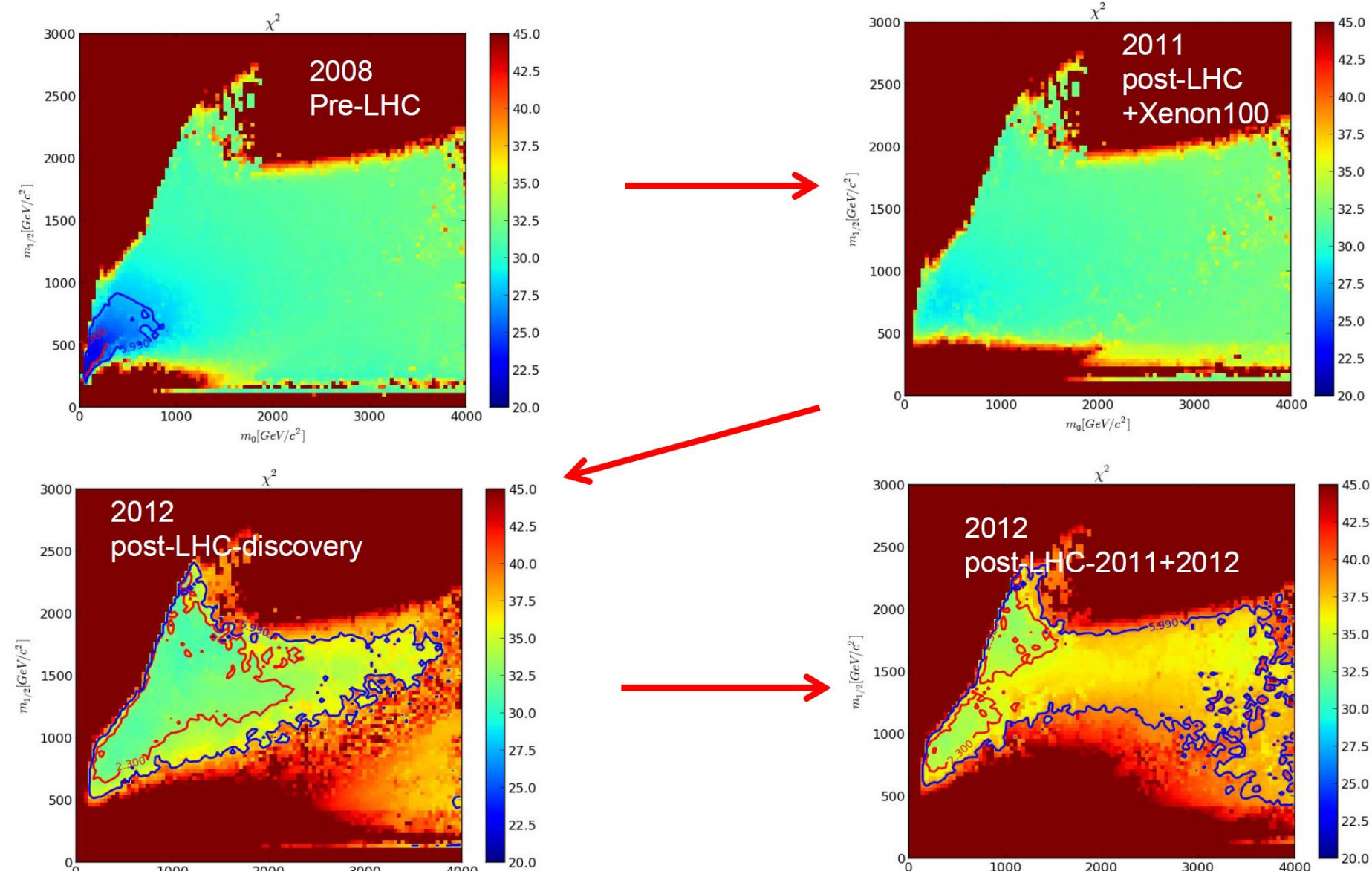






# CMSSM: Evolution with time

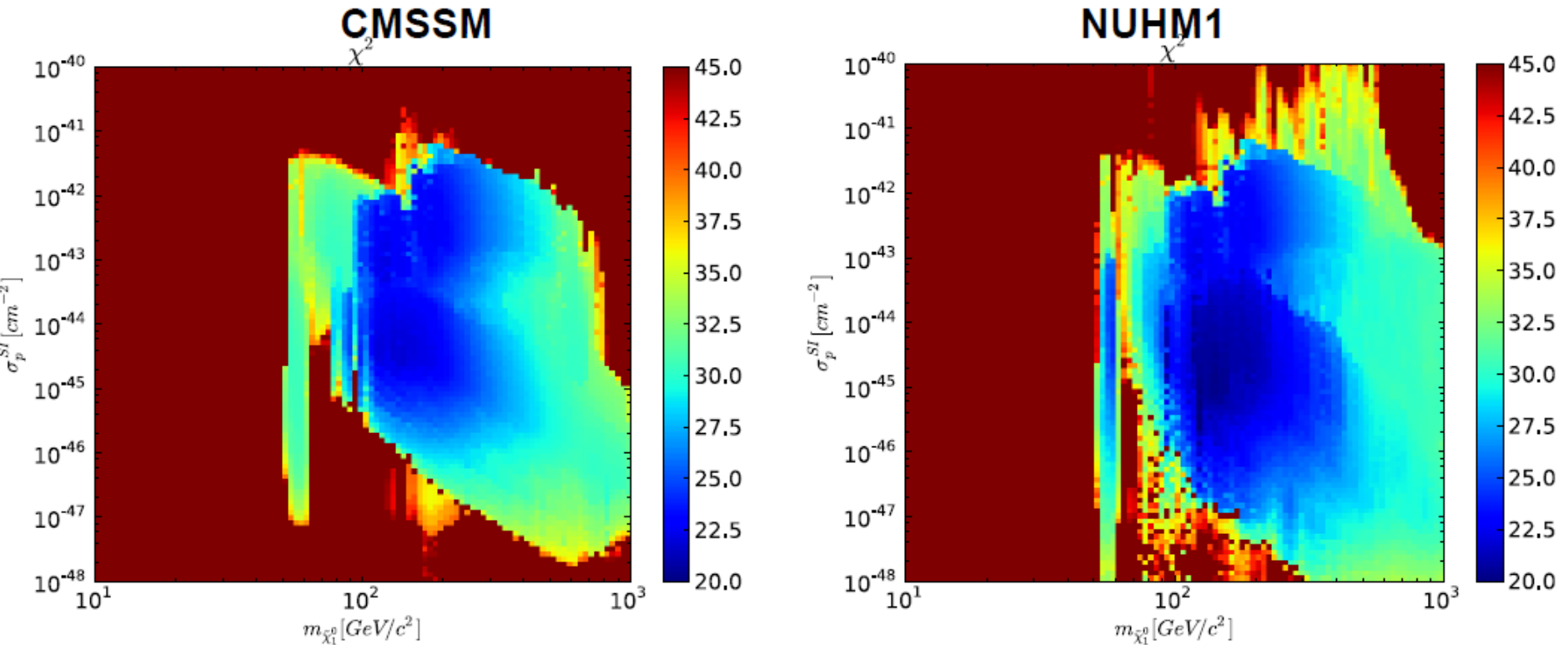
Stolen from Oliver Buchmüller  
talk at Dark Attack





# Changing Direct Detection Predictions

Pre-LHC 2008



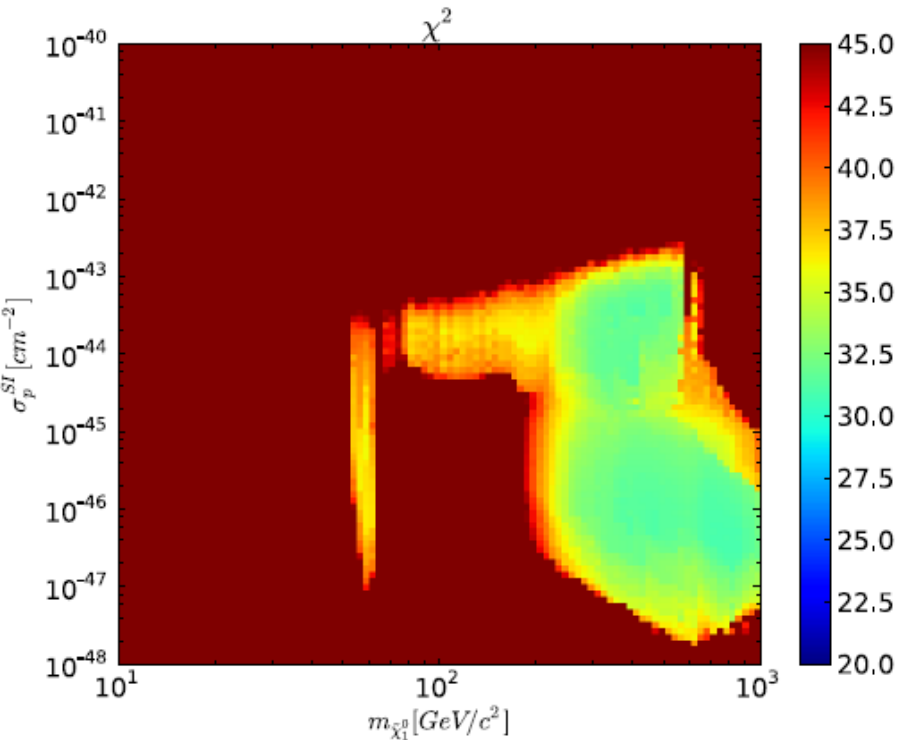
**Stolen from Oliver Buchmuller talk at Dark Attack**

# Changing Direct Detection Predictions

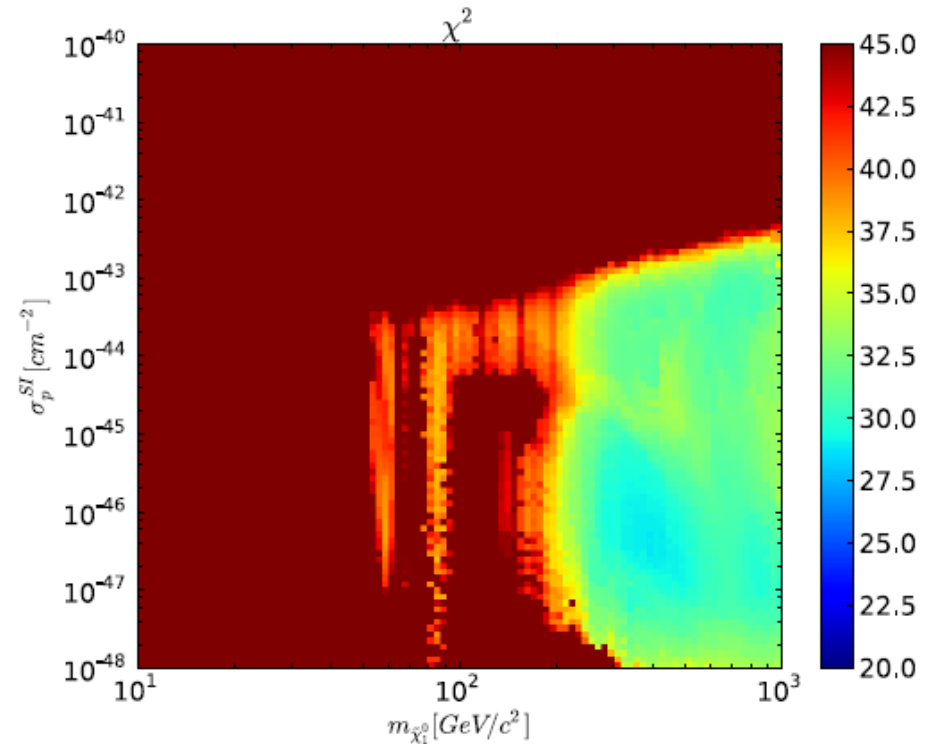
(SUSY no-show, 125/6 GeV

Post Discovery! Higgs & XENON100)

assume  $m_H = 125 \pm 1.5(\text{theo}) \pm 1.0 \text{ GeV}$



CMSSM



NUHM1

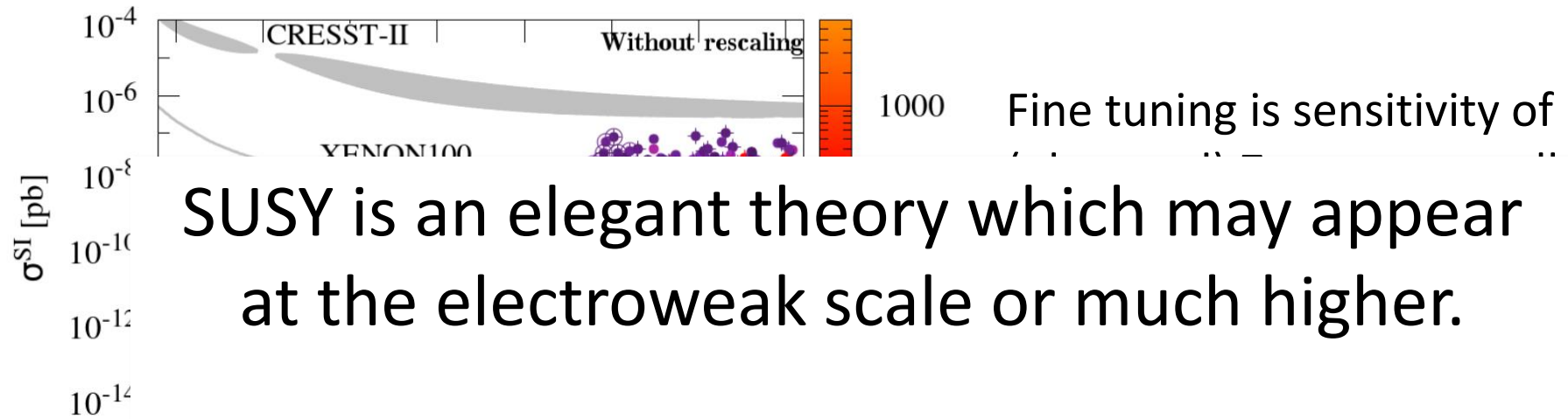
**Stolen from Oliver Buchmuller talk at Dark Attack**

# Phenomenological Minimal Supersymmetric Standard Model PMSSM

Parameter	Description	Prior Range
$\tan \beta$	Ratio of the scalar doublet vevs	[1, 60]
$\mu$	Higgs-Higgsino mass parameter	[−3, 3] TeV
$M_A$	Pseudo-scalar Higgs mass	[0.3, 3] TeV
$M_1$	Bino mass	[−0.5, 0.5] TeV
$M_2$	Wino mass	[−1, 1] TeV
$M_3$	Gluino mass	[0.8, 3] TeV
$m_{\tilde{q}_L}$	First/second generation $Q_L$ squark	[0, 3] TeV
$m_{\tilde{u}_R}$	First/second generation $U_R$ squark	[0, 3] TeV
$m_{\tilde{d}_R}$	First/second generation $D_R$ squark	[0, 3] TeV
$m_{\tilde{\ell}_L}$	First/second generation $L_L$ slepton	[0, 3] TeV
$m_{\tilde{e}_R}$	First/second generation $E_R$ slepton	[0, 3] TeV
$m_{\tilde{Q}_{3L}}$	Third generation $Q_L$ squark	[0, 3] TeV
$m_{\tilde{t}_R}$	Third generation $U_R$ squark	[0, 3] TeV
$m_{\tilde{b}_R}$	Third generation $D_R$ squark	[0, 3] TeV
$m_{\tilde{L}_{3L}}$	Third generation $L_L$ slepton	[0, 3] TeV
$m_{\tilde{\tau}_R}$	Third generation $E_R$ slepton	[0, 3] TeV
$A_t$	Trilinear coupling for top quark	[−10, 10] TeV
$A_b$	Trilinear coupling for bottom quark	[−10, 10] TeV
$A_\tau$	Trilinear coupling for $\tau$ -lepton	[−10, 10] TeV

See e.g.  
Boehm, Dev,  
Mazumdar &  
Pukartas 2013

# Fits in PMSSM

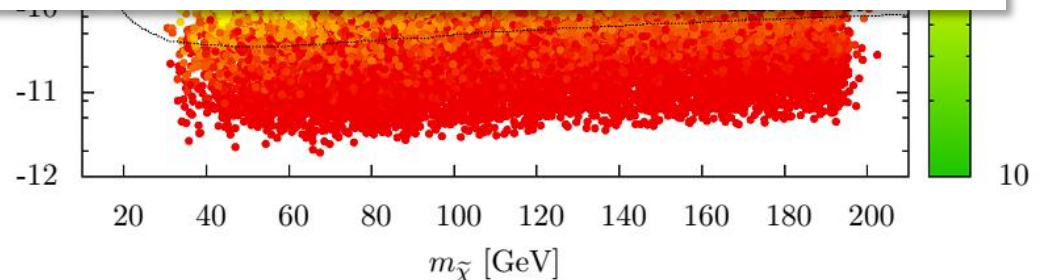


SUSY is an elegant theory which may appear at the electroweak scale or much higher.

Many searches are taking place at the LHC.

Simpler, more phenomenological models are also being looked at (which include many SUSY models).

Higher mass DM  
Grothaus, Lindner and  
Yakanishi 2012



# Effective Lagrangians for Dark Matter

Imagine some purely phenomenological contact interactions for coupling between dark matter and standard model particles

$$\mathcal{O}_1 = \frac{i g_\chi g_q}{q^2 - M^2} (\bar{q} q) (\bar{\chi} \chi) ,$$

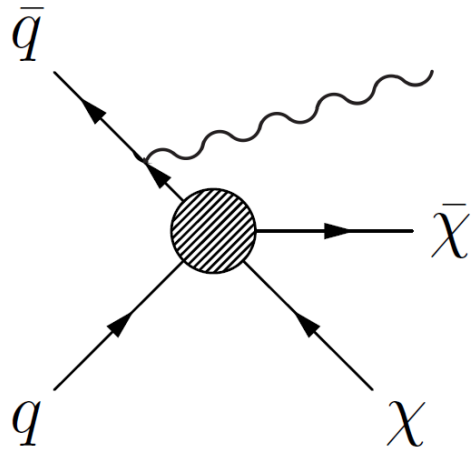
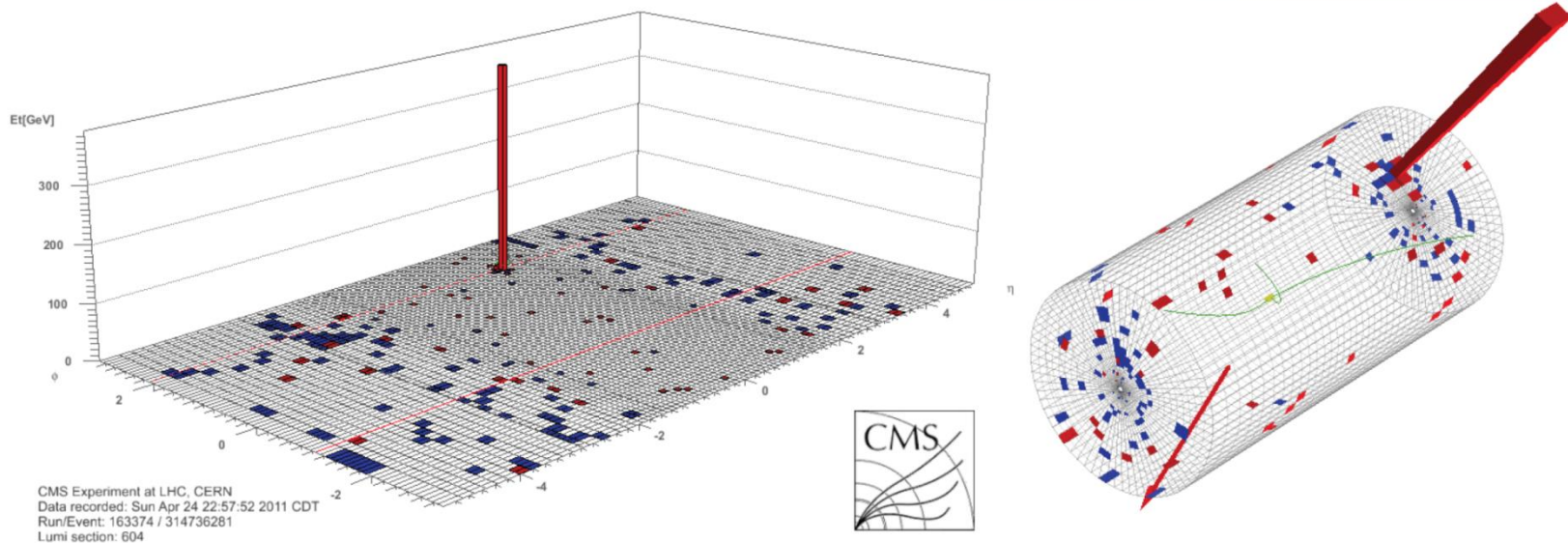
$$\mathcal{O}_2 = \frac{i g_\chi g_q}{q^2 - M^2} (\bar{q} \gamma_\mu q) (\bar{\chi} \gamma^\mu \chi) ,$$

$$\mathcal{O}_3 = \frac{i g_\chi g_q}{q^2 - M^2} (\bar{q} \gamma_\mu \gamma_5 q) (\bar{\chi} \gamma^\mu \gamma_5 \chi) ,$$

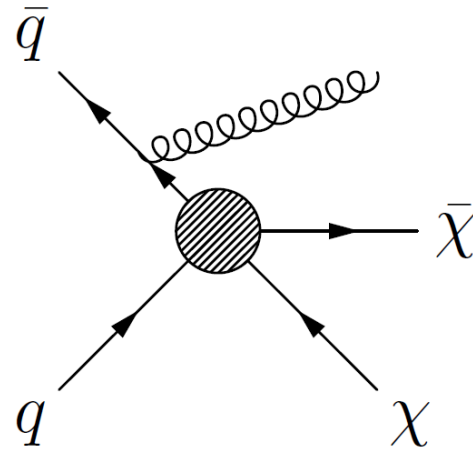
$$\mathcal{O}_4 = \frac{i g_\chi g_q}{q^2 - M^2} (\bar{q} \gamma_5 q) (\bar{\chi} \gamma_5 \chi) ,$$

Bai, Fox and Harnik arXiv:10053797

# MONOPHOTON – EVENT DISPLAY



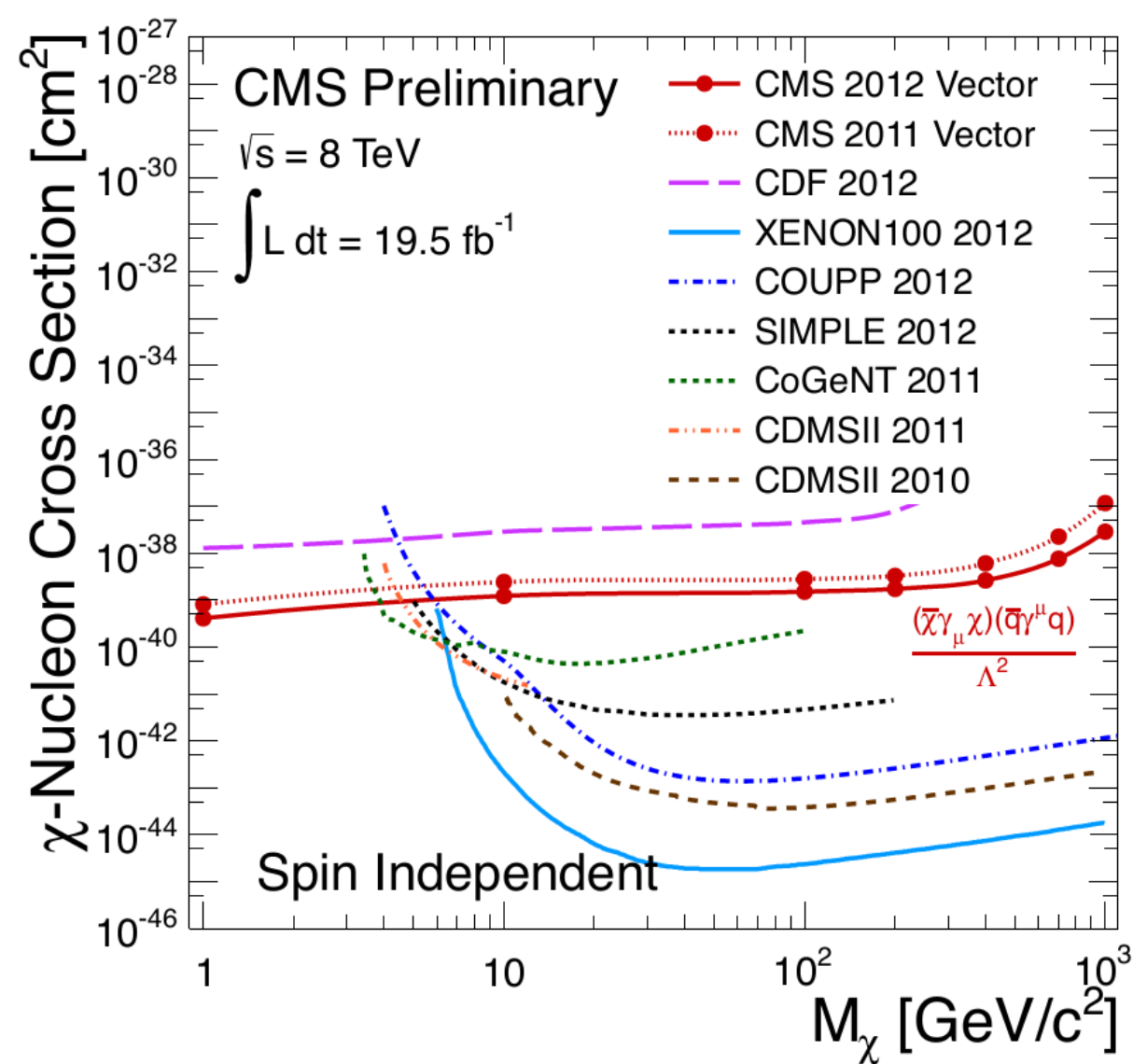
*Monophoton + MET*



*Monojet + MET*

**Slide stolen from Steve Worm Oxford Presentation**



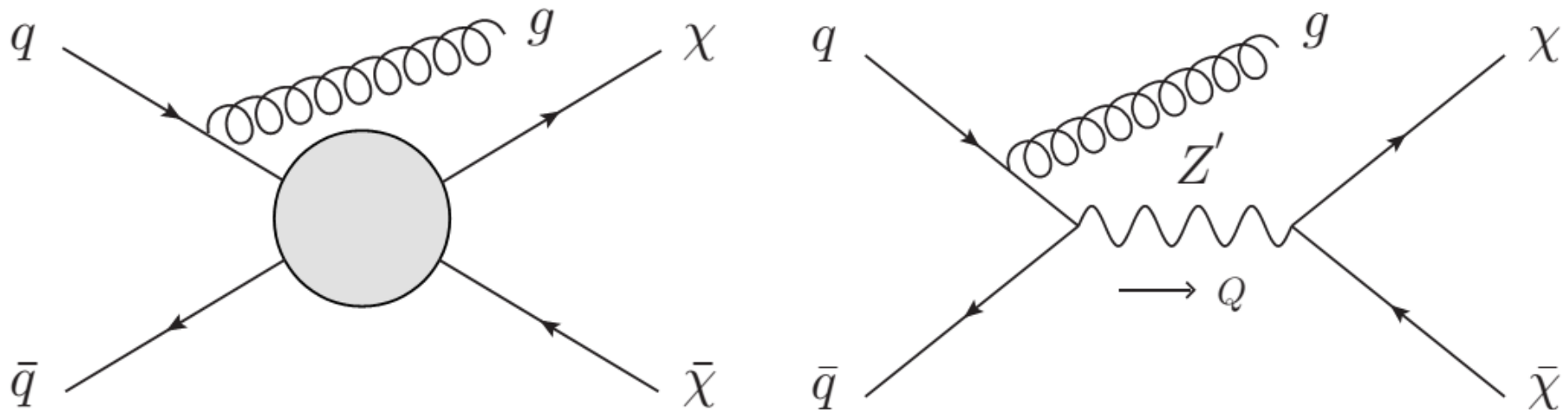


## Monojet/Monophoton Constraints from colliders

CMS collaboration CMS-PAS-EXO-12-048

Precise constraints vary hugely depend upon assumed nature of interaction, Majorana vs Dirac etc...

# How well can you trust this approach?



Compare Axial-Vector Effective contact theory with actual exchange of Vector

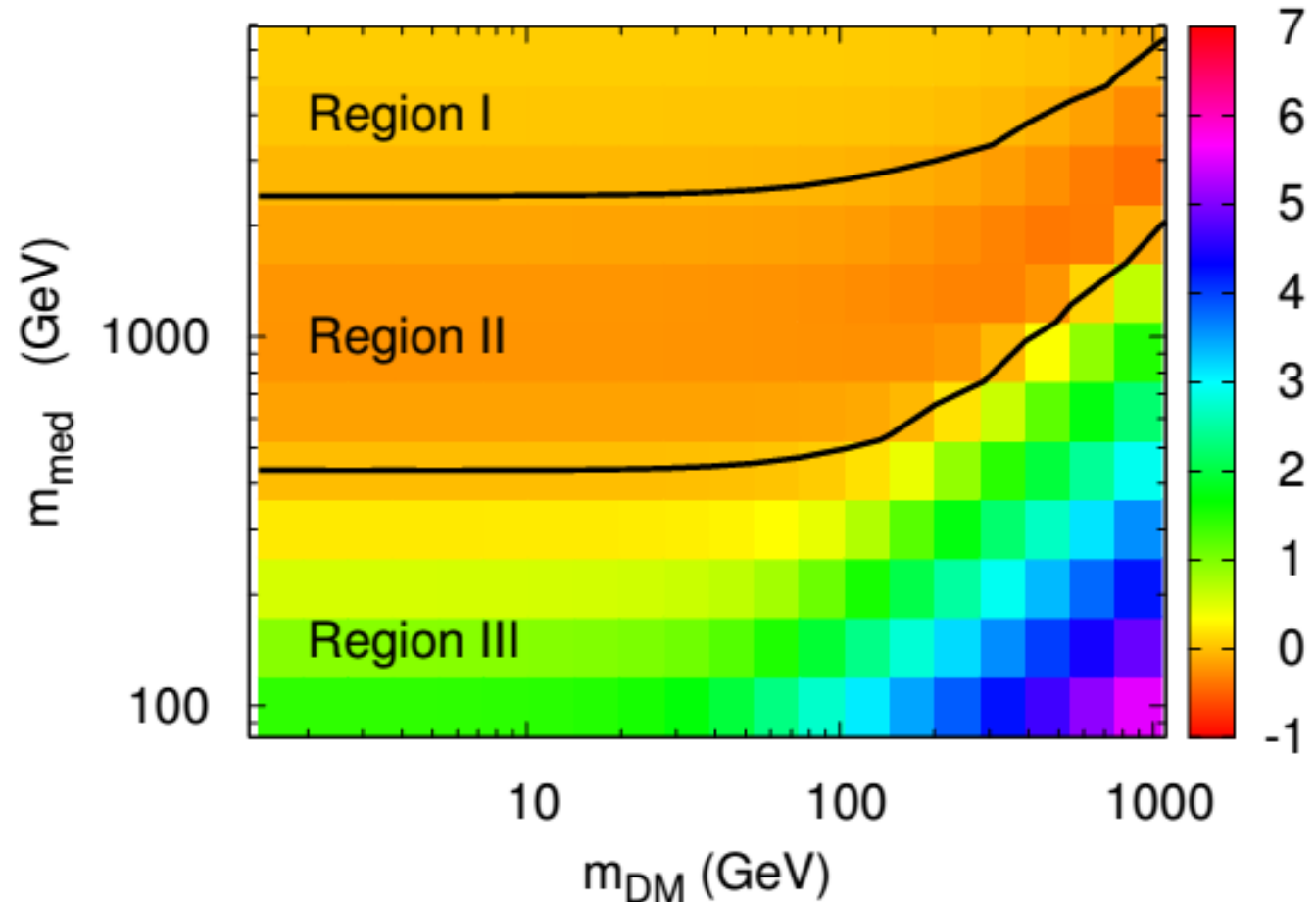
$$\Lambda \equiv \frac{m_{\text{med}}}{\sqrt{g_q g_\chi}}$$

Buchmuller, Dolan and McCabe, 2013

# How well can you trust this approach?

$$\log_{10}(\sigma_{\text{EFT}} / \sigma_{\text{FT}})$$

- Region 1, both approaches in reasonable (20% agreement)
- Region 2, field theory cross section larger due to resonance in propagator
- Region 3, effective field theory overestimates the cross section relative to actual field theory



On the right, the high mass of DM means that  $Q^2$  has to be large and the dynamics are set by the final state.

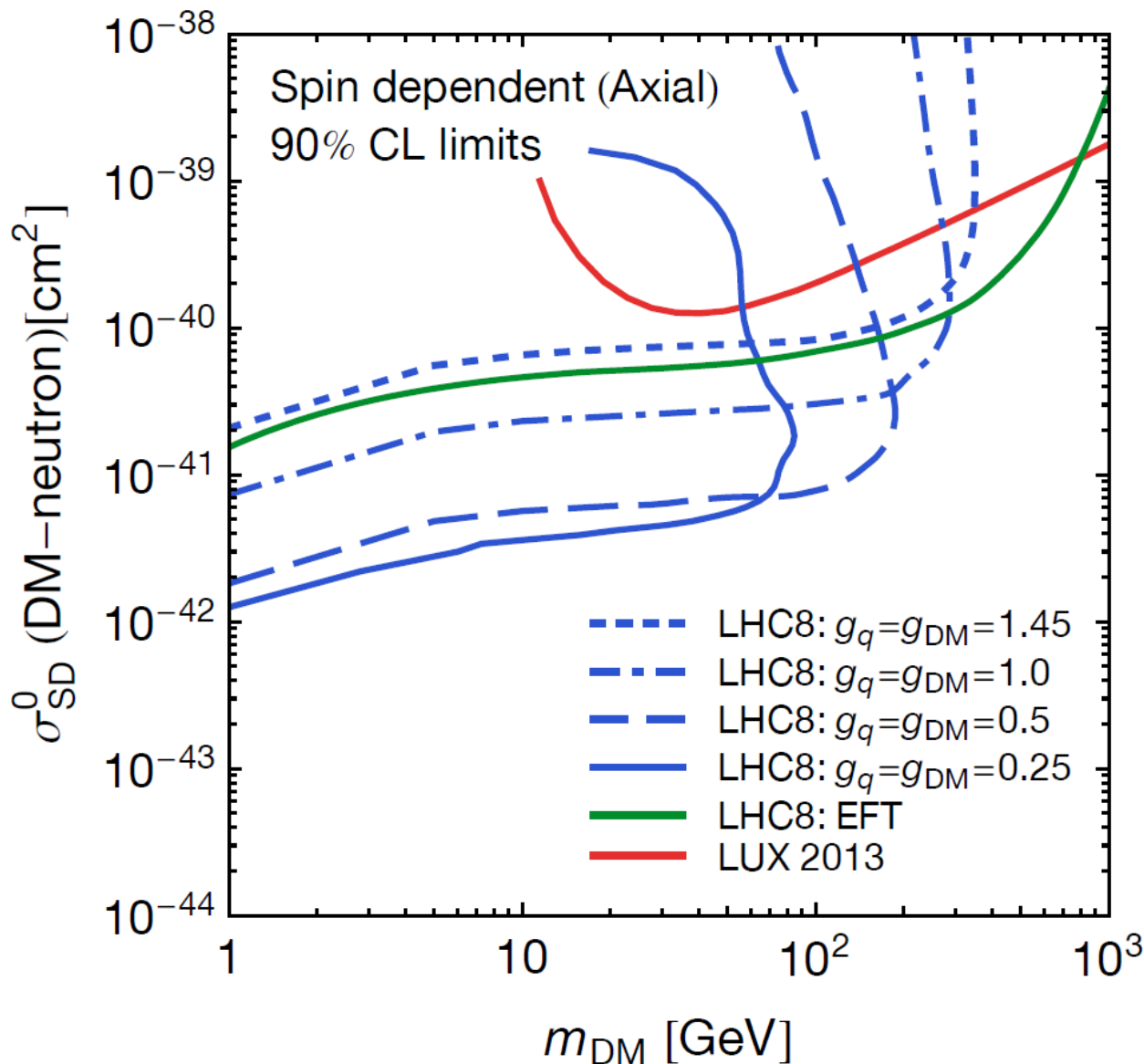
# MSDM Minimal Simplified Model of Dark Matter

## Simplified Model Lagrangian – Vector coupling to DM and Quark sector

$$\begin{aligned}\Delta\mathcal{L} = & -\frac{1}{4}F'_{\mu\nu}F'^{\mu\nu} + \frac{1}{2}m_{A'}^2 A'_\mu A'^\mu \\ & + \bar{\chi}(i\gamma^\mu\partial_\mu - m_\chi)\chi + A'_\mu\bar{\chi}\gamma^\mu(g_{\chi V} - g_{\chi A}\gamma^5)\chi \\ & + A'_\mu\bar{q}\gamma^\mu(g_{qV} - g_{qA}\gamma^5)q\end{aligned}$$

arXiv:1409.4075

# Simplified Model of Dark Matter – monojet constraints

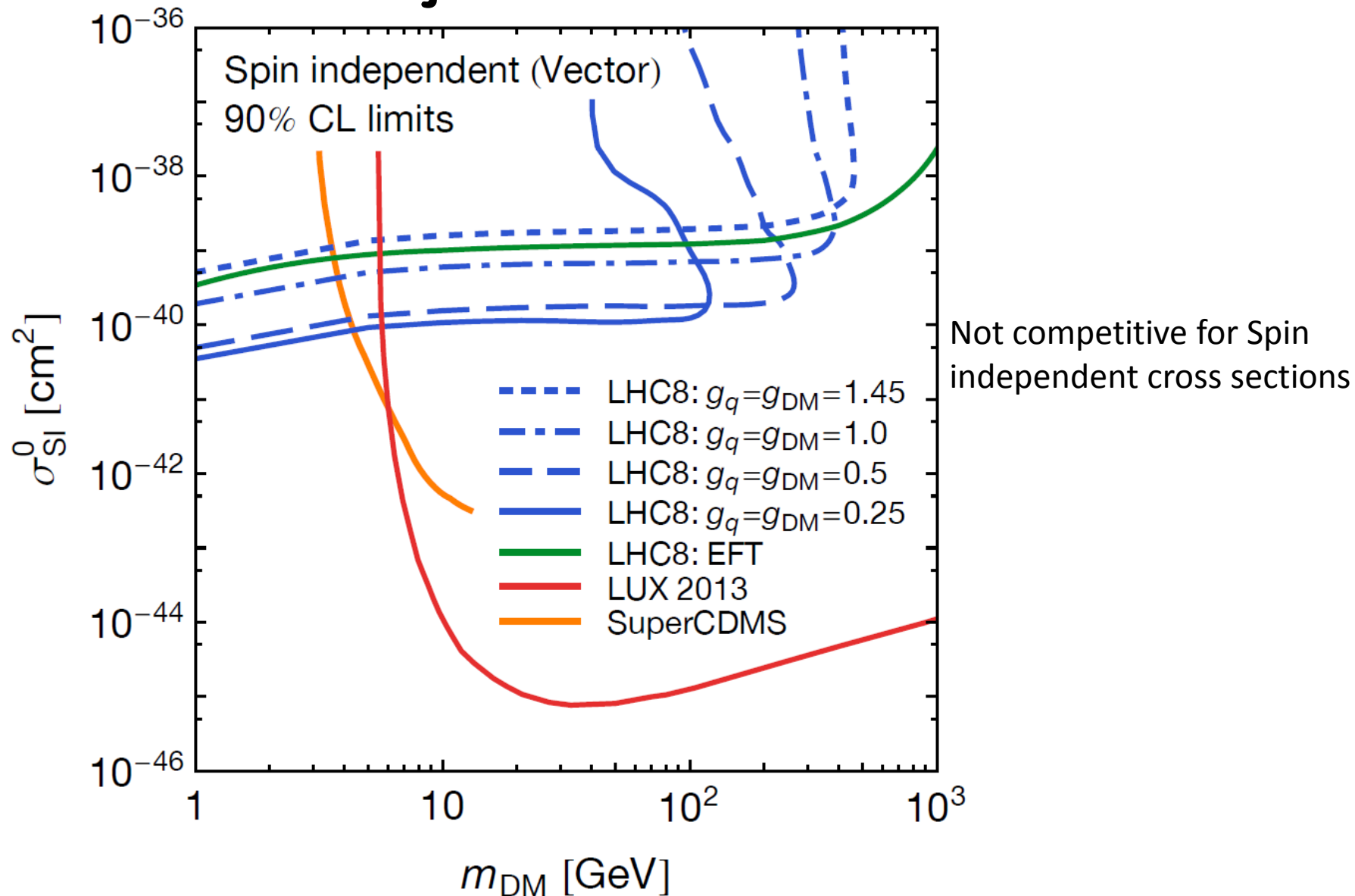


Test cases are for fixed  
arbitrary couplings.

Mediator mass varied  
until collider limit violated

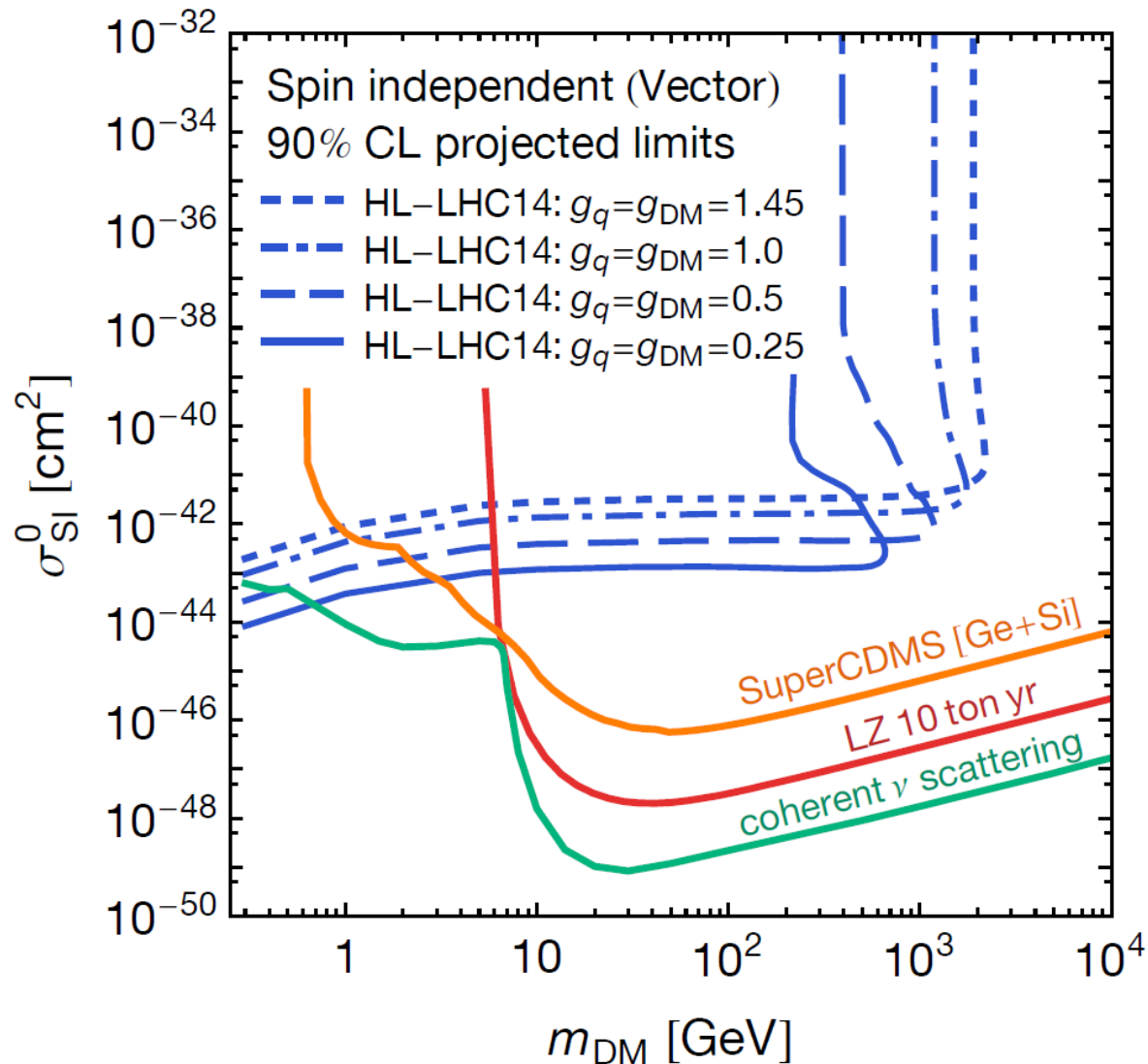
Corresponding direct  
detection cross section  
then calculated.

# Simplified Model of Dark Matter – monojet constraints



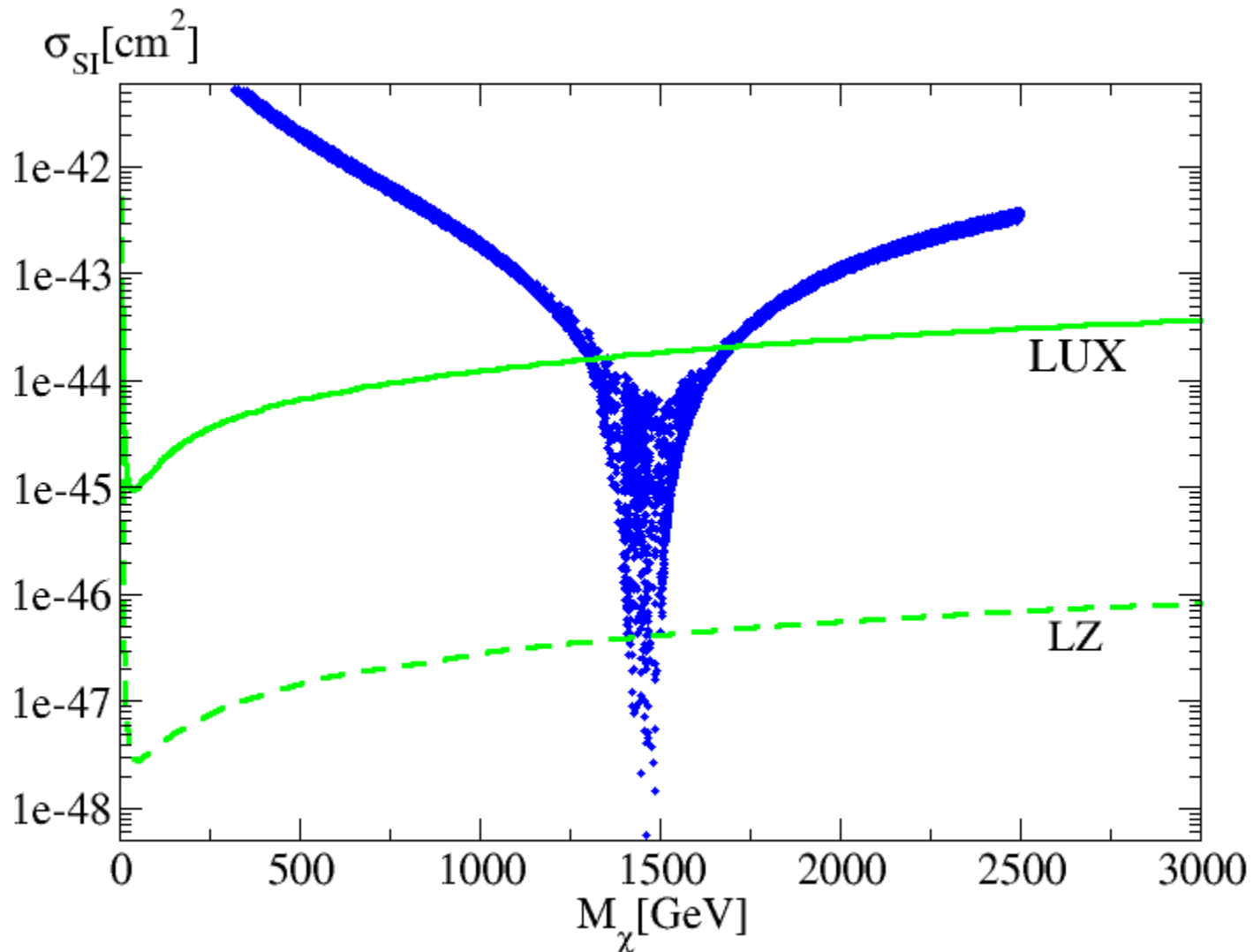


# Simplified Model of Dark Matter – monojet constraints



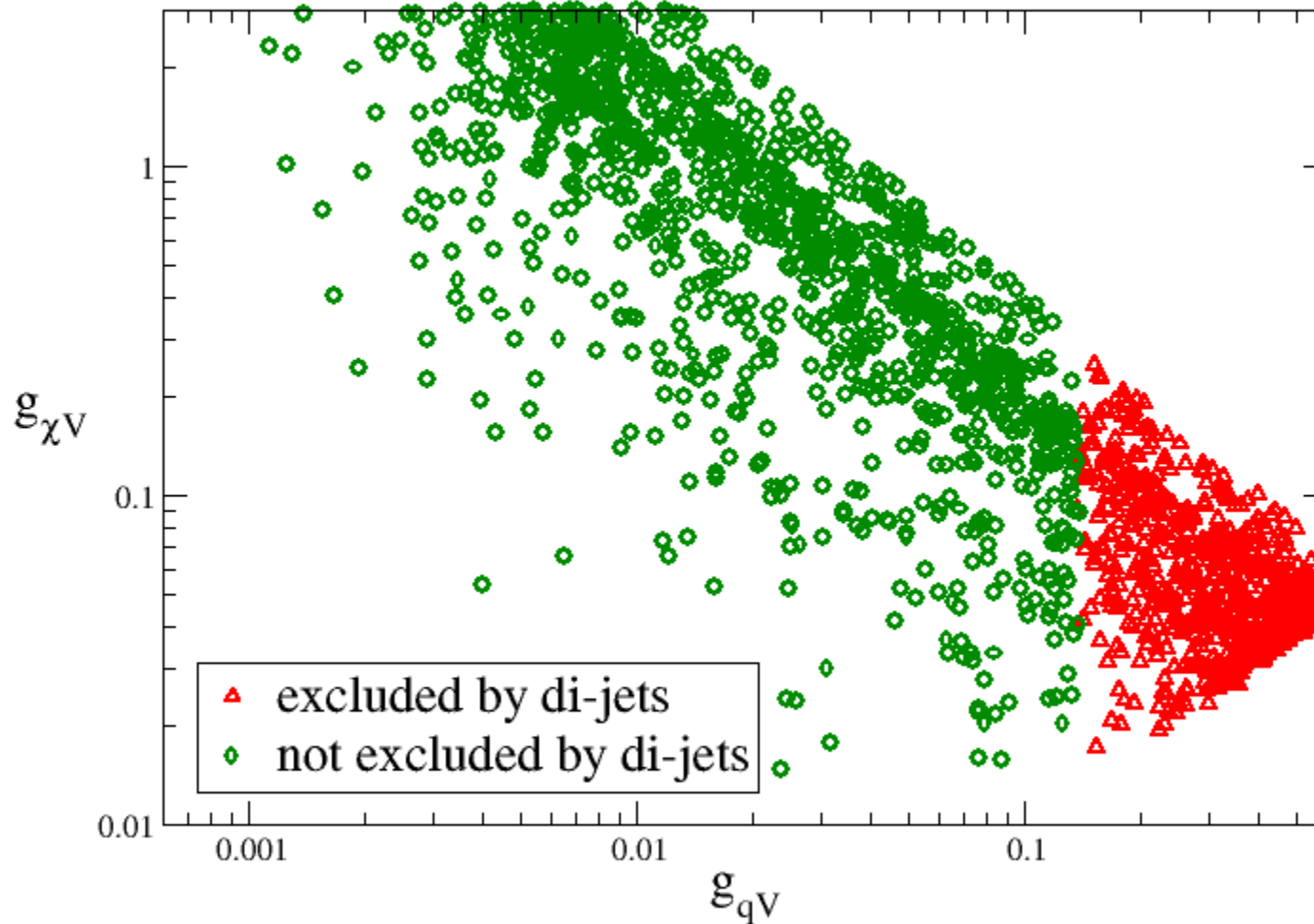
Projected limits with High  
Luminosity LHC at 14 TeV  
c.o.m.

# Simplified Model of Dark Matter – dijet constraints



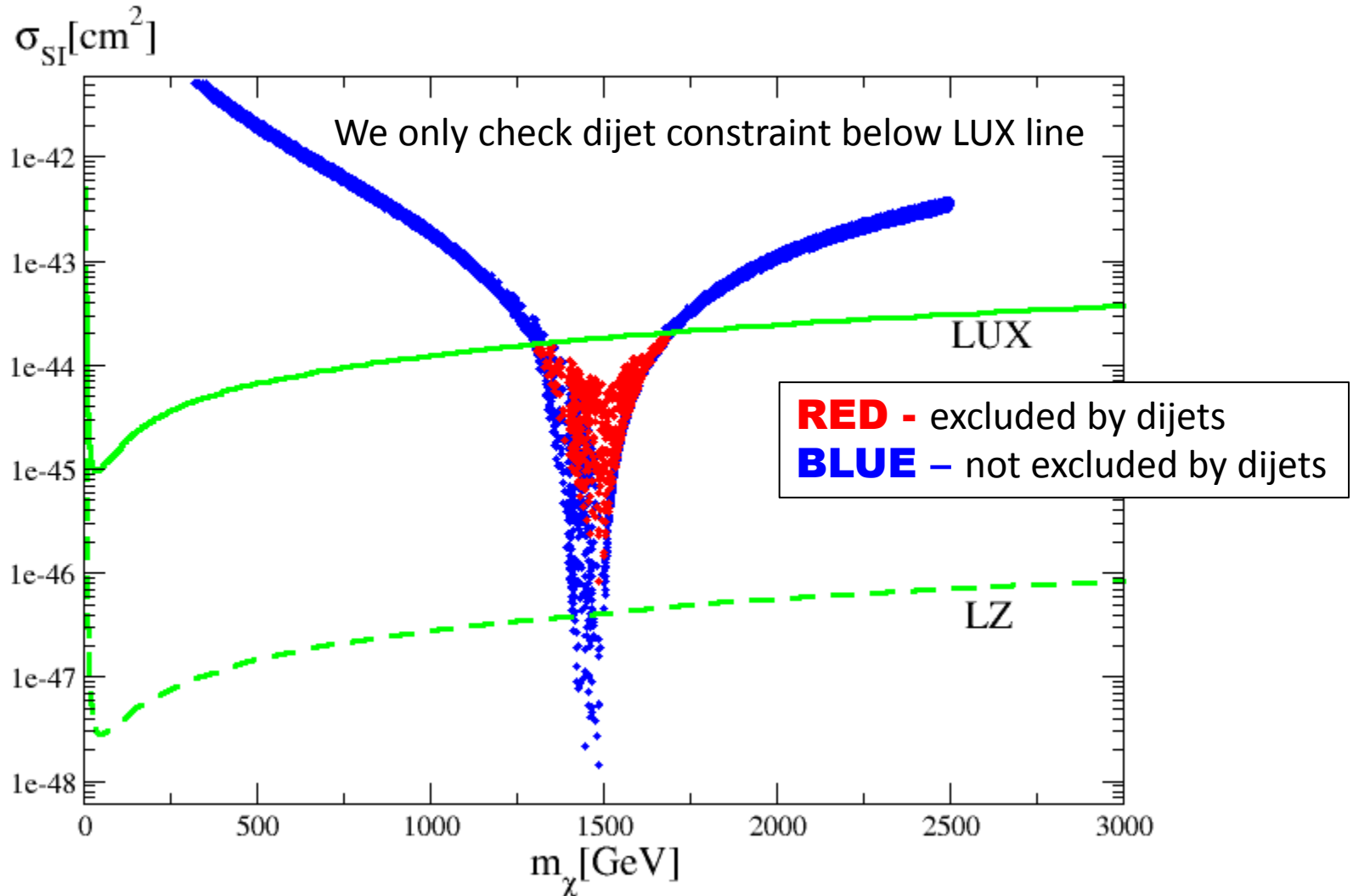
## Which Points Are Excluded by Dijets?

$$M_{\text{mediator}} = 3 \text{ TeV}$$



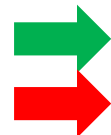
All points here give same (naive) relic abundance – fairly simple pattern!

# How well can dijets solve our resonance problem?



Large  $g_{\chi V}$  small  $g_{qV}$  + resonance

Large  $g_{\chi V}$  small  $g_{qV}$

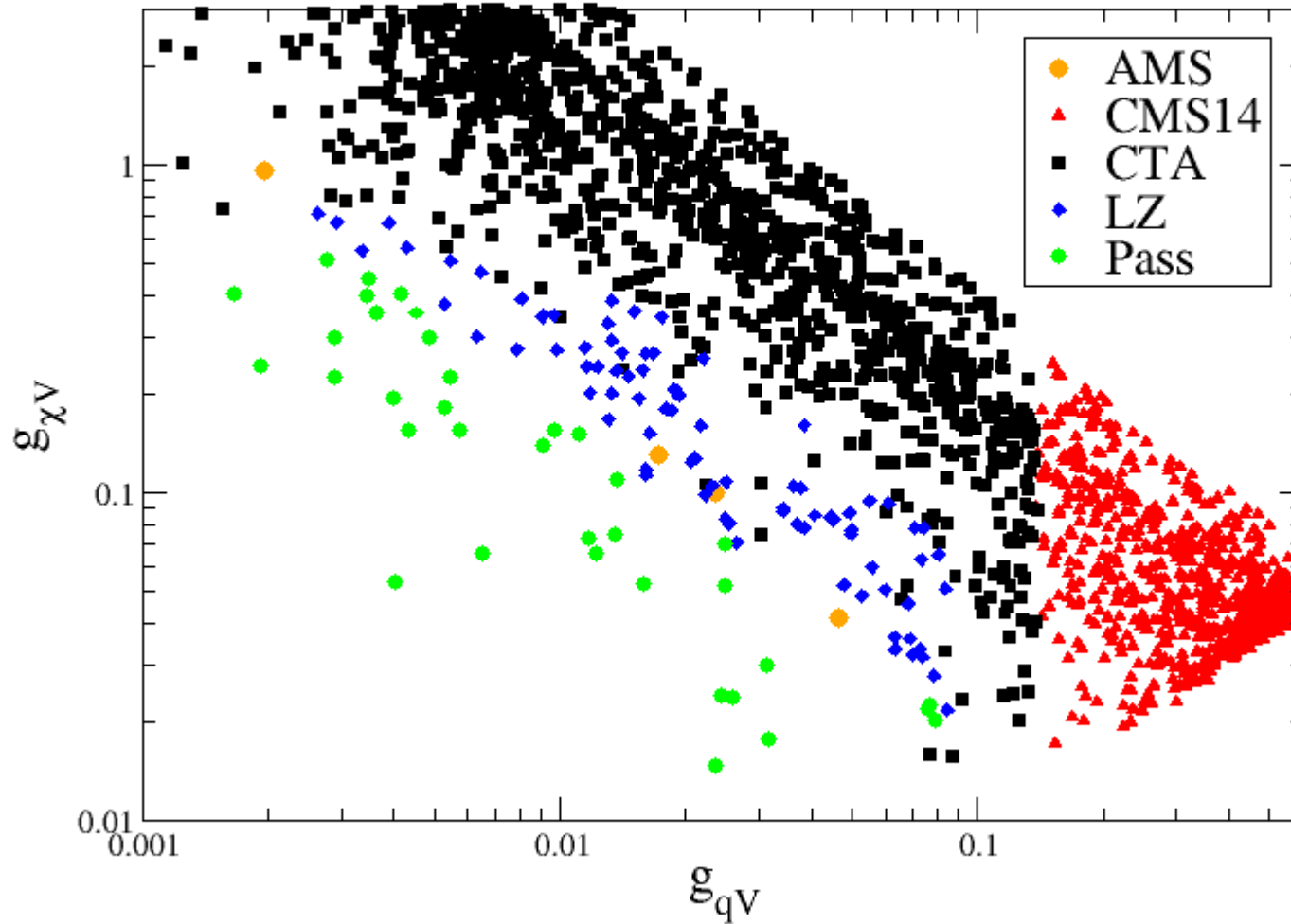


abundance GOOD

direct detection BAD

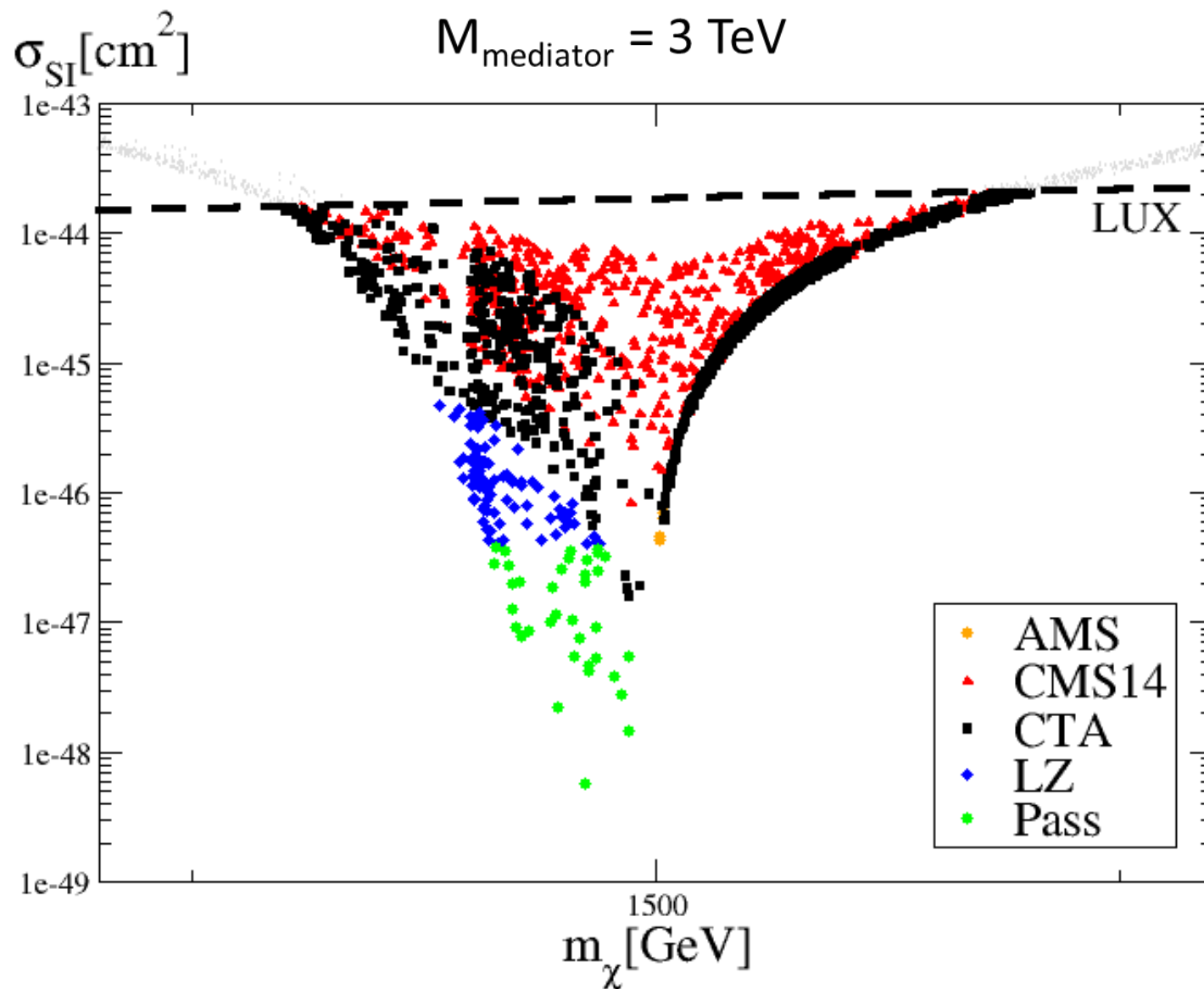
What if we add other constraints?

$$M_{\text{mediator}} = 3 \text{ TeV}$$



Cuts are performed in the order that they appear in the key

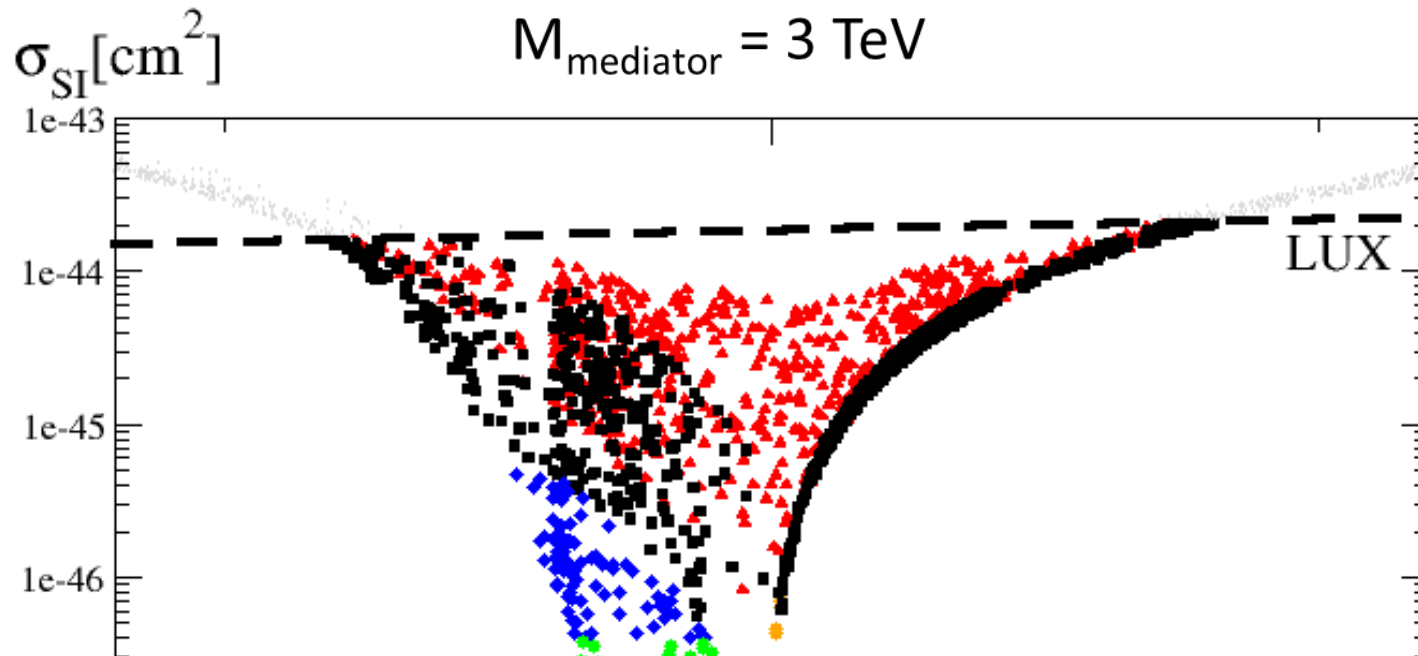
## What if we add other constraints?



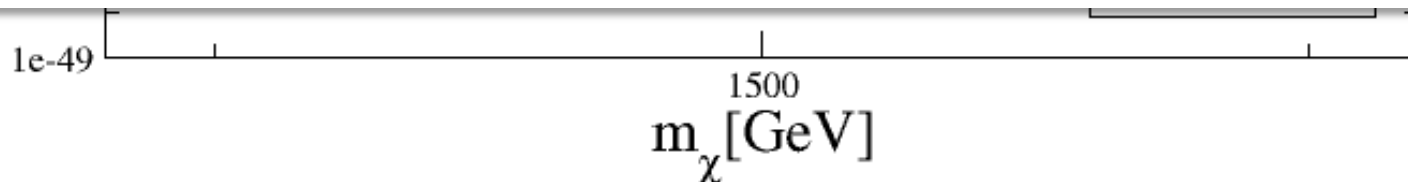
Cuts are performed in the order that they appear in the key



What if we add other constraints?



There are different constraints if the new vector particle also couples to leptons, see Arcadi at al 1401.0221



Cuts are performed in the order that they appear in the key

# Higgs Portal Dark Matter

Simply another particle which couples to the Standard model through the Higgs

$$\Delta\mathcal{L}_S = -\frac{1}{2}m_S^2 S^2 - \frac{1}{4}\lambda_S S^4 - \frac{1}{4}\lambda_{hSS} H^\dagger H S^2$$



Scalar dark matter



Standard model Higgs Field

V. Silveira, A. Zee, Phys. Lett. B161, 136 (1985);

J. McDonald, Phys. Rev. D50 (1994) 3637-3649;

C. P. Burgess, M. Pospelov, T. ter Veldhuis, Nucl. Phys. B619 (2001) 709-728;

L. L. Honorez, E. Nezri, J. Oliver, M.H.G. Tytgat, JCAP 0702 (2007) 028

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Scalars dramatically improve vacuum stability

V. Silveira, A. Zee, Phys. Lett. B161, 136 (1985);

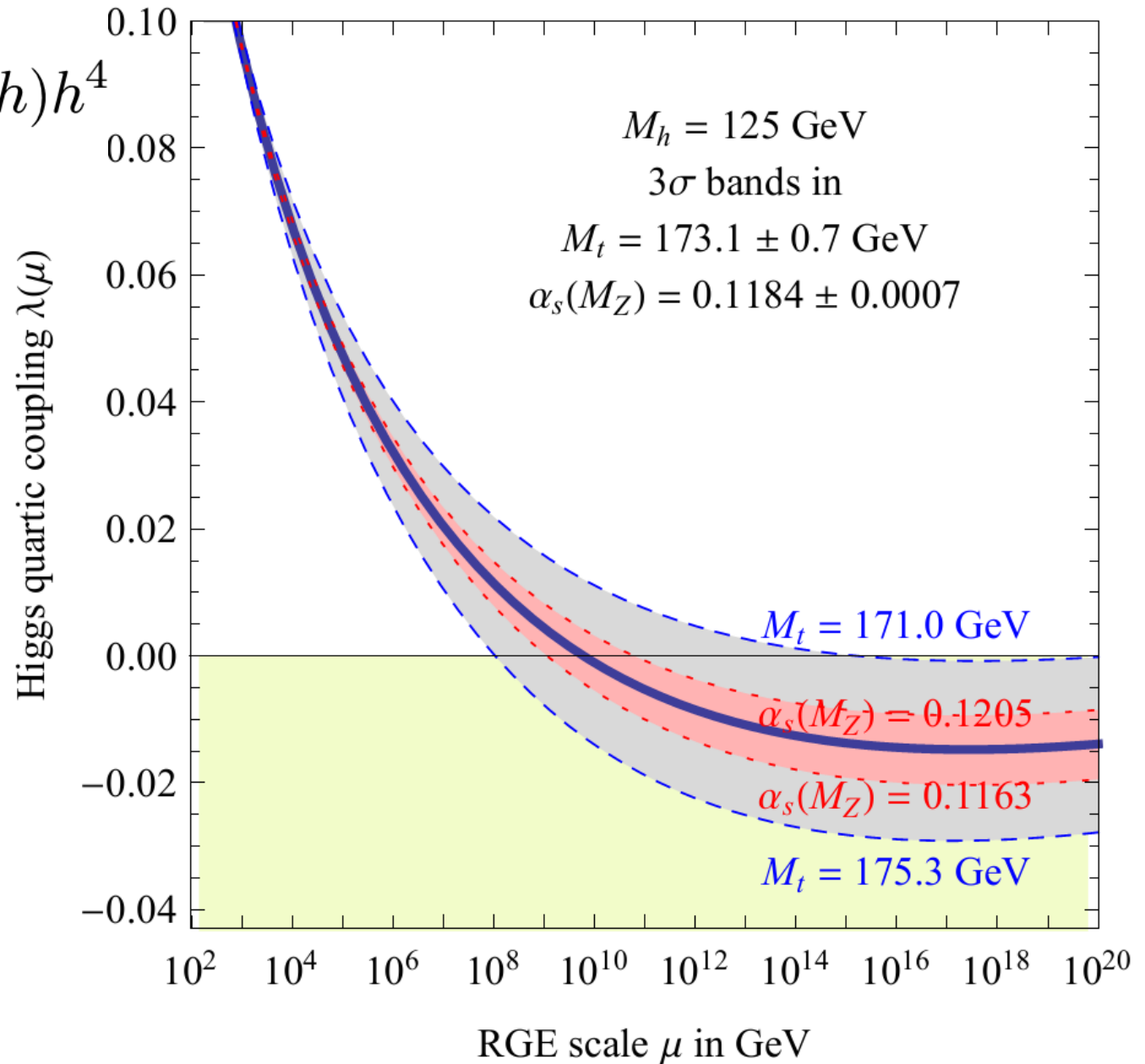
J. McDonald, Phys. Rev. D50 (1994) 3637-3649;

C. P. Burgess, M. Pospelov, T. ter Veldhuis, Nucl. Phys. B619 (2001) 709-728 [hep-ph/0011335]

# On the Stability of the Higgs Vacuum

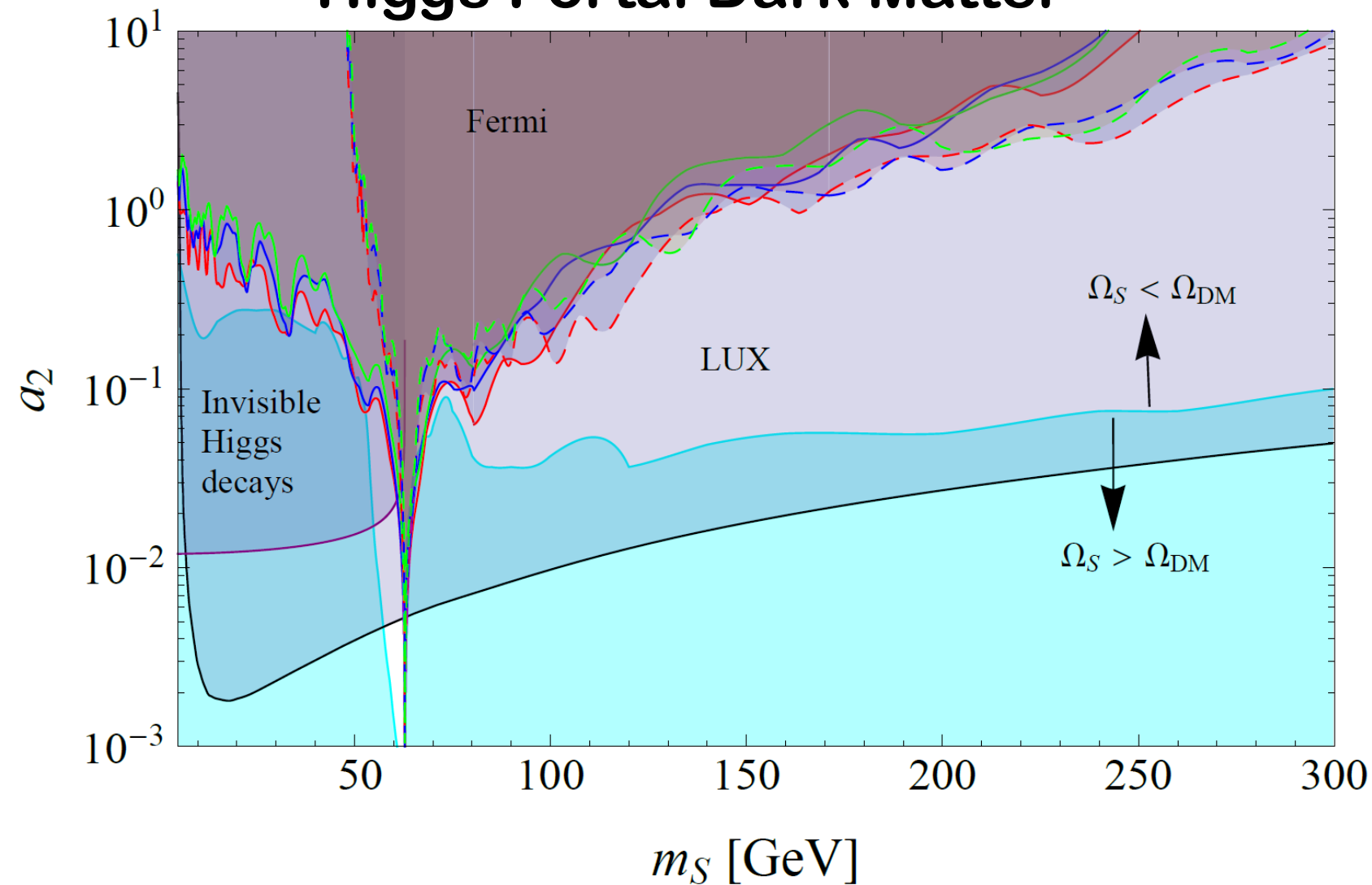
$$V_{\text{eff}}(h) = \frac{1}{4} \lambda_{\text{eff}}(h) h^4$$

Degrassi et al.



# Higgs Portal Dark Matter

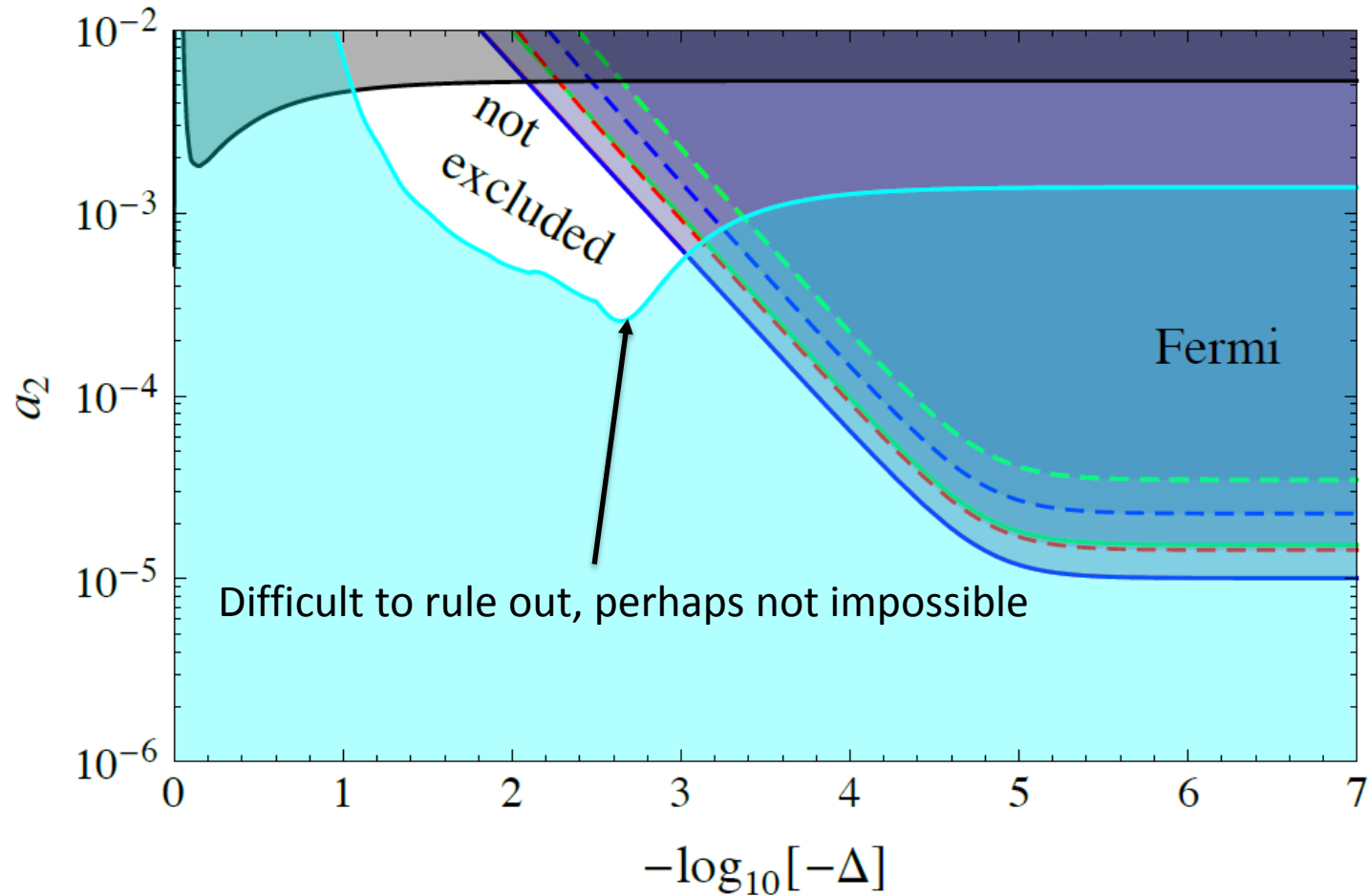
Feng et al. arXiv:1412.1105



$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \frac{1}{2}\partial_\mu S \partial^\mu S - \frac{b_2}{2}S^2 - \frac{b_4}{4}S^4 - a_2 S^2 H^\dagger H$$

# $a_2 S^2 H^\dagger H$ Higgs Portal Dark Matter

Feng et al. arXiv:1412.1105

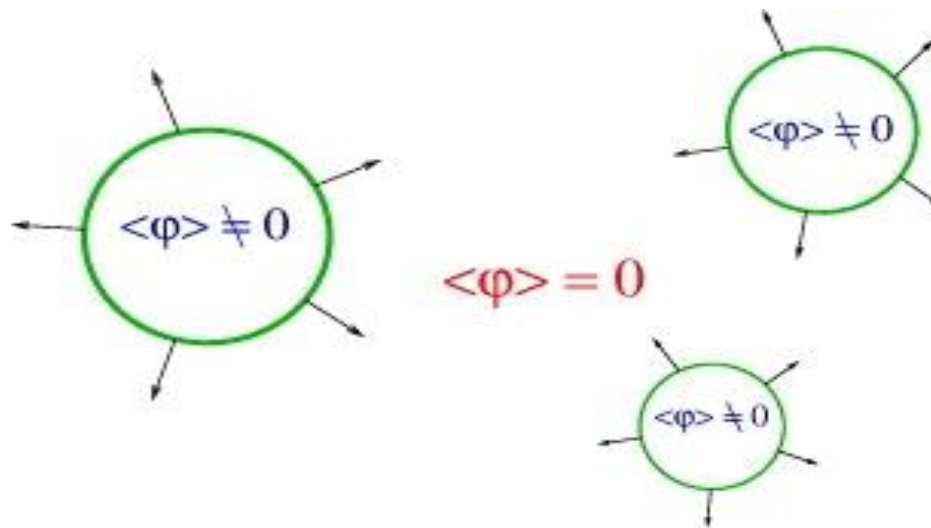


$$\Delta \equiv \frac{2m_S - m_h}{m_h}$$

$$56.6 \text{ GeV} < m_S < 62.8 \text{ GeV}$$



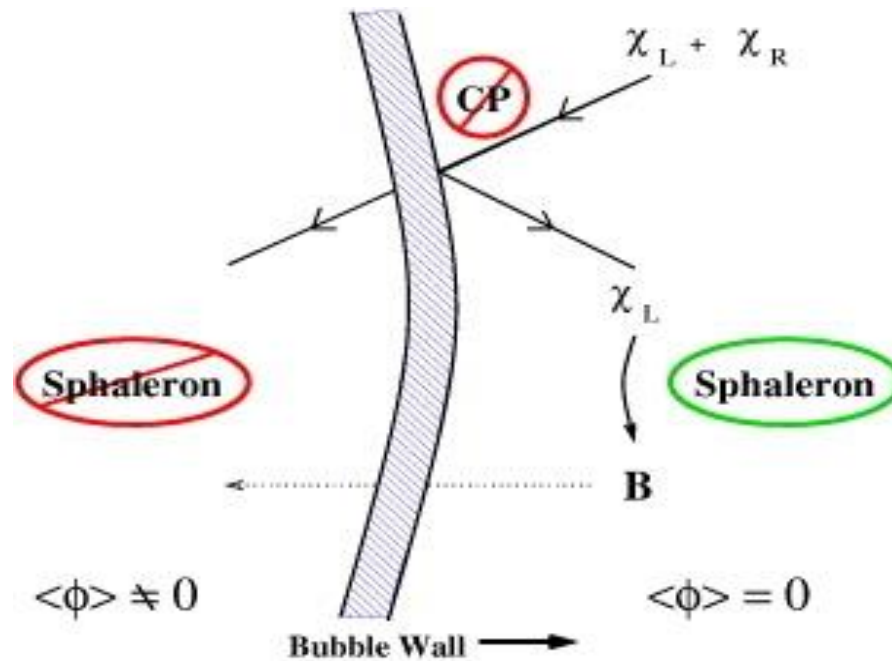
# Electroweak Baryogenesis



Figures from “Electroweak baryogenesis”

David E Morrissey and Michael J Ramsey-Musolf 2012 New J. Phys. 14

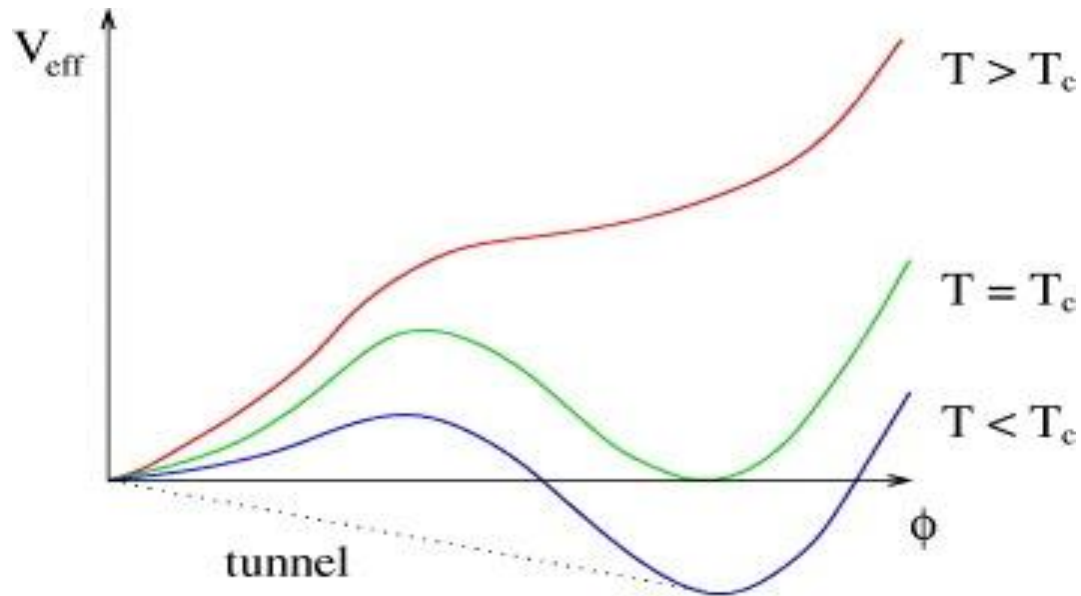
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David E Morrissey and Michael J Ramsey-Musolf 2012 New J. Phys. 14

# Electroweak Baryogenesis



Figures from "Electroweak baryogenesis"

David E Morrissey and Michael J Ramsey-Musolf 2012 New J. Phys. 14

# Improved Electroweak Phase Transition with Subdominant Inert Doublet Dark Matter

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Helsinki Institute of Physics, P.O. Box 64, FIN-00014 University of Helsinki, Finland*

The inert doublet dark matter model has recently gained attention as a possible means of facilitating a strongly first order electroweak phase transition (EWPT), as needed for baryogenesis. We extend previous results by considering the regime where the DM is heavier than half the Higgs mass, and its relic density is determined by annihilation into  $W, Z$  and Higgs bosons. We find a large natural region of parameter space where the EWPT is strongly first order, while the lightest inert doublet state typically contributes only 0.1 – 3% of the total dark matter. Despite this small density, its interactions with nucleons are strong enough to be directly detectable given a factor of 5 improvement over the current sensitivity of XENON100. A 10% decrease in the branching ratio for Higgs decays to two photons is predicted.

If we want dark matter and strong 1<sup>st</sup> order EW phase transition, we need something else

## **Example of Higgs Portal Model:- Singlet Fermionic Dark Matter**

McDonald, (1994)

H. Davoudiasl, R. Kitano, T. Li, and H. Murayama, (2005)

Burgess, Pospelov, and ter Veldhuis, (2001)

Kim, Lee, and Shin, (2007/2008)

Qin, Wang, and Xiong, (2011)

Lopez-Honorez, Schwetz, and Zupan, (2012)

Baek, Ko, Park, and Senaha, (2012)

We heavily used

Espinosa, T. Konstandin, and F. Riva, (2012)

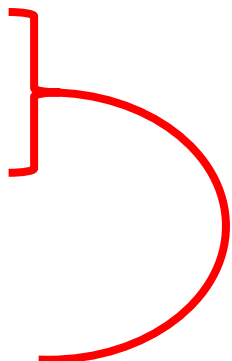
## Remove symmetry of extra Scalar Field

$$V = -\frac{1}{2}u_h^2 h^2 + \frac{1}{4}\lambda_h h^4 + \frac{1}{2}u_s^2 s^2 + \frac{1}{4}\lambda_s s^4 \\ + \frac{1}{4}\lambda_{hs} s^2 h^2$$

If you assume  $s = -s$  then  $s$  is a good dark matter candidate

However, you cannot get 1<sup>st</sup> order phase transition AND all the relic abundance (Cline et al 2012)

## Remove symmetry of extra Scalar Field

$$V = -\frac{1}{2}u_h^2 h^2 + \frac{1}{4}\lambda_h h^4 + \frac{1}{2}u_s^2 s^2 + \frac{1}{4}\lambda_s s^4 \\ + \frac{1}{4}\lambda_{hs} s^2 h^2 + \mu_1^3 s + \frac{1}{3}\mu_3 s^3 + \frac{1}{4}\mu_m s h^2 \quad ]$$


These terms arise from not assuming field  $s = -s$

then assume dark matter is a fermion that couples to  $s$  field

$$\mathcal{L}_{DM} = \bar{\psi}(i\not{\partial} - m)\psi + g_s s \bar{\psi}\psi$$

has global  $U(1)$  charge to prevent mixing with SM

# The Phenomenology of the Extra Scalar Field

Two mass eigenstates:-

$$h_1 = \sin \alpha \, s + \cos \alpha \, h$$

$$h_2 = \cos \alpha \, s - \sin \alpha \, h$$

Effective branching ratio of  $h_1 \rightarrow 2h_2, \bar{\psi}\psi$  needs to be calculated. Introduce parameter

$$\mu = \cos^2 \alpha (1 - BR_{BSM}^1) \mu_{SM} = a'^2 \mu_{SM}$$

Then current constraints are  $a' > 0.9$

Likewise can look at coupling of  $h_2$  to the standard model. Signal strength is

$$\mu = \sin^2 \alpha (1 - BR_{BSM}^2) \mu_{SM} = b'^2 \mu_{SM}$$

and  $b'^2 \lesssim 0.1$  for  $\lesssim 400$  GeV, this latter constraint dropping rapidly as the mass increases

$$\tan \alpha = \frac{x}{1 + \sqrt{1 + x^2}}$$

$$x = \frac{2m_{sh}^2}{m_h^2 - m_s^2}$$

$$m_{sh}^2 = \left. \frac{\partial^2 V}{\partial h \partial s} \right|_{(v,w)}$$

For LHC constraints,  
Ellis and You 2013  
Falkowski, Riva and  
Urbano 2013  
CMS 1304.0213



# Electroweak Phase Transition with h and s

Fairbairn and Hogan 2013

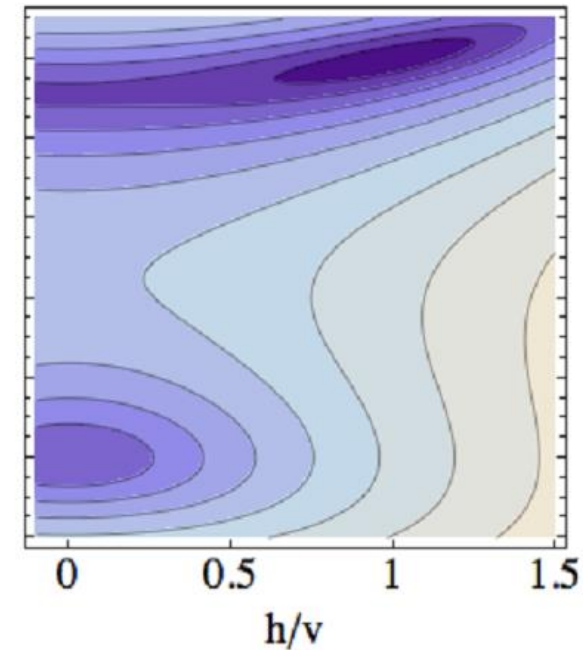
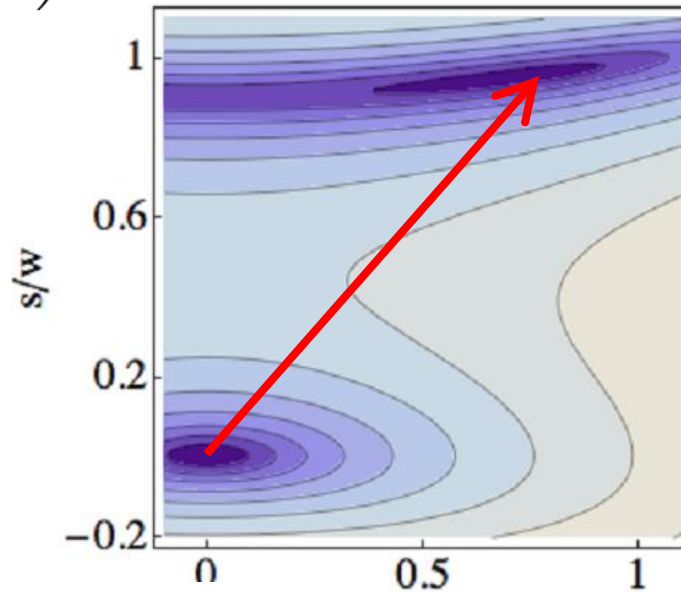
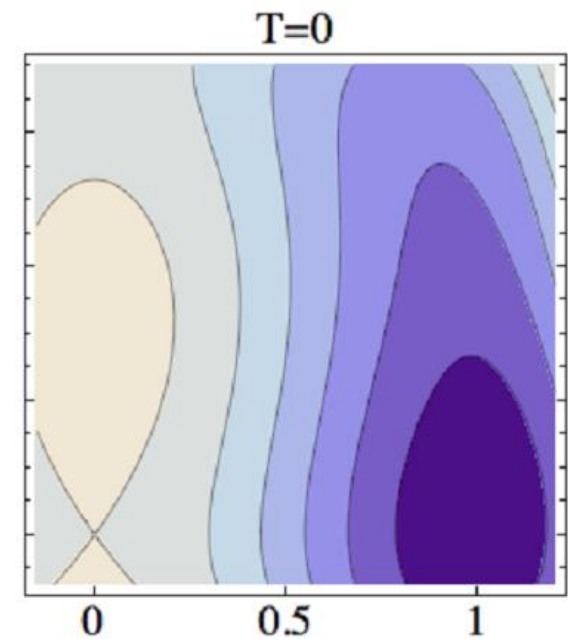
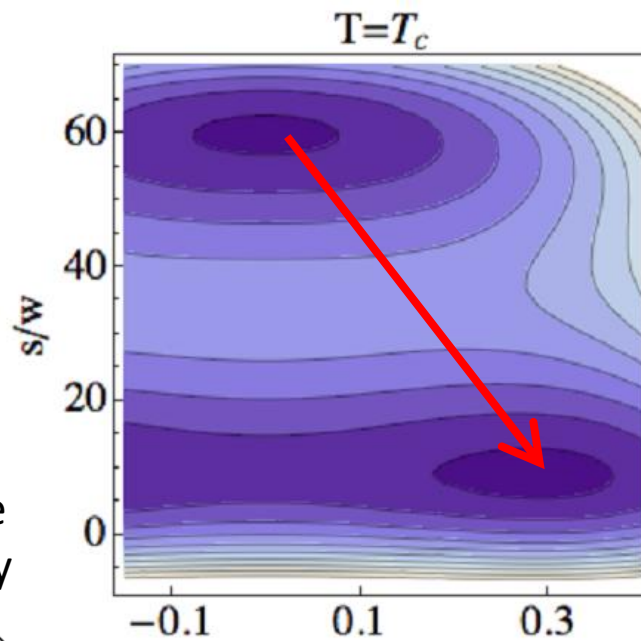
The thermal correction to the tree level potential is given by

$$V_T = \left( \frac{1}{2} c_h h^2 + \frac{1}{2} c_s s^2 + m_3 s \right) T^2$$

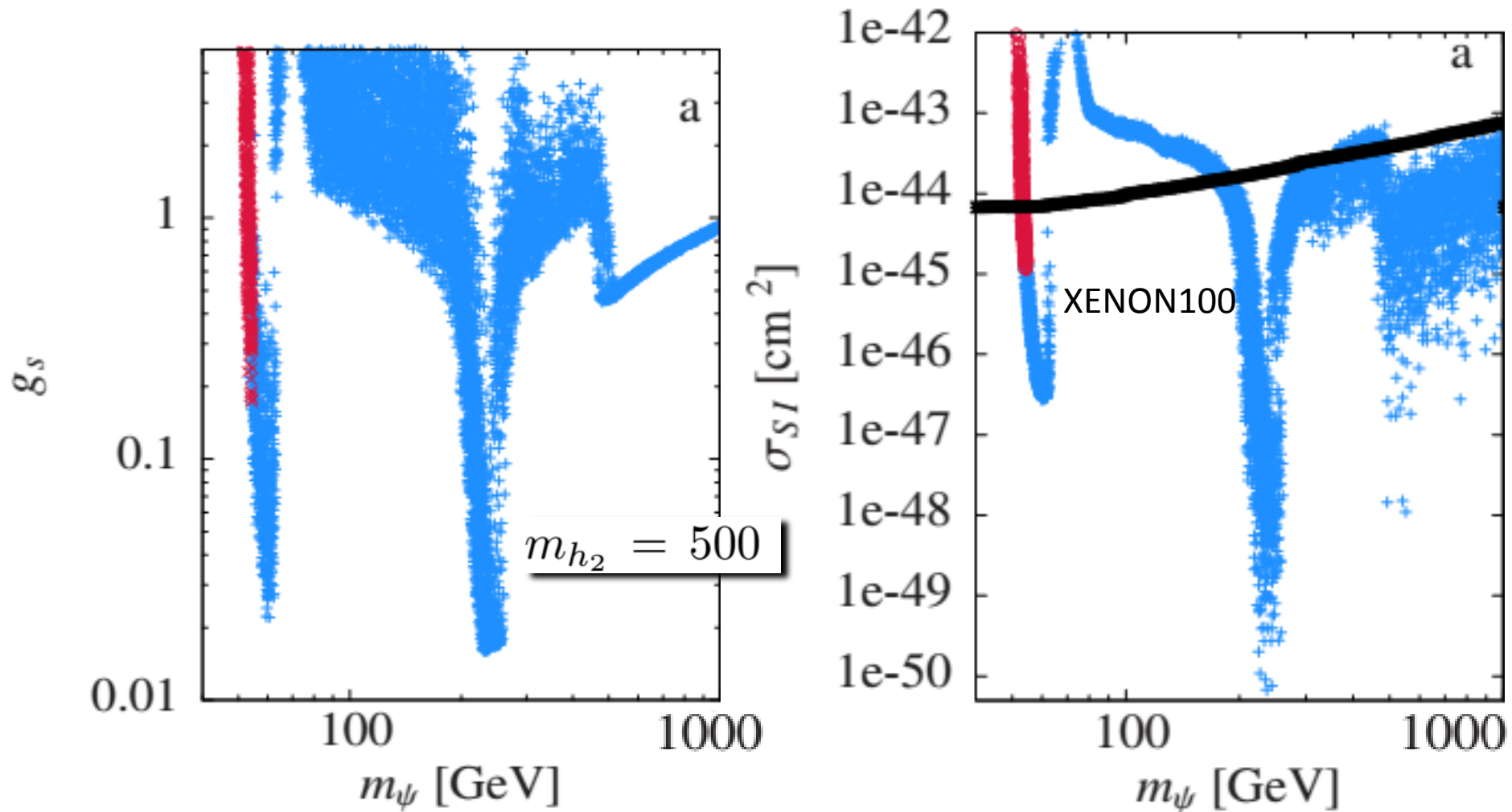
$$c_s = \frac{1}{12} (2\lambda_{hs} + 3\lambda_s + g_s^2)$$

$$m_3 = \frac{1}{12} (\mu_3 + \mu_m)$$

$$c_h = \frac{1}{48} (9g^2 + 3g'^2 + 12y_t^2 + 24\lambda_h + 2\lambda_{hs})$$

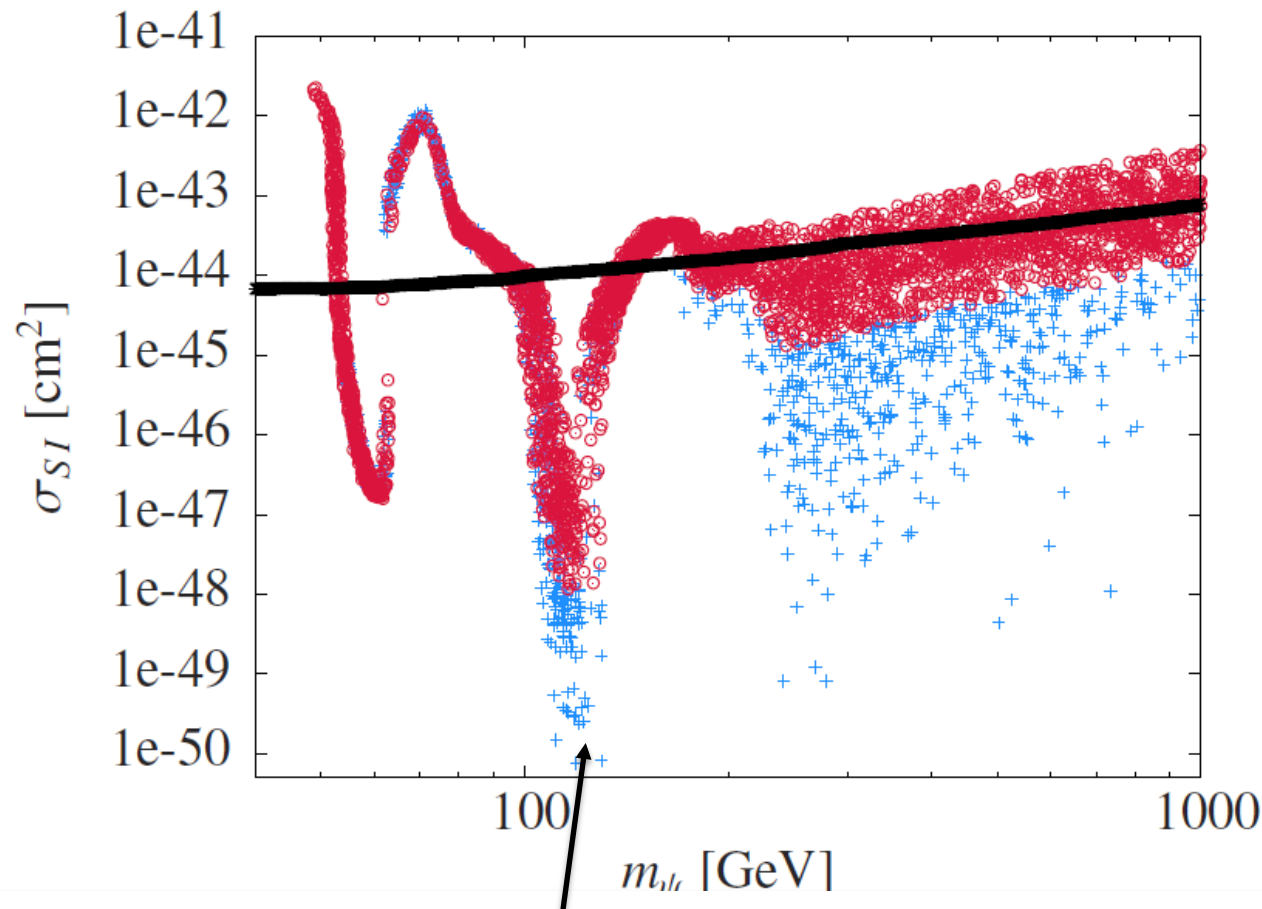


PROBLEM:- When  $M_{\text{DM}} = M_{\text{Mediator}}$   
 relic abundance couplings and  $\sigma_{\text{direct}}$  drop



Higgs Portal model with additional scalar field coupled to dirac Fermion  
 (Fairbairn and Hogan **1305.3452**)

Improvement in LHC exclusion if we move from 10% to 1% in branching ratio accuracy in next runs



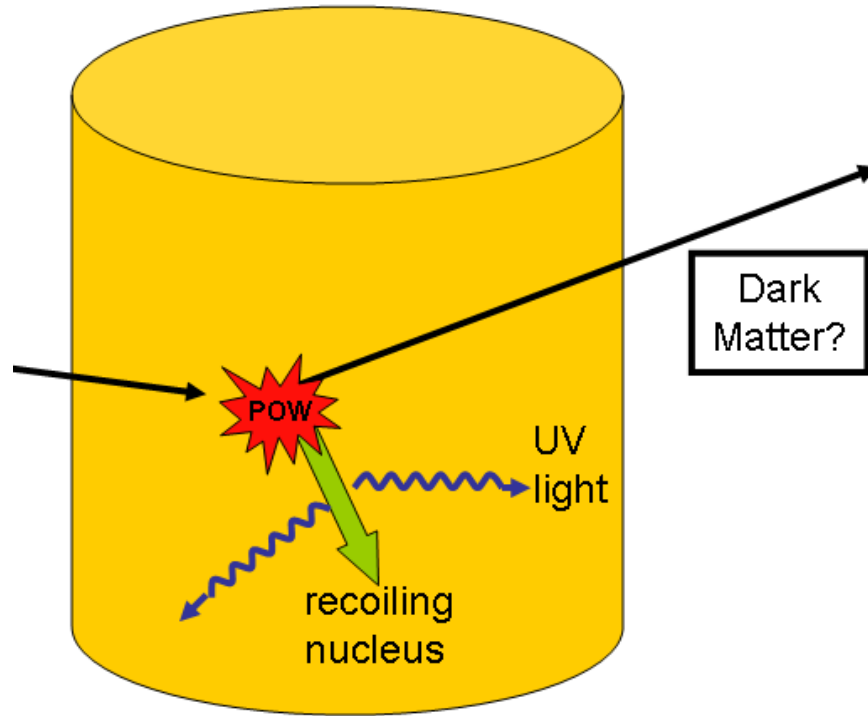
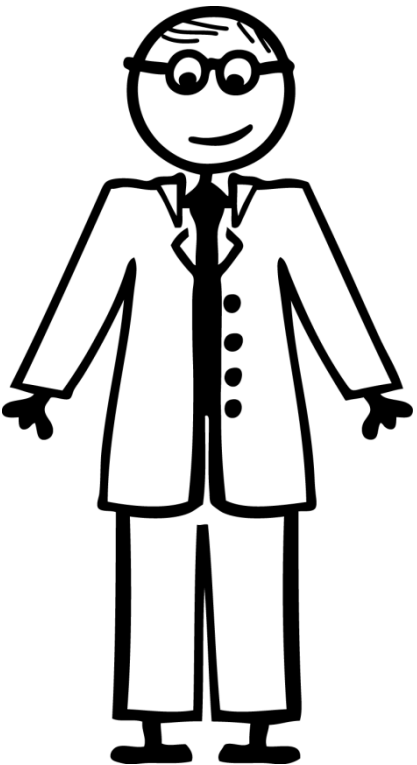
This is a generic problem in simple models, other mechanisms like cancellations and mixings can create the same problems in more complicated theories. Many potential effects in a theory such as pMSSM.

## What does this tell us?

Despite our best efforts, some models will remain immune to many upcoming LHC and indirect detection search strategies.

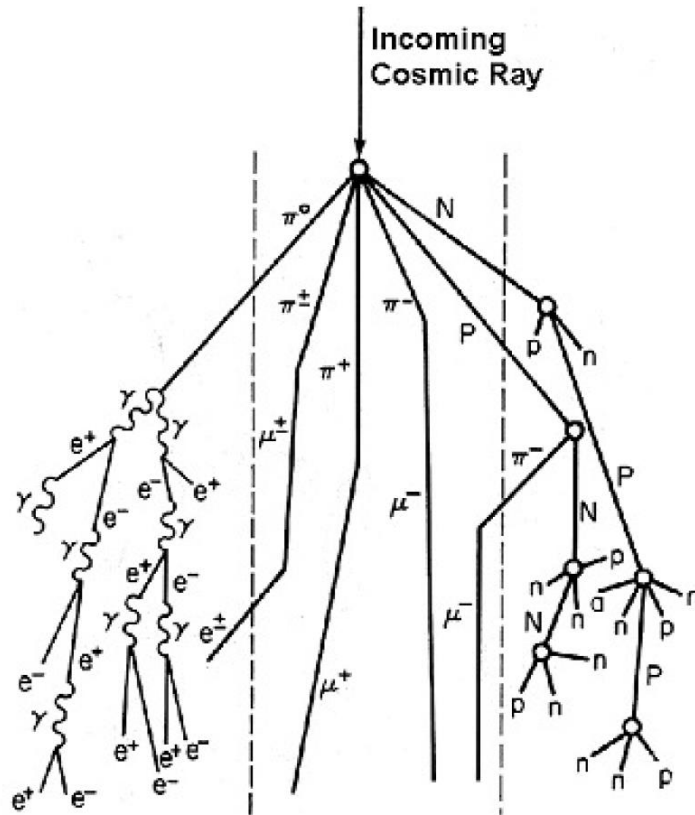
Direct detection is powerful for thermal relics but also cannot get all of them, even new upcoming state of the art detectors.

Surely just a problem of scale?



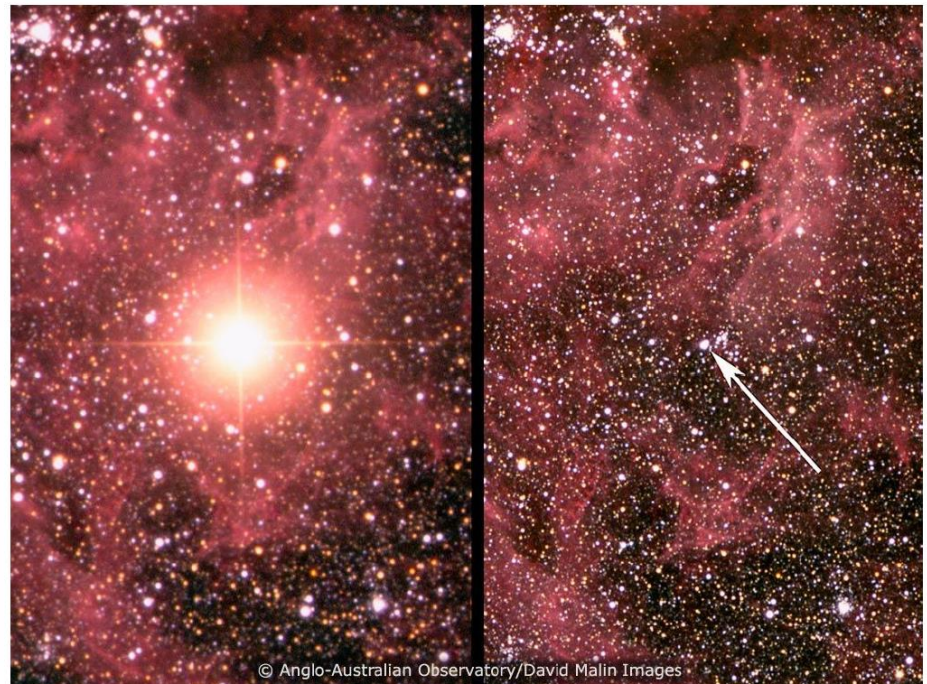
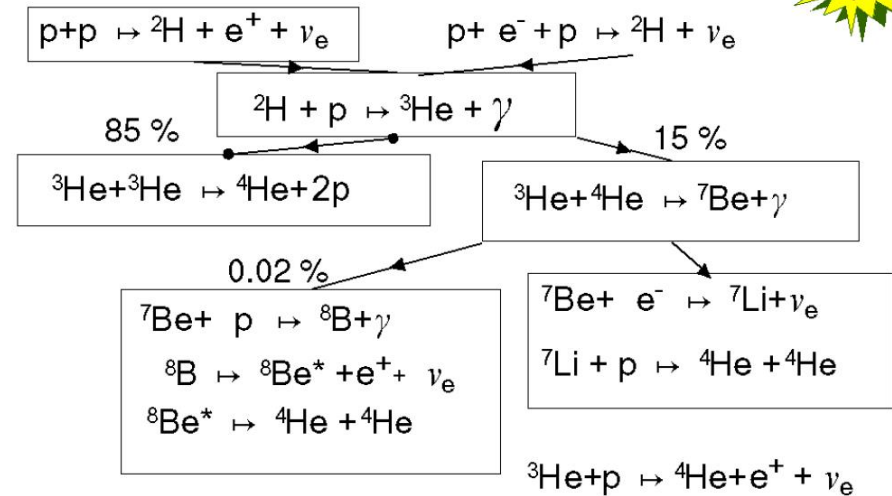
# Astrophysical Neutrino Sources

The nuclear reactions in the Sun generate a numerous amount of electron neutrinos. While the total number of neutrinos can be calculated very accurately, their energy spectrum contains more uncertainties. The following picture shows the principal energy producing reaction chains:



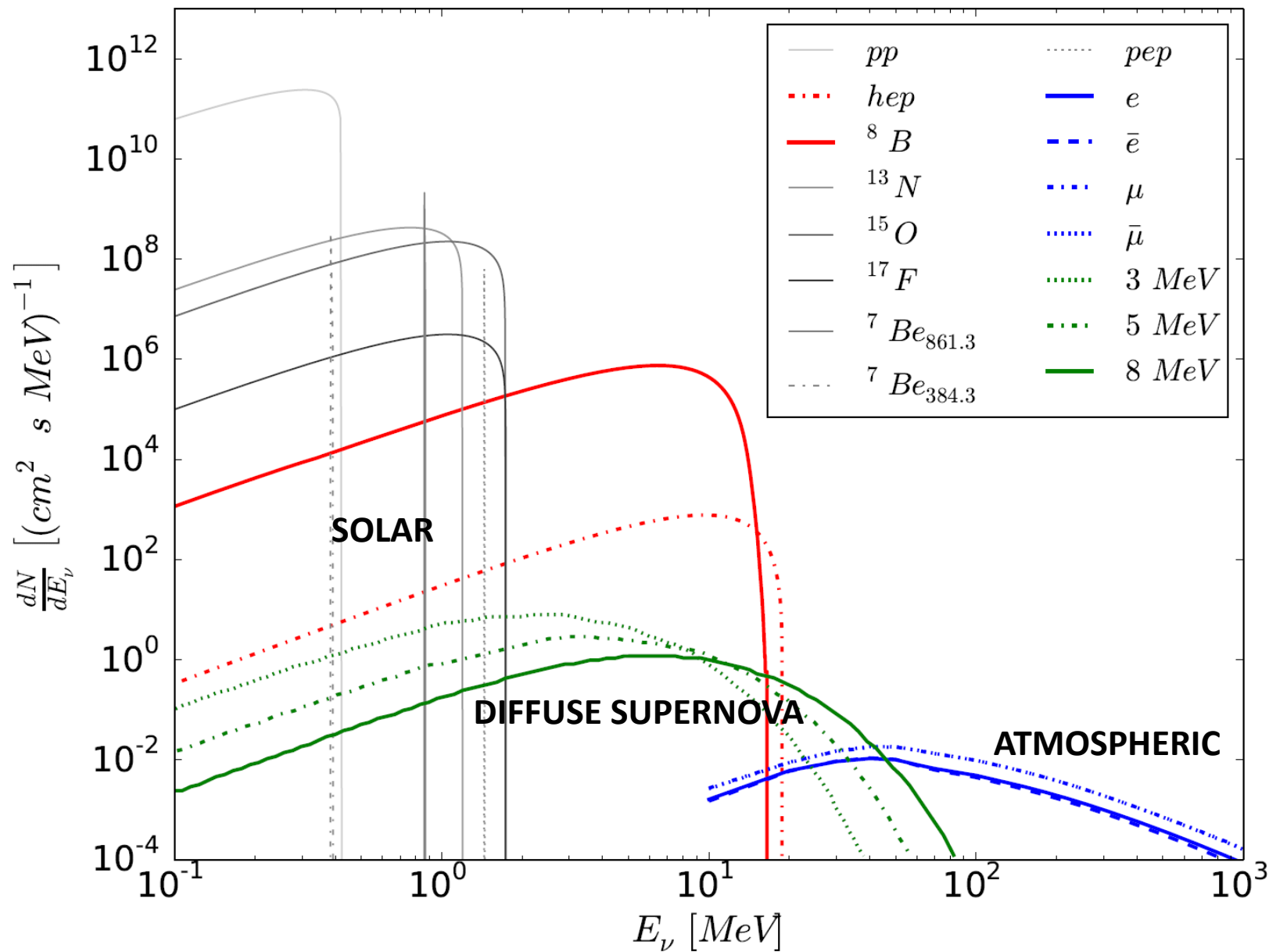
## KEY

P	Proton	e	Electron
n	Neutron	$\mu$	Muon
$\pi$	Pion	$\gamma$	Photon





# Neutrino Background



## Coherent Neutrino-Nucleon Flux

$$\frac{d\sigma}{d(\cos\theta)} = \frac{G_F^2}{8\pi} Q_W^2 E_\nu^2 (1 + \cos\theta) F(Q^2)^2$$

- Enhanced by factor  $N^2$ :

$$Q_W = N - (1 - 4 \sin^2 \theta_W) Z \approx N - 0.08 \times Z \approx N$$

- $\cos\theta$ : angle between in- and outgoing neutrino direction
- $2m_T E_r = q^2 = 2E_\nu^2(1 - \cos\theta)$

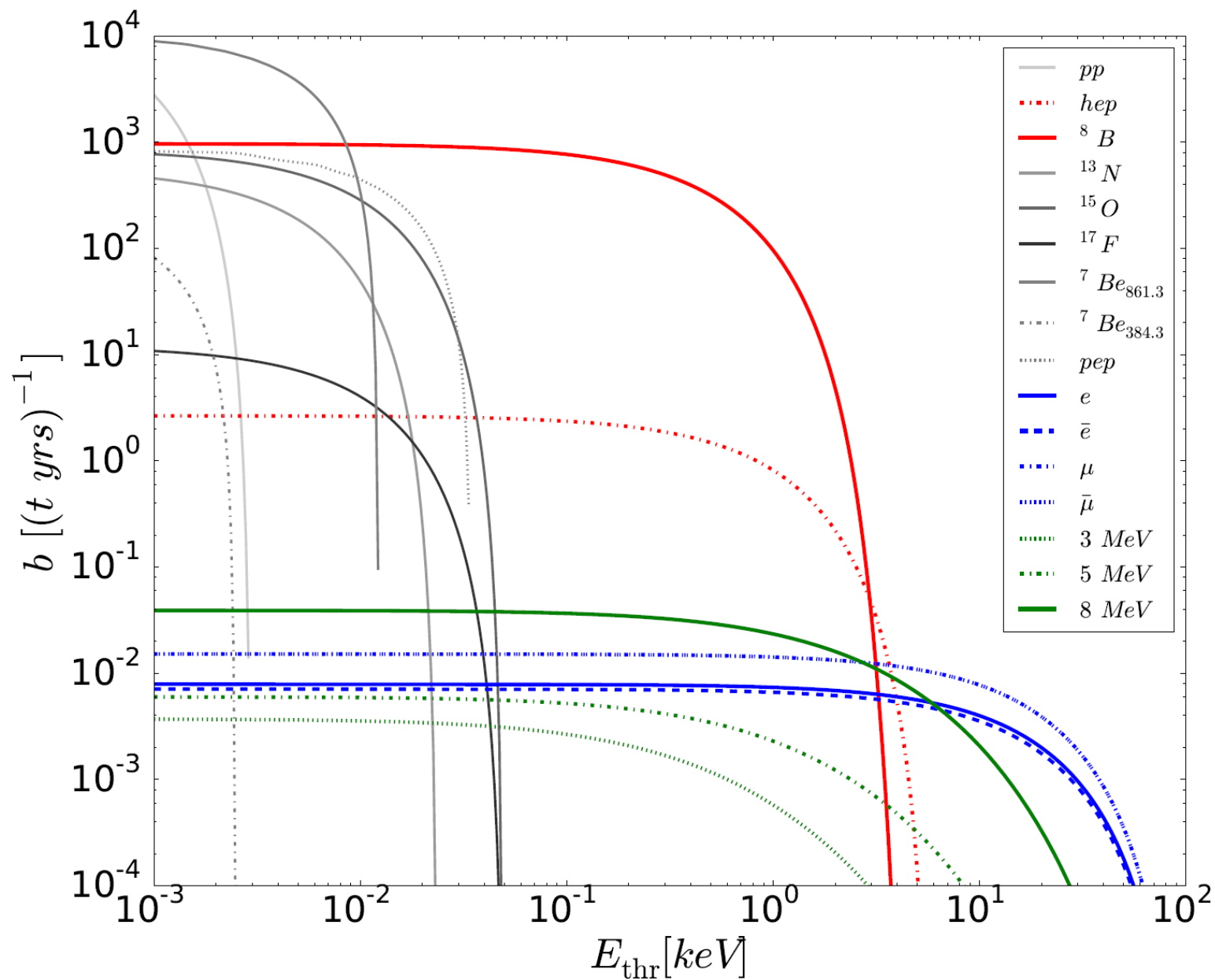
$$\Rightarrow \frac{d\sigma}{dE_r} = \frac{G_F^2}{4\pi} Q_W^2 m_T \left(1 - \frac{m_T E_r}{2E_\nu^2}\right) F(Q^2)^2.$$

$$\frac{dR_\nu}{dE_r} = n_T \int_{t_0}^{t_1} \int_{E_\nu^{\min}}^{\infty} \frac{dN(t)}{dE_\nu} \frac{d\sigma(E_\nu, E_r)}{dE_r} dE_\nu dt$$

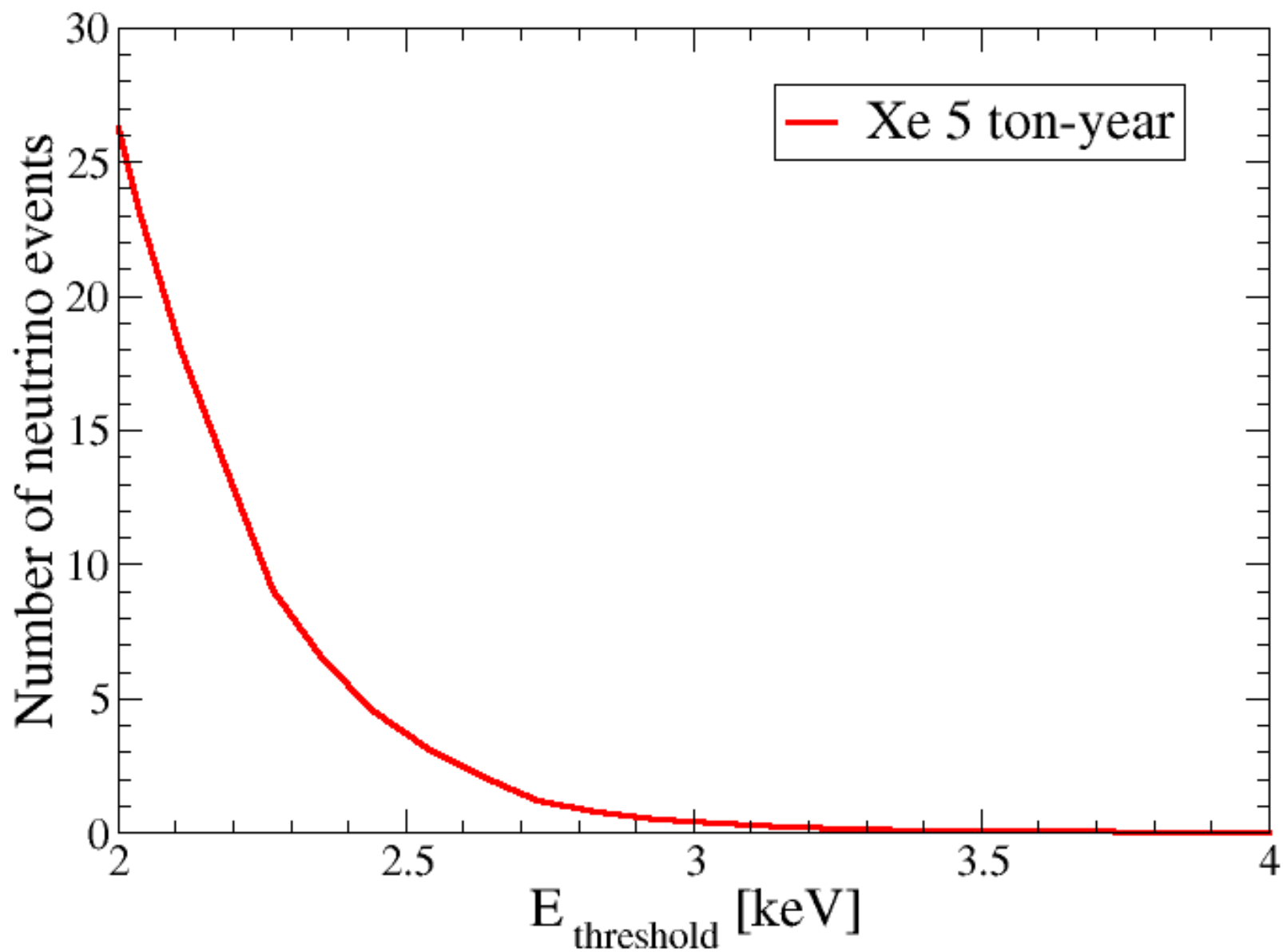
$$R_\nu = \int_{E_{\text{thr}}}^{E_{\text{up}}} \frac{dR_\nu}{dE_r} dE_r$$



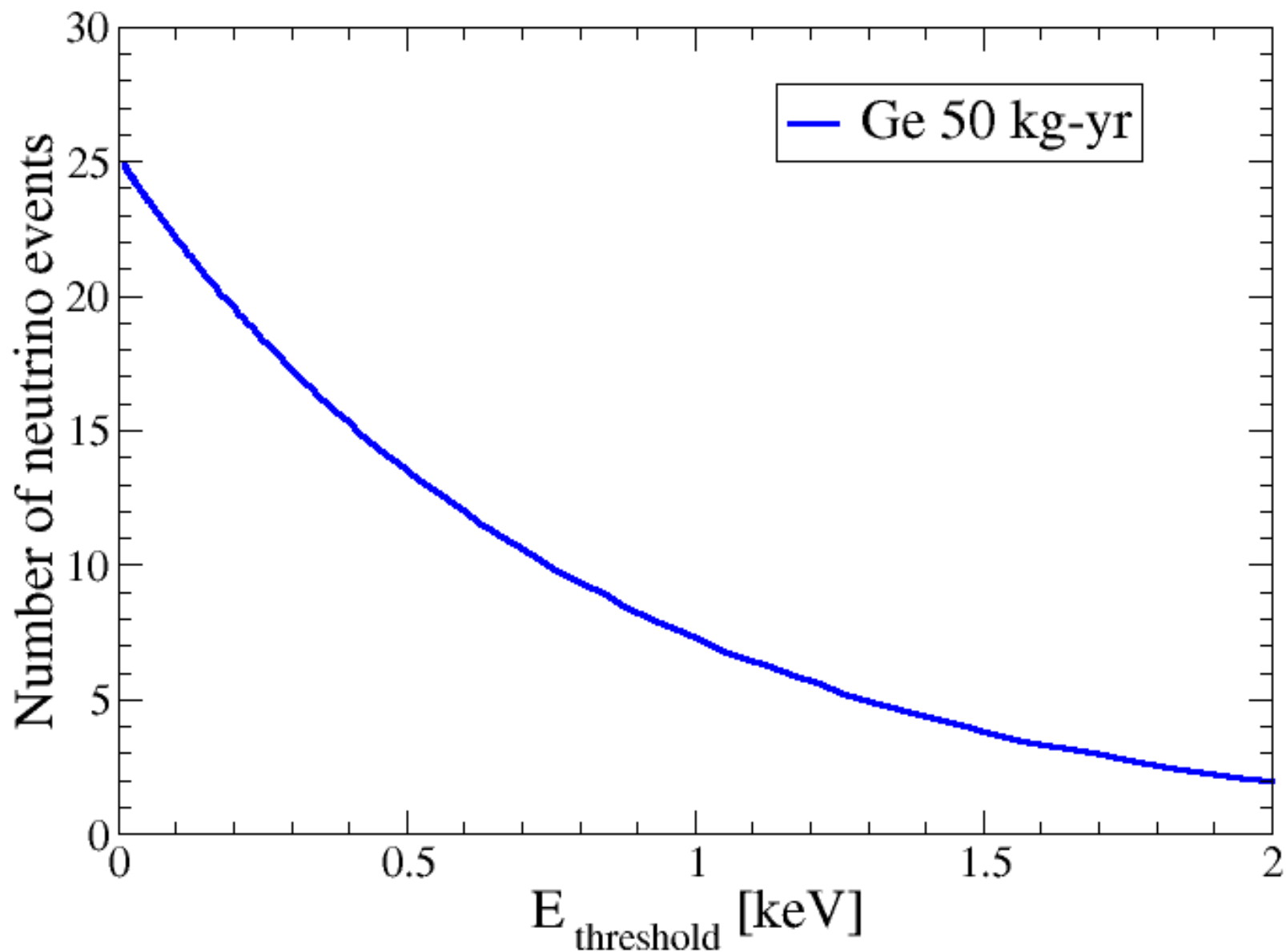
# Integrated Event Rate in CF<sub>4</sub> detector above different Thresholds



## Integrated Event Rate in Xe detector above different Thresholds

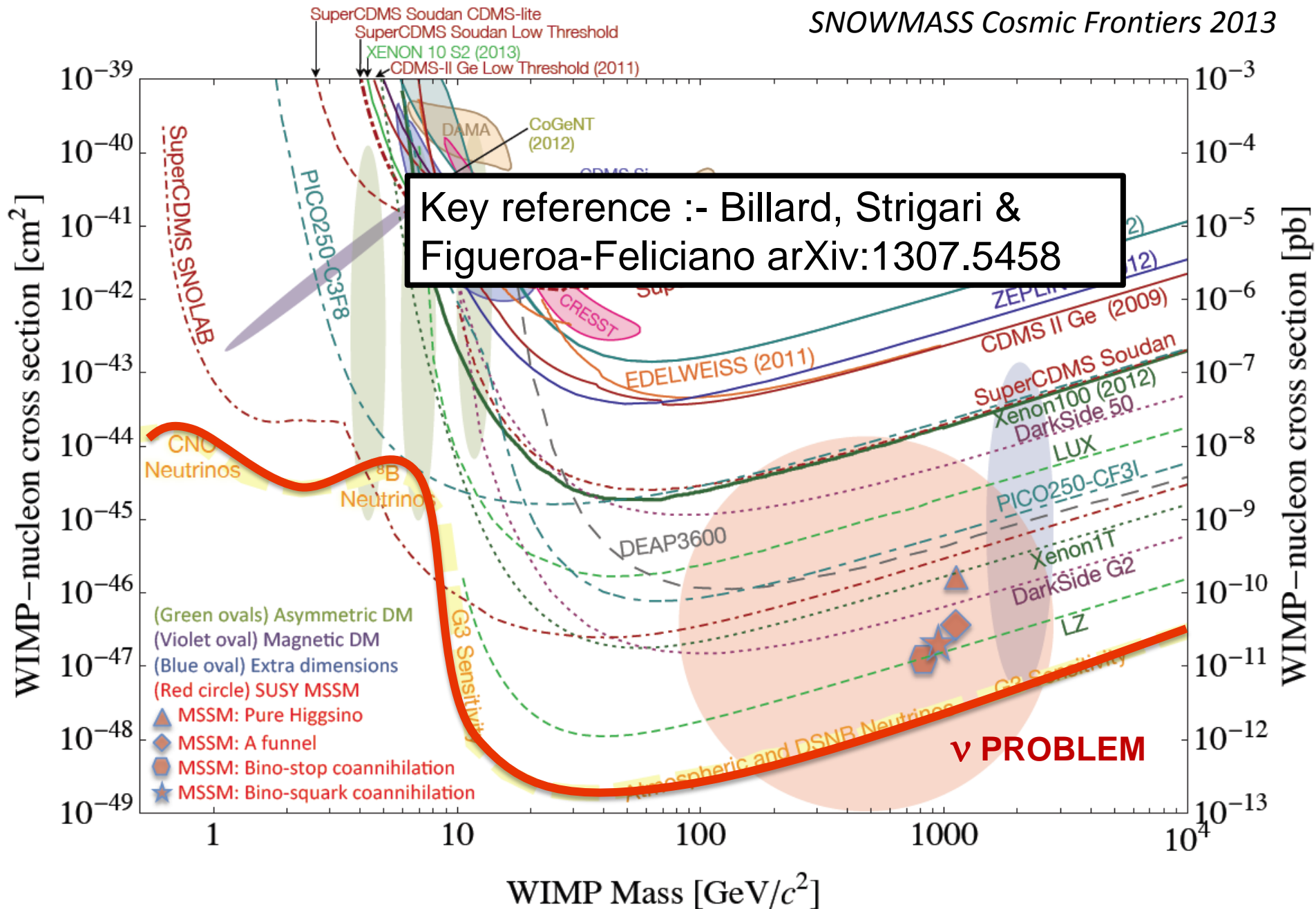


Integrated Event Rate in Ge detector above different Thresholds  
(just B8 and hep, good approx...)



This leads to this plot which is becoming famous.

SNOWMASS Cosmic Frontiers 2013



# Directional Dark Matter Detection Beyond the Neutrino Bound

Philipp Grothaus\* and Malcolm Fairbairn  
*Department of Physics, Kings College London*

Jocelyn Monroe  
*Department of Physics, Royal Holloway University of London*  
(Dated: June 20, 2014)

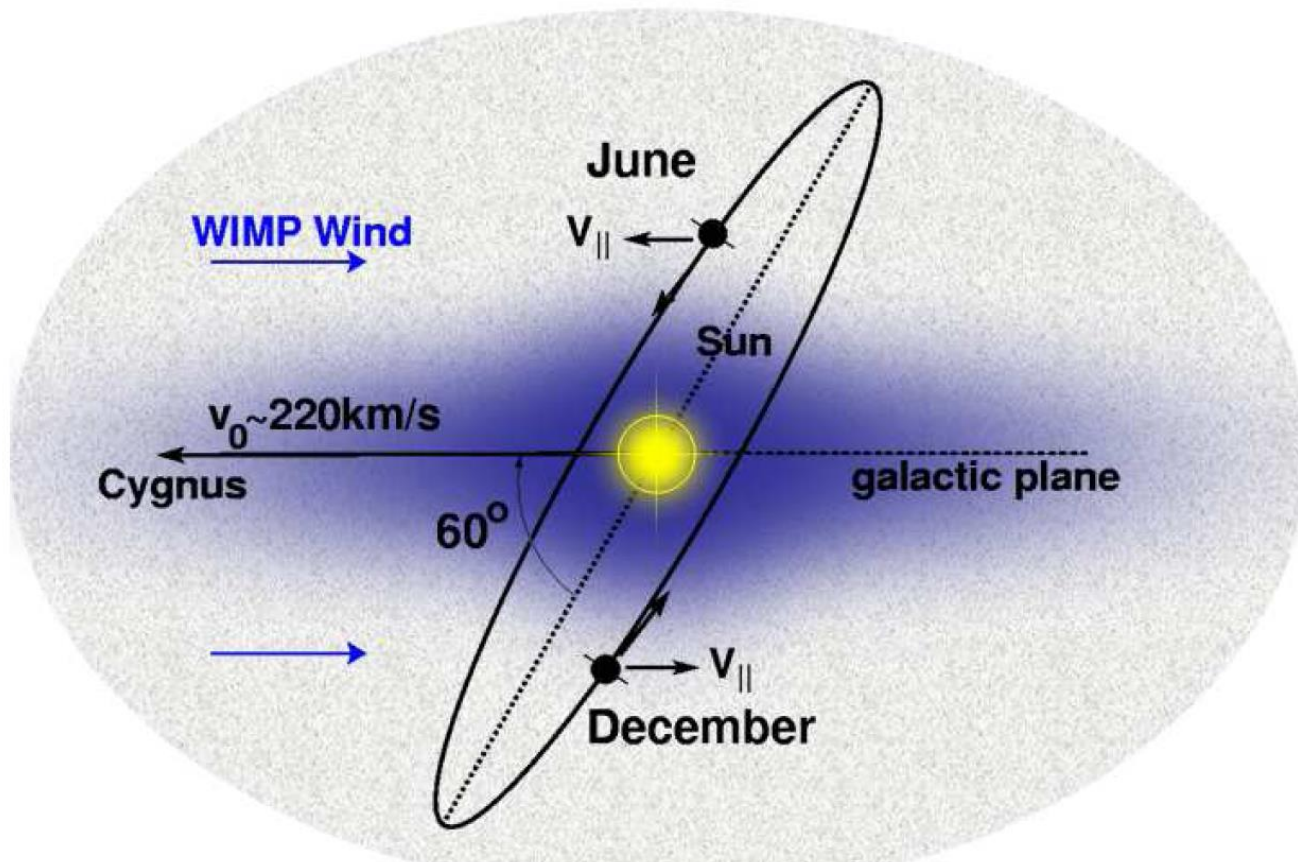
Here was our first attempt to look at the problem.  
arXiv:1406.5047

## Motion of Earth relative to sun

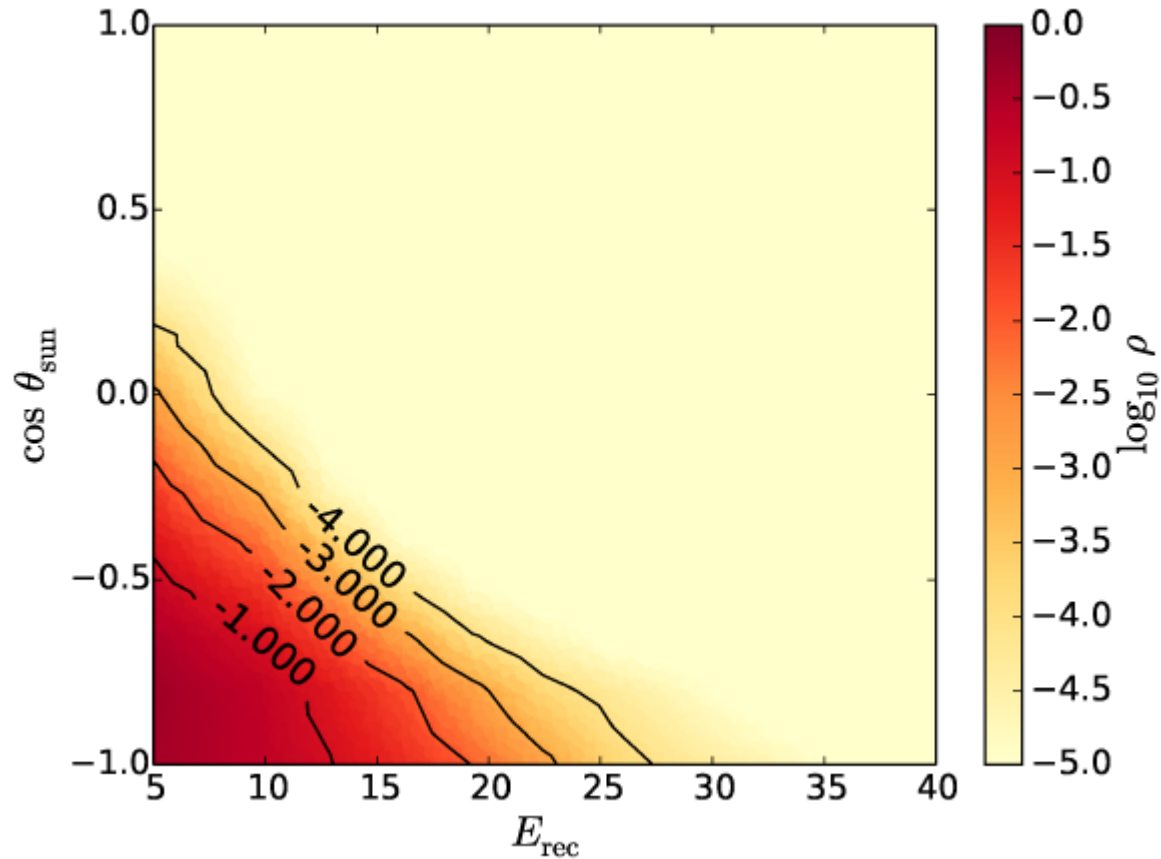
$$f_{\oplus}(\vec{v}, t) = f_{\text{gal}}(\vec{v} + \vec{v}_{\odot} + \vec{v}_{\oplus}(t))$$

sun velocity:  $\vec{v}_{\odot} = (0, 220, 0) + (10, 13, 7) \text{ km/s}$

earth velocity:  $\vec{v}_{\oplus}(t)$  with  $v_{\oplus} \approx 30 \text{ km/s}$

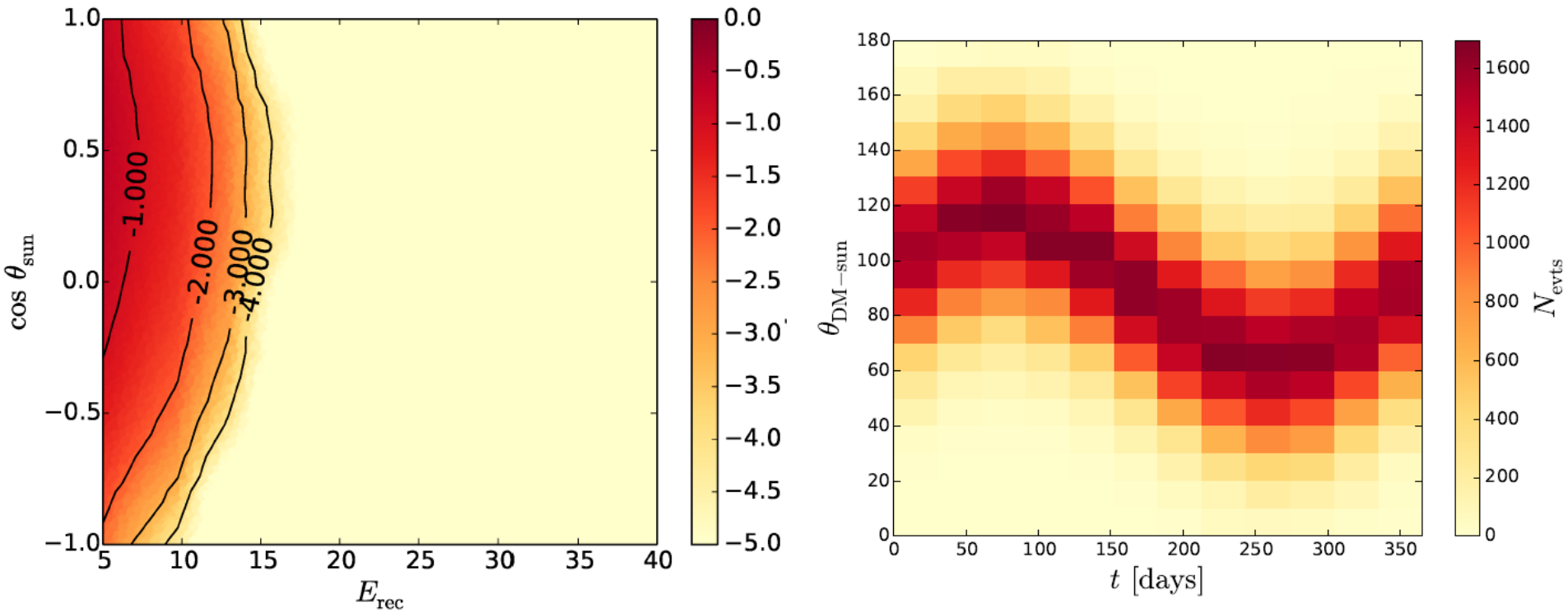


## Relative angle between recoil from Solar neutrino and sun



$$\cos \theta' = \frac{E_{\nu} + m_T}{E_{\nu}} \sqrt{\frac{E_r}{2m_T}}$$

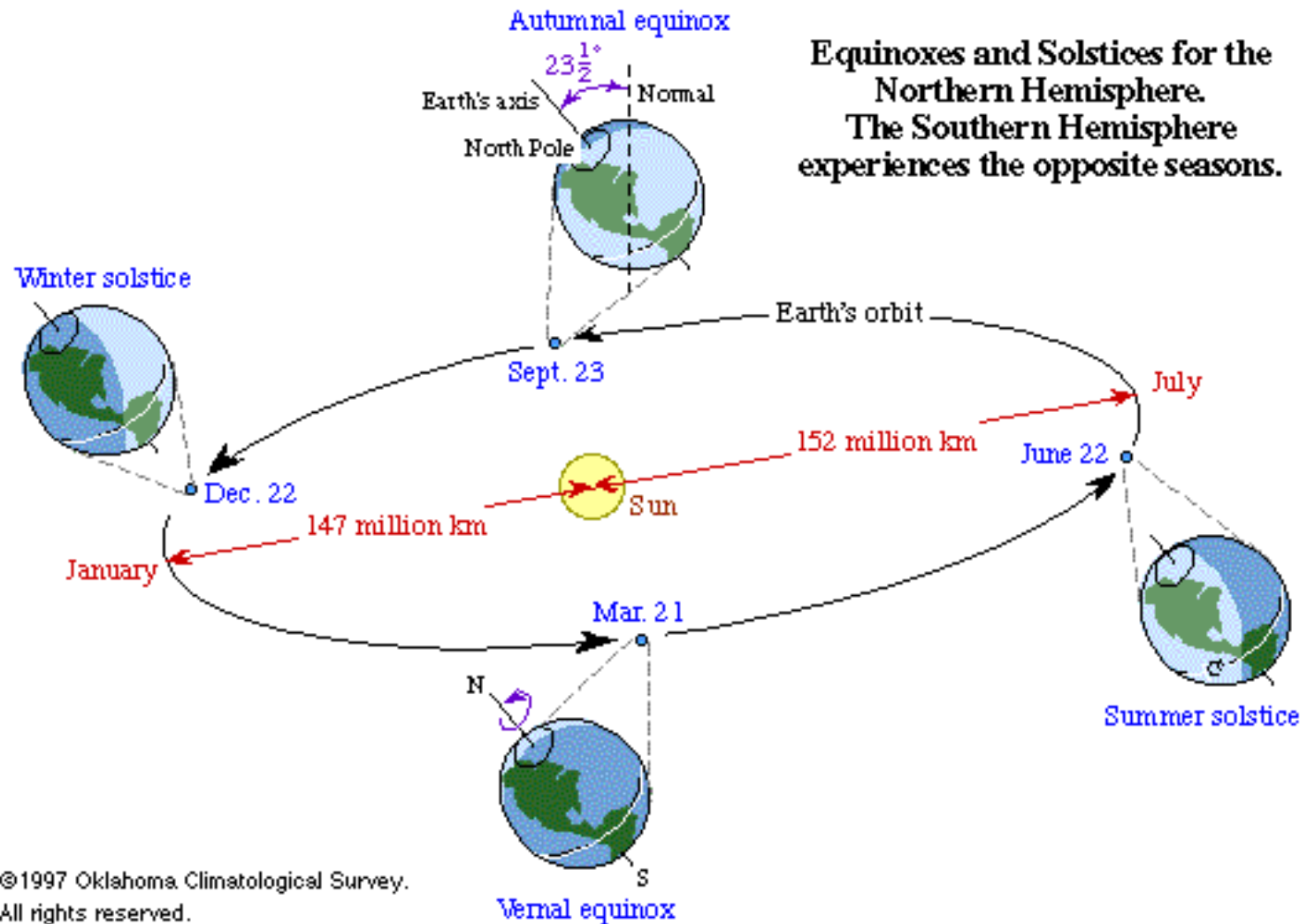
## Relative angle between recoil from Dark Matter and sun



- Preferred arrival direction roughly from Cygnus A
- This changes during the year
- Lighter (heavier) dark matter more (less) directional above a given threshold



Also, distance between Earth and Sun changes throughout Year  
modulates neutrino flux



two event distributions in 3D parameter space  
(3D = energy, time, scattering angle)

Distributions:-      A) neutrino  
                             B) neutrino + dark matter

can we separate background from signal plus background?

# Statistics

$$\tilde{Q} = \frac{\frac{e^{-(s+b)} (s+b)^n}{n!}}{\frac{e^{-b} b^n}{n!}} \frac{\prod_{j=1}^n \frac{s S_t(t_j) + b B_t(t_j)}{s+b} \frac{s S_{\theta,E}(\theta_j, E_j) + b B_{\theta,E}(\theta_j, E_j)}{s+b}}{\prod_{j=1}^n B_t(t_j) B_{\theta,E}(\theta_j, E_j)}$$

$$Q = -2 \log \tilde{Q}$$

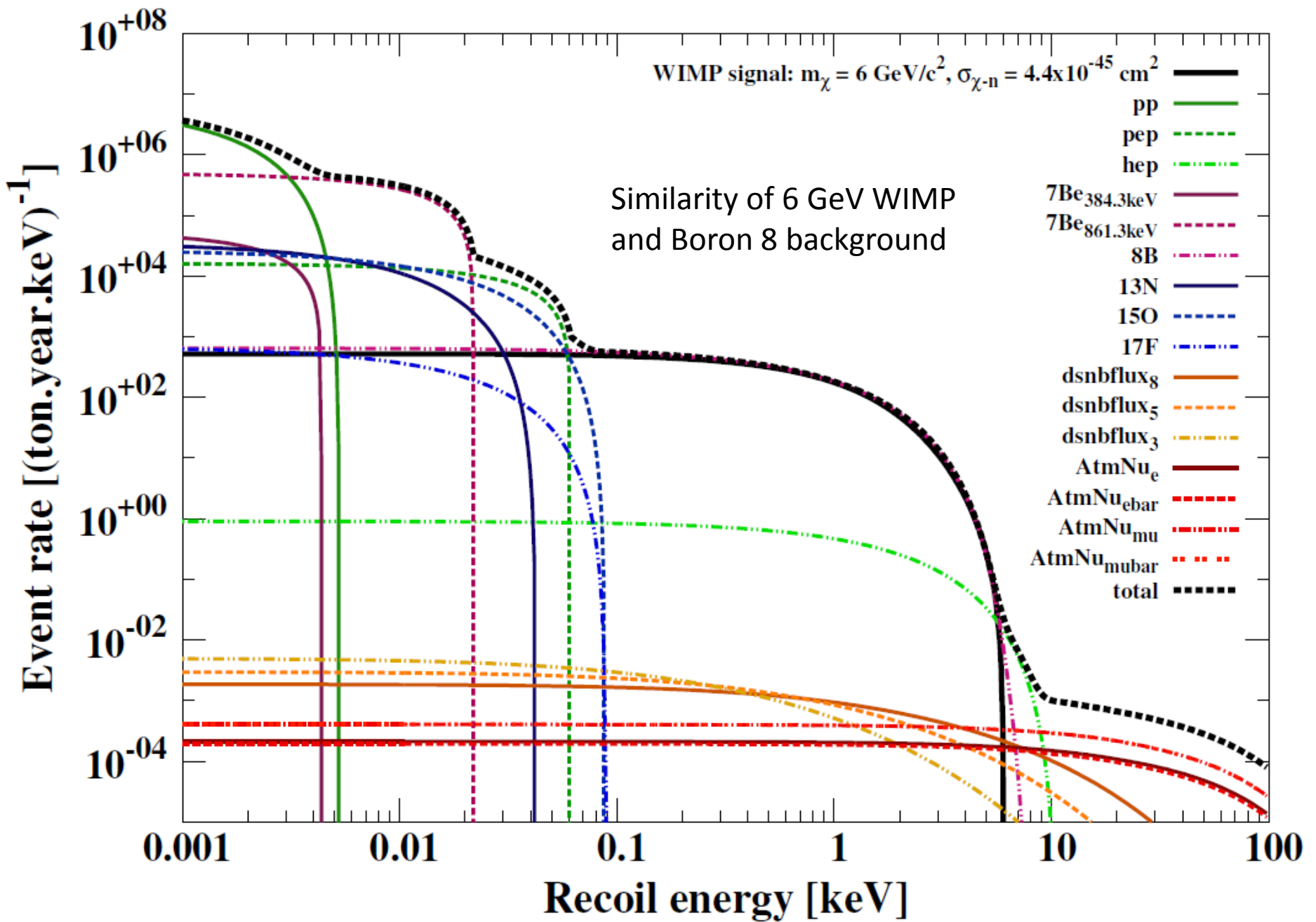
1. Calculate expected number of  $\nu$  events then generate  $n_1$  events using Poisson
2. Choose dark matter mass and cross section and generate  $n_2$  dark matter events
3. Generate  $Q_B$  for  $n_1$   $\nu$  events and  $Q_{SB}$  for  $n_1+n_2$   $\nu$ +DM events, then

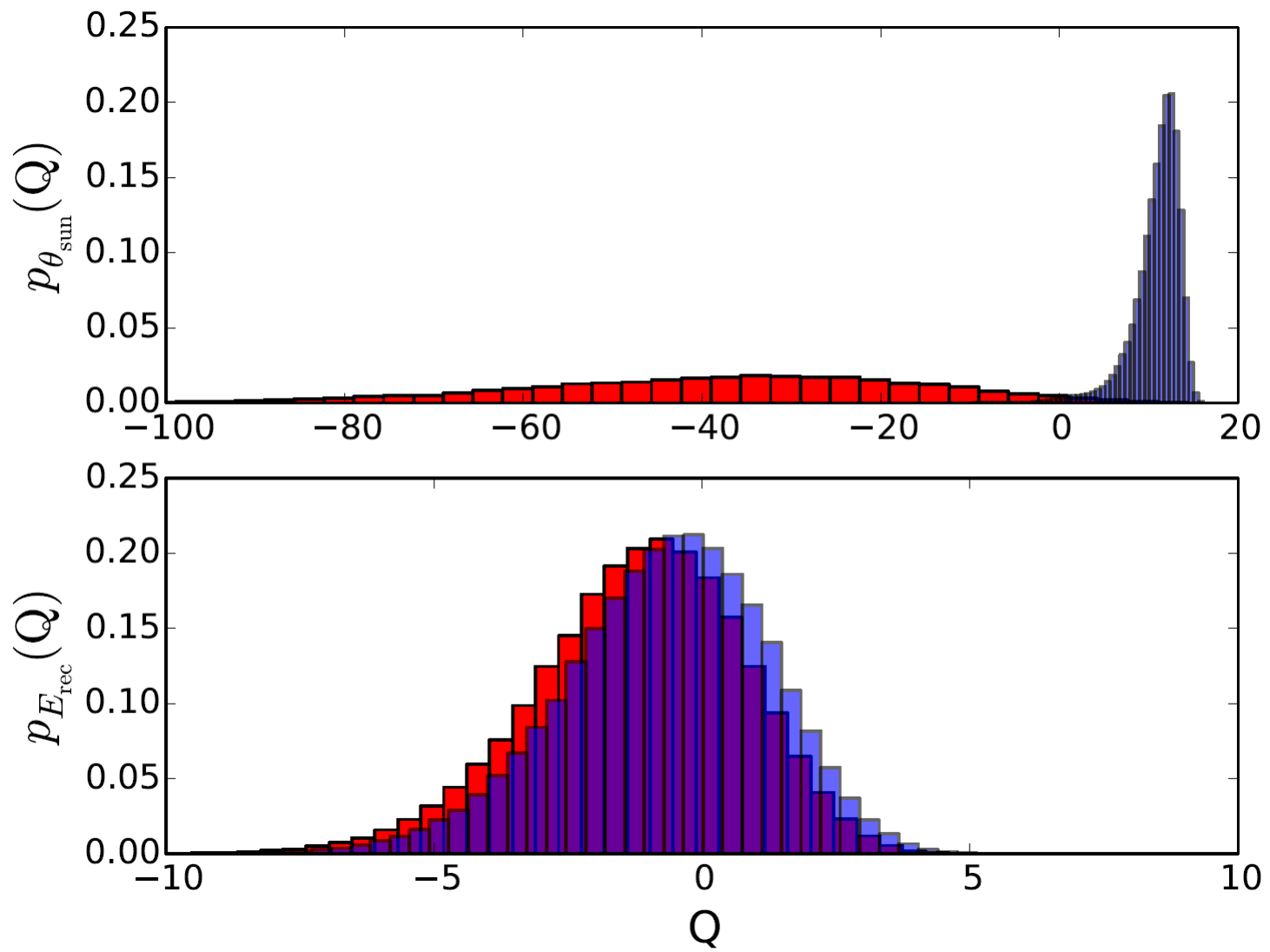
$$\beta_{SB} = \int_{-\infty}^q P_{Q_{SB}}(Q_{SB}) dQ_{SB}$$

$$\beta_B = \int_{-\infty}^q P_{Q_B}(Q_B) dQ_B$$

4. Choose integral limit  $q$  such that  $1 - \beta_{SB} = \beta_B = \alpha$

where  $\alpha$  is your desired exclusion probability.



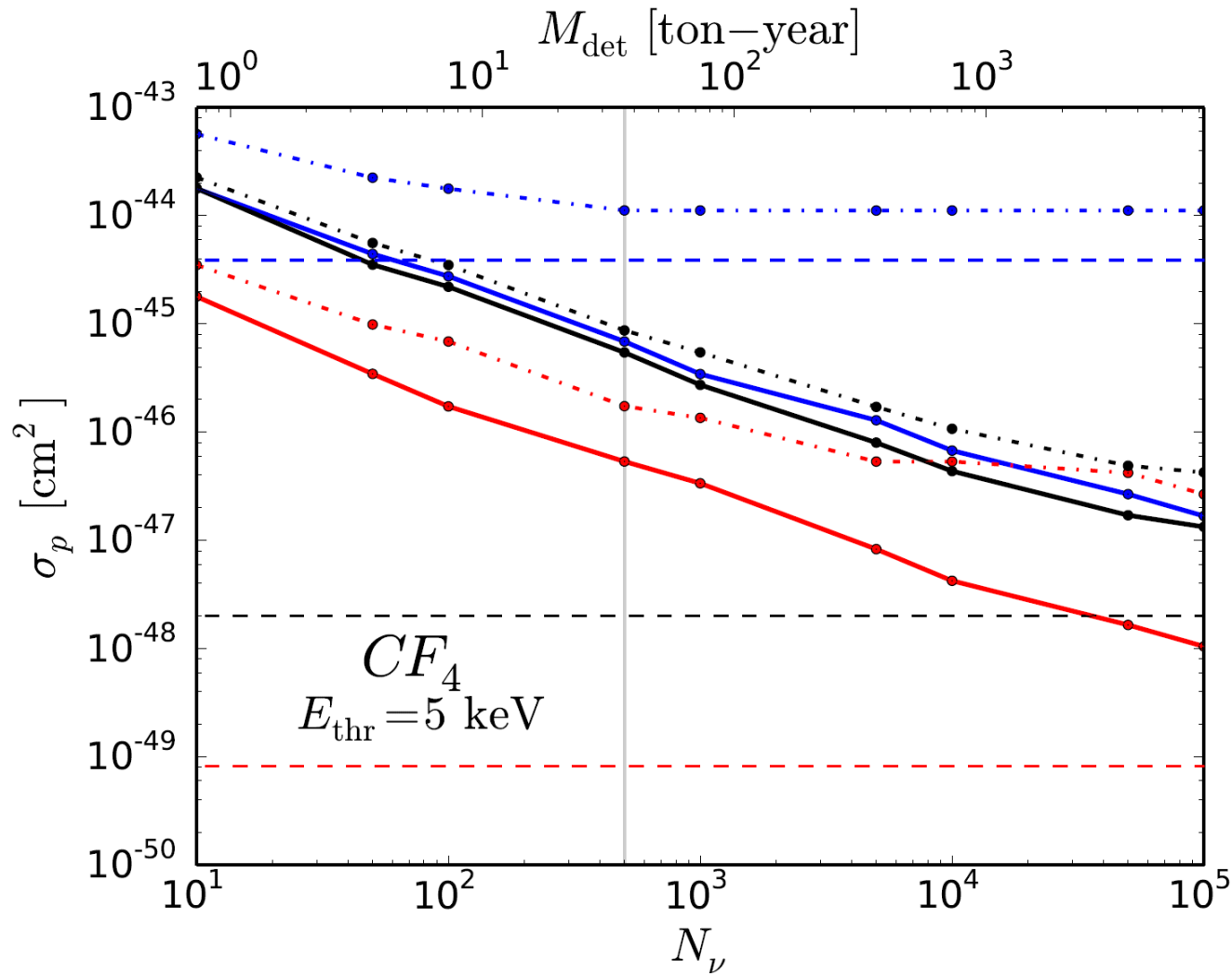


The normalised background only distribution  $p_B(Q_B)$  (blue) and signal plus background distribution  $p_{SB}(Q_{SB})$  (red) including angular information (top) and excluding angular information (bottom) for  $s=10$  and  $b=500$  for a 6 GeV dark matter particle in a  $\text{CF}_4$  detector.

## Various Effects, some of which compete with each other:-

- For Low mass DM, only fastest moving particles will give a signal, so that points right back to Cygnus, easy to discriminate from the Sun
- High mass DM can give a signal for DM coming from all directions so directionality less important, but it has an energy spectrum quite different from solar neutrinos
- Higher energy recoil tracks have a much better directional angle reconstruction

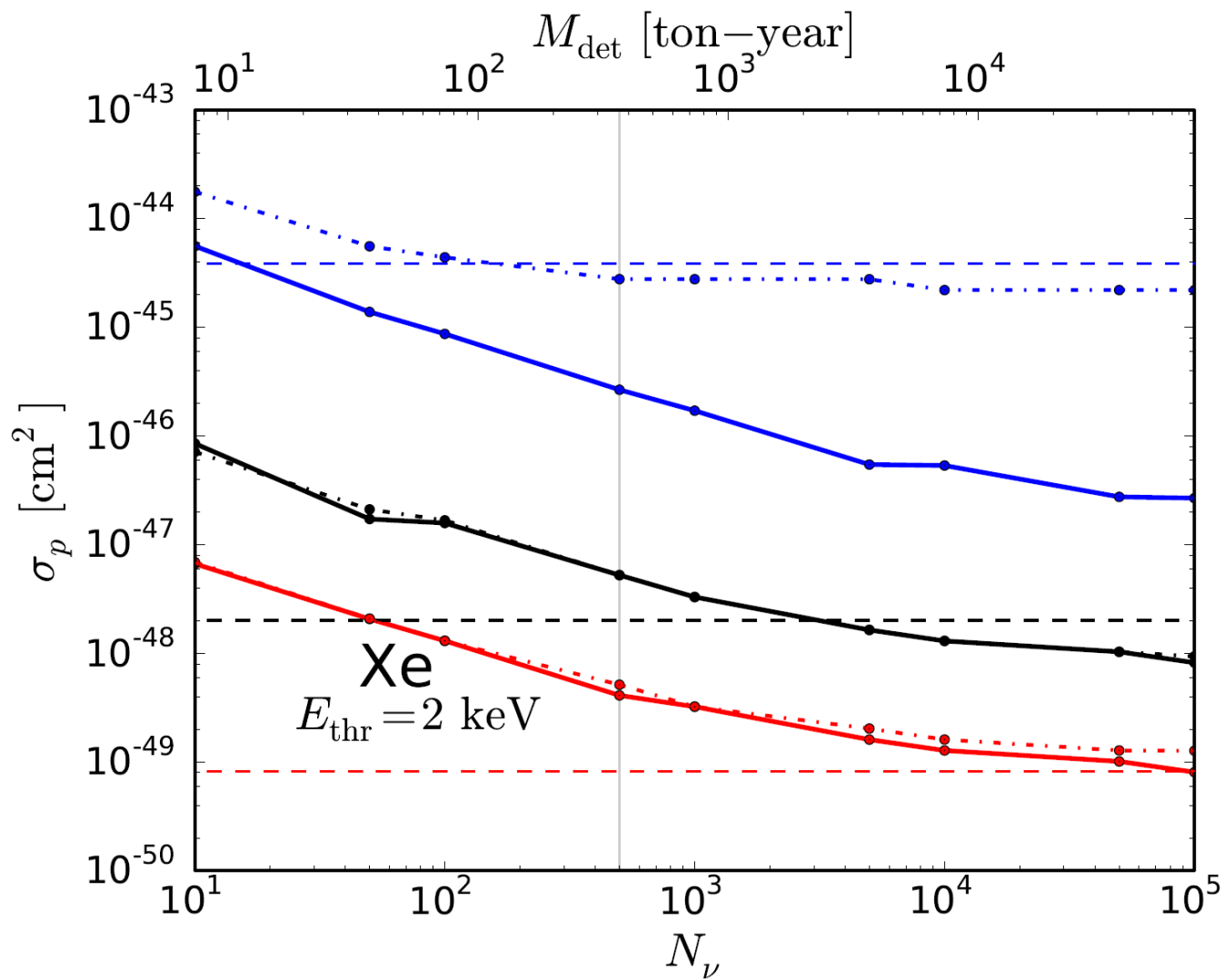
# How far can we push things?



Horizontal Dashed lines are naïve neutrino barrier. Dot dash is without directional, solid with directional.

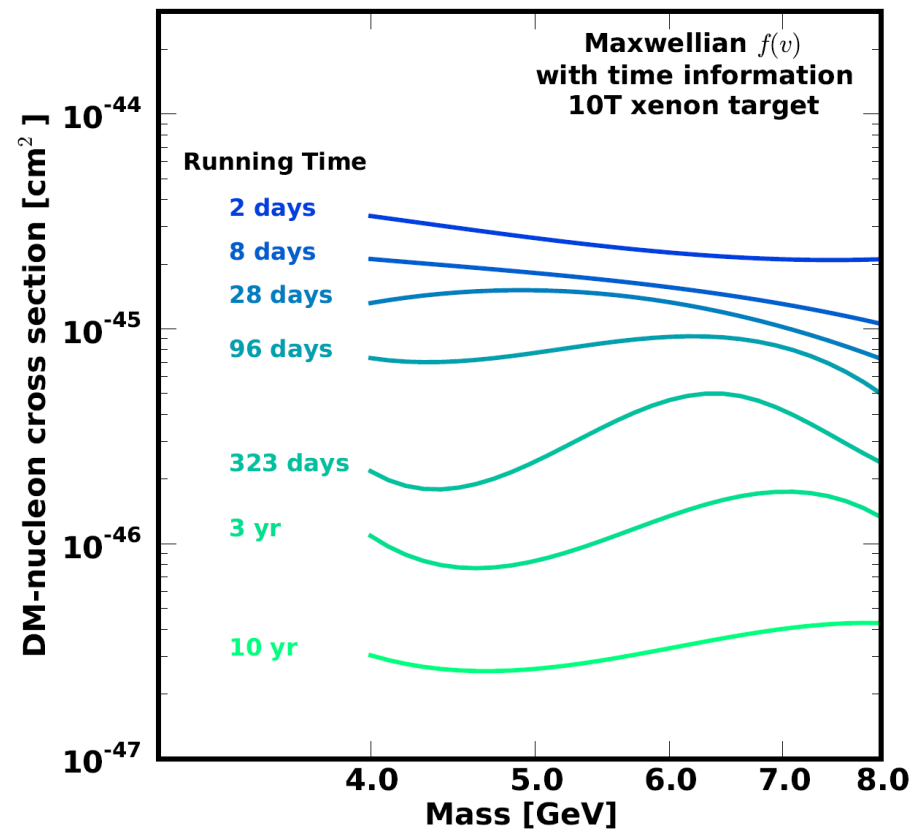
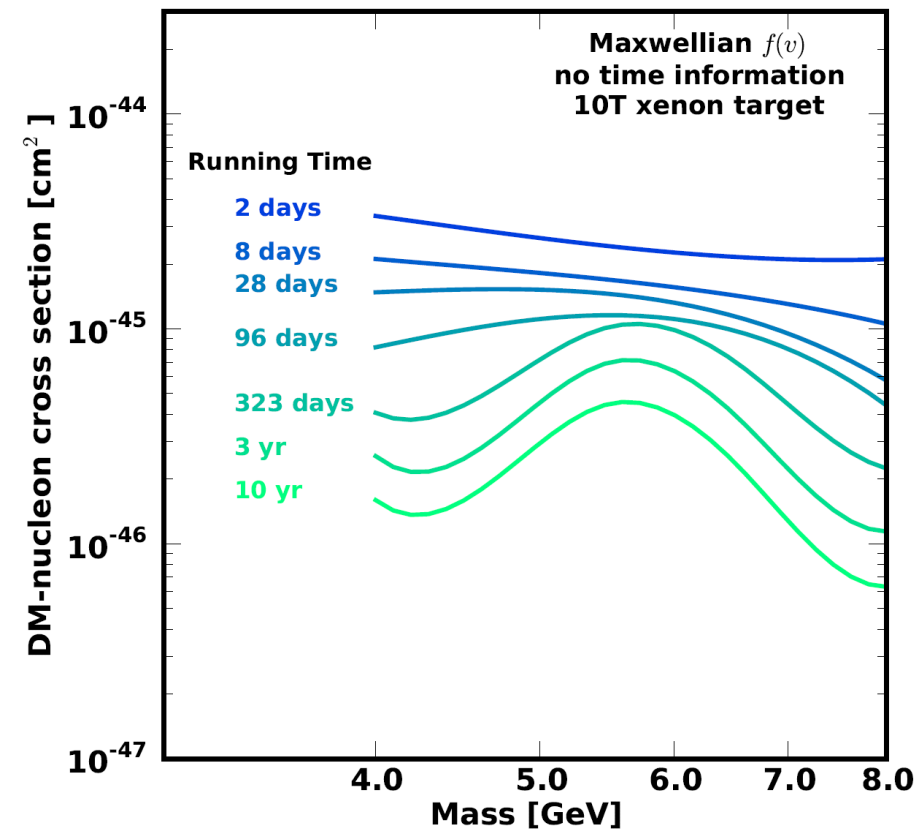
Ultimately, this depends on how well we know the neutrino background

# Same thing for imaginary Xenon Directional Detector

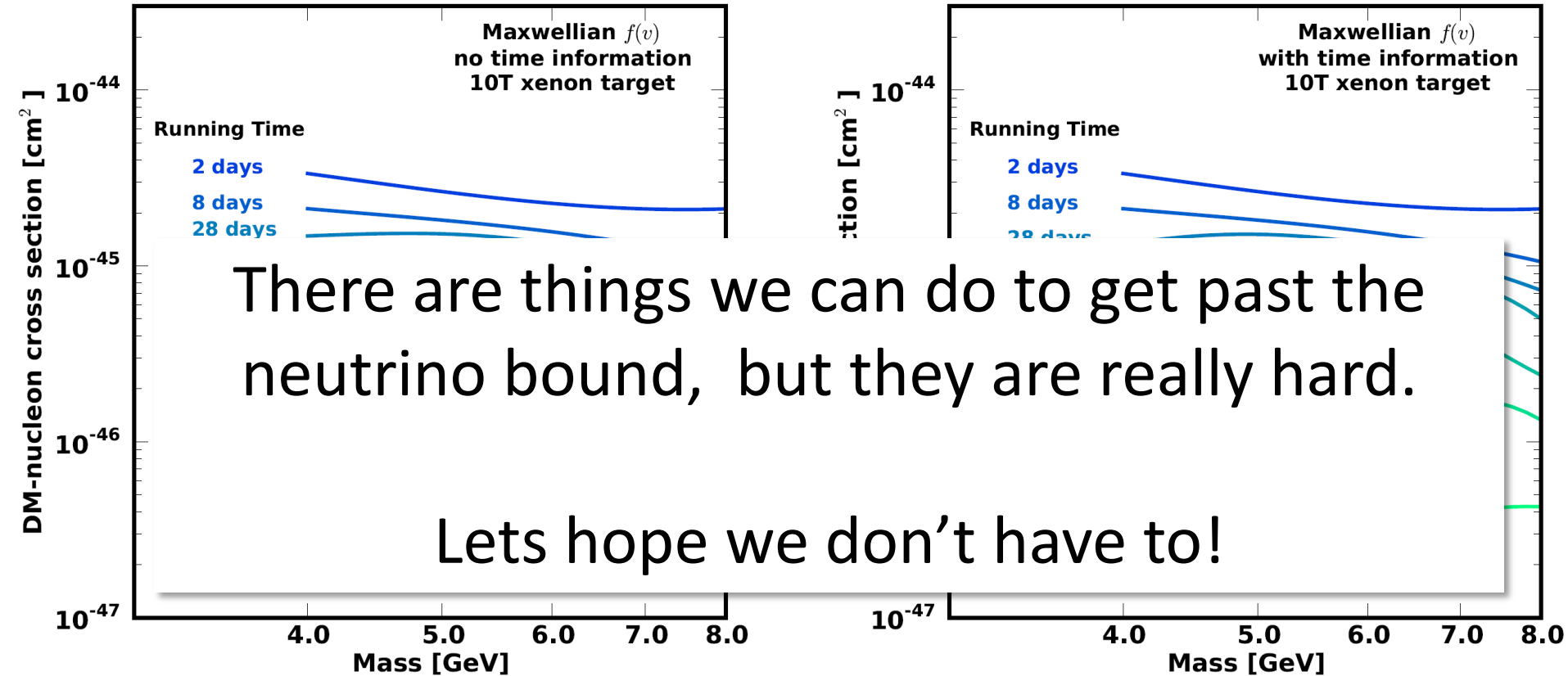




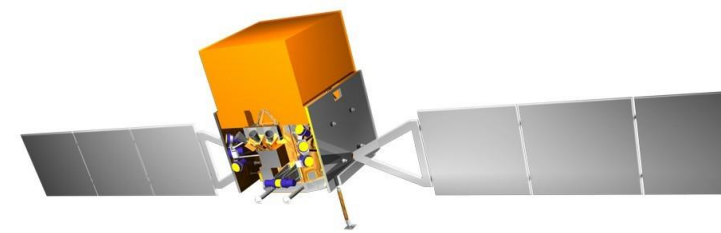
## Effect of Time resolution on the 6 GeV case



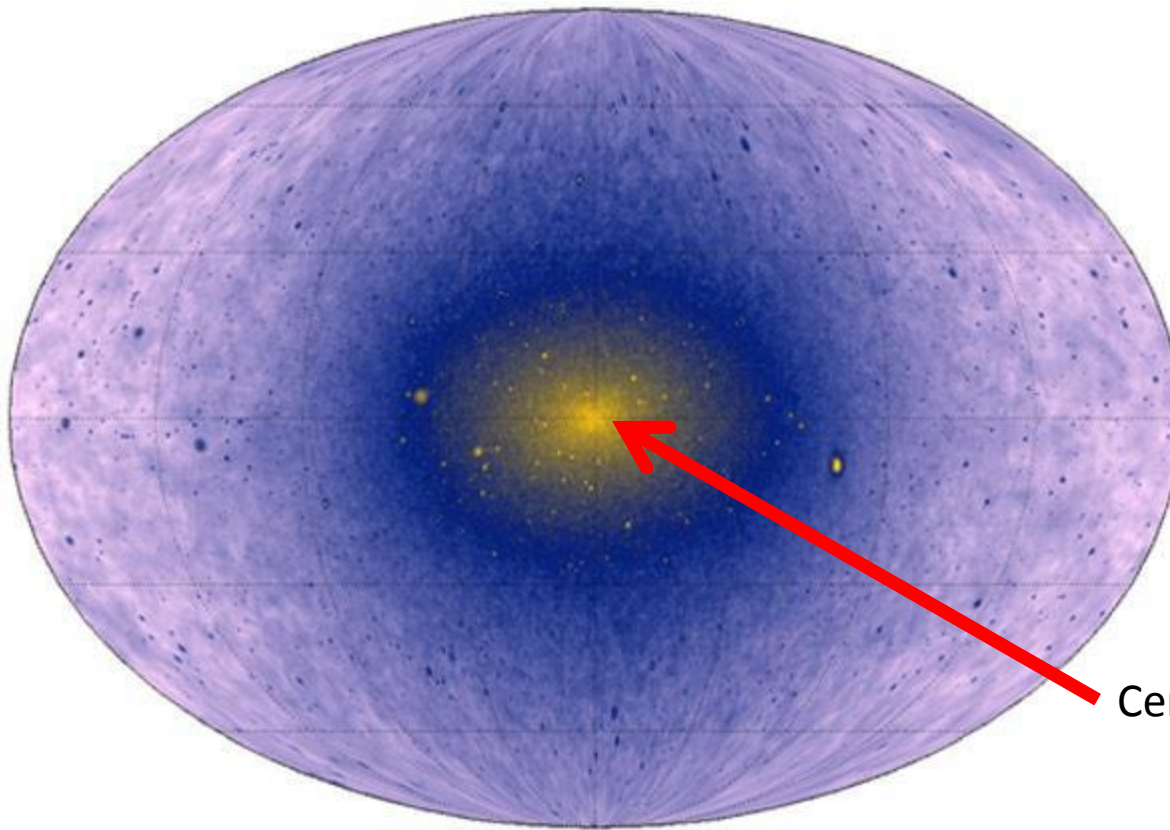
## Effect of Time resolution on the 6 GeV case



# Can try to detect annihilation of dark matter with itself at Galactic Centre

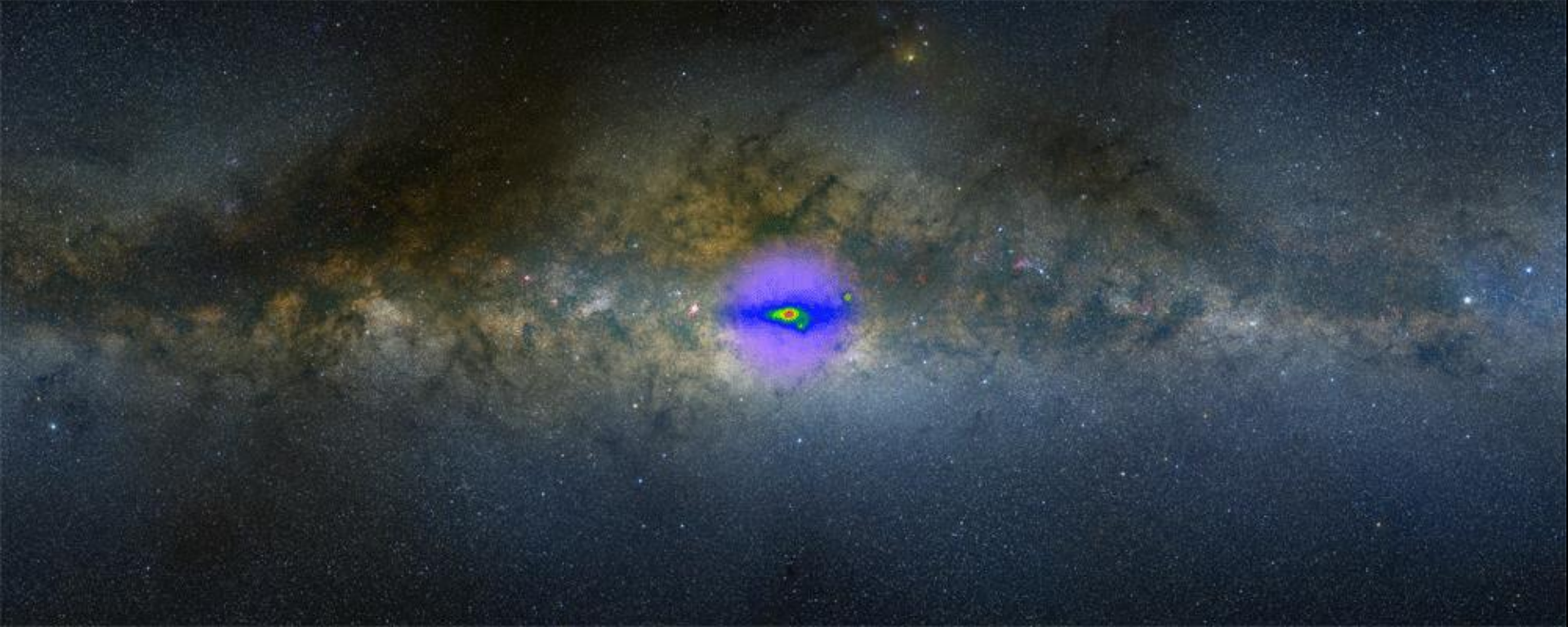


FERMI – gamma ray telescope  
Launched!



Centre of the milky way

Simulated map of gamma rays from dark matter annihilation seen by GLAST telescope



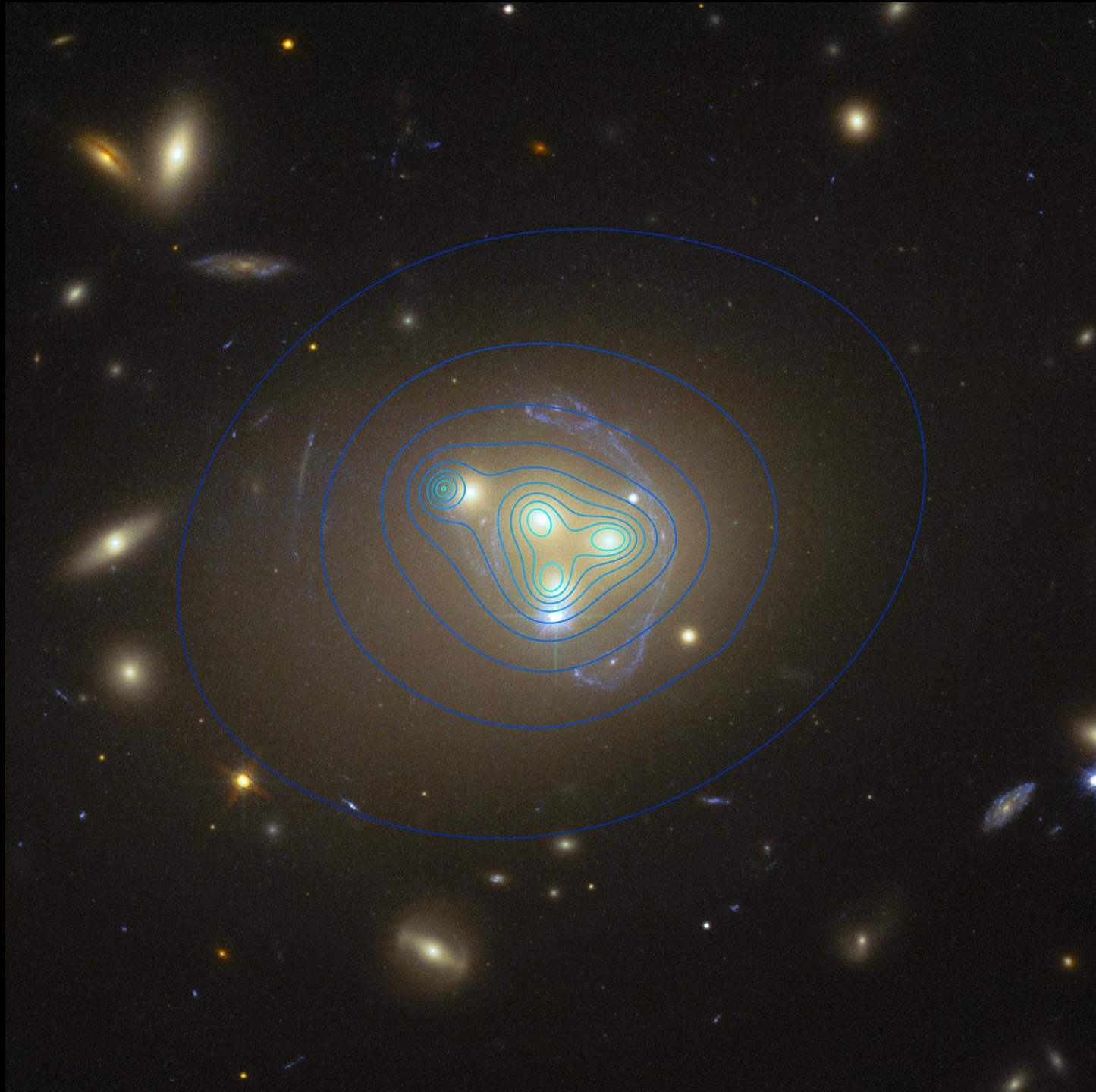
- Galactic Centre Excess detected by Fermi Gamma Ray Telescope
- Consistent with 30 GeV DM annihilating into b quarks
- Approximately right density profile, annihilation cross section
- May also be consistent with Millisecond pulsars
- Next Fermi data release may clarify the situation
- May require instrument with better angular resolution (Pangu?)



4 large elliptical  
Galaxies at the  
centre of Cluster  
Abell 4827

Mass appears  
displaced from  
galaxy

Could be a signal of  
dark matter self  
interaction – dark  
matter pressure...



# Conclusions

Ongoing Searches for dark matter.

No completely convincing evidence so far.

Devices are in place and running / will start in the next years, LHC, LUX, SuperCDMS, Xenon 1T, LZ, Fermi, CTA - critical next period.

Neutrino bound will shape future of direct detection.

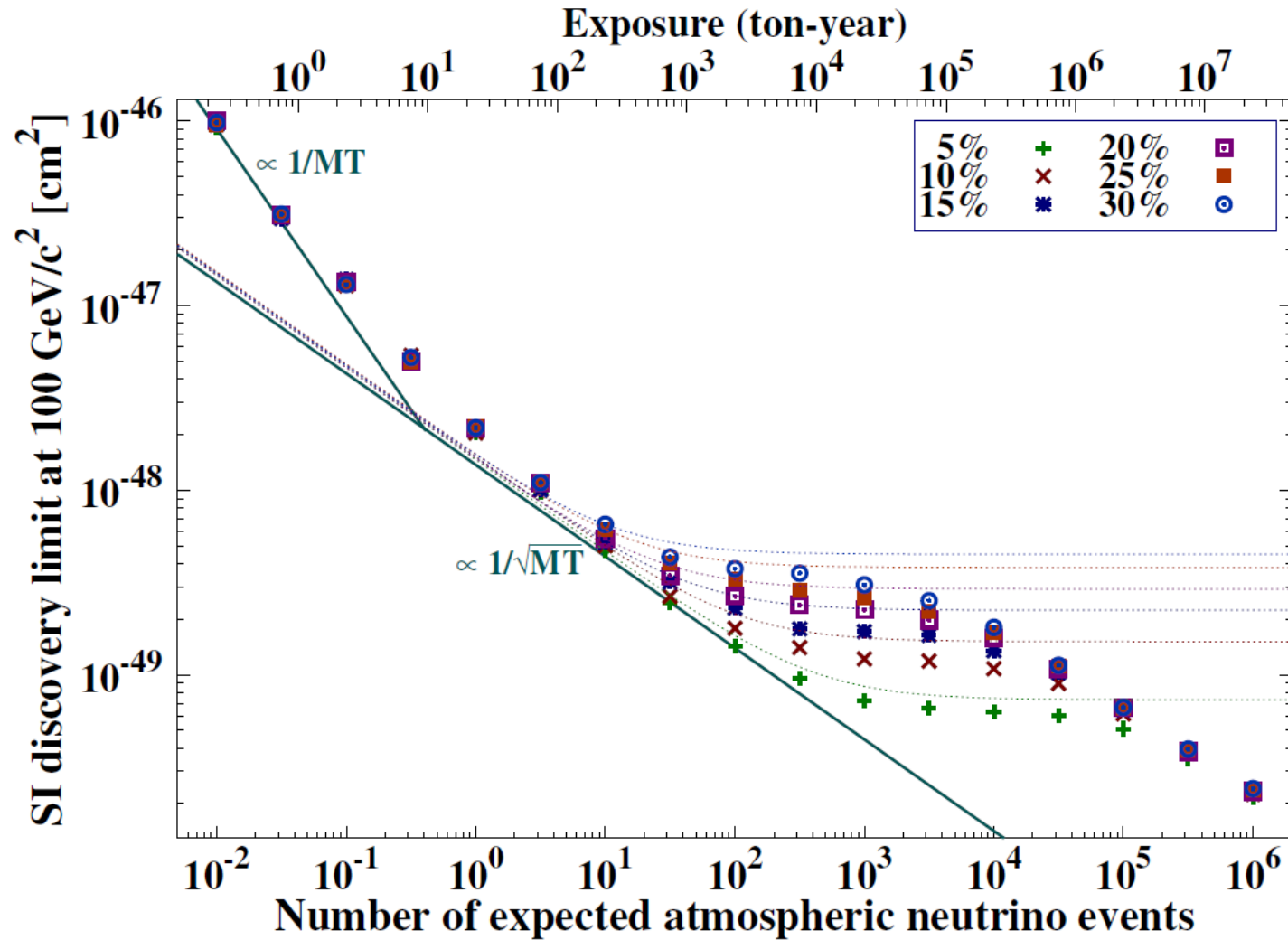
**ADDITIONAL MATERIAL**

## Future Prospects for understanding background

- Solar flux in our range of interest dominated by B-8 and He-p neutrinos – depends sensitively upon iron abundance in core of Sun, abundance problem
- SNO+ will measure B-8 and Be-7 neutrinos which will hopefully tie this down.
- Longer term Hyperkamiokande would detect hundreds of B-8 neutrinos per day and test for time variation!
- Possible upgrade of Superkamiokande with Gadolinium will increase discrimination and should make it capable of detecting the Diffuse supernova and atmospheric neutrinos
- A supernova might go off! Would be very useful. Please lobby your local deity.
- Studies of geomagnetic field, solar wind and nuclear propagation models will all reduce uncertainties in atmospheric neutrinos.



For example, this is the effect of reducing error on Atmospheric neutrino flux



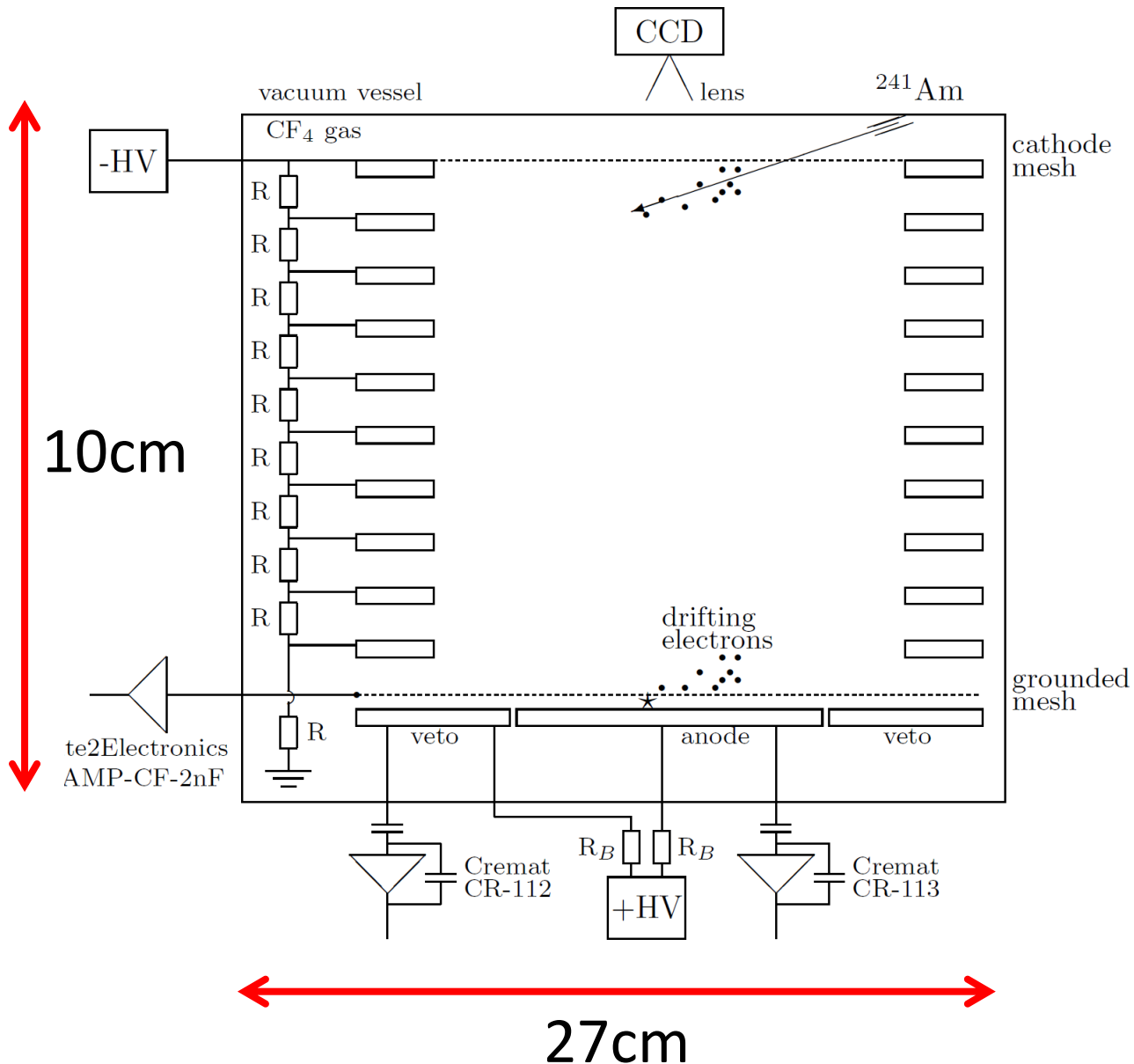
# Current Experimental Status of Directional Detection

Essentially still in R & D phase, detectors with directional sensitivity not yet competitive

Small prototypes have demonstrated energy thresholds of a few keV

at higher thresholds (50 keV-100keV) have demonstrated angular resolution of 30-55 degrees

# Current Experimental Status of Direct Detection



DMTPC experiment  
(for example)

50 Torr pressure  $\text{CF}_4$

Camera images tracks

Electronics veto electrons

See e.g. [arXiv:1301.5685](https://arxiv.org/abs/1301.5685)

TINY experiment,  
Only a few grams for now!

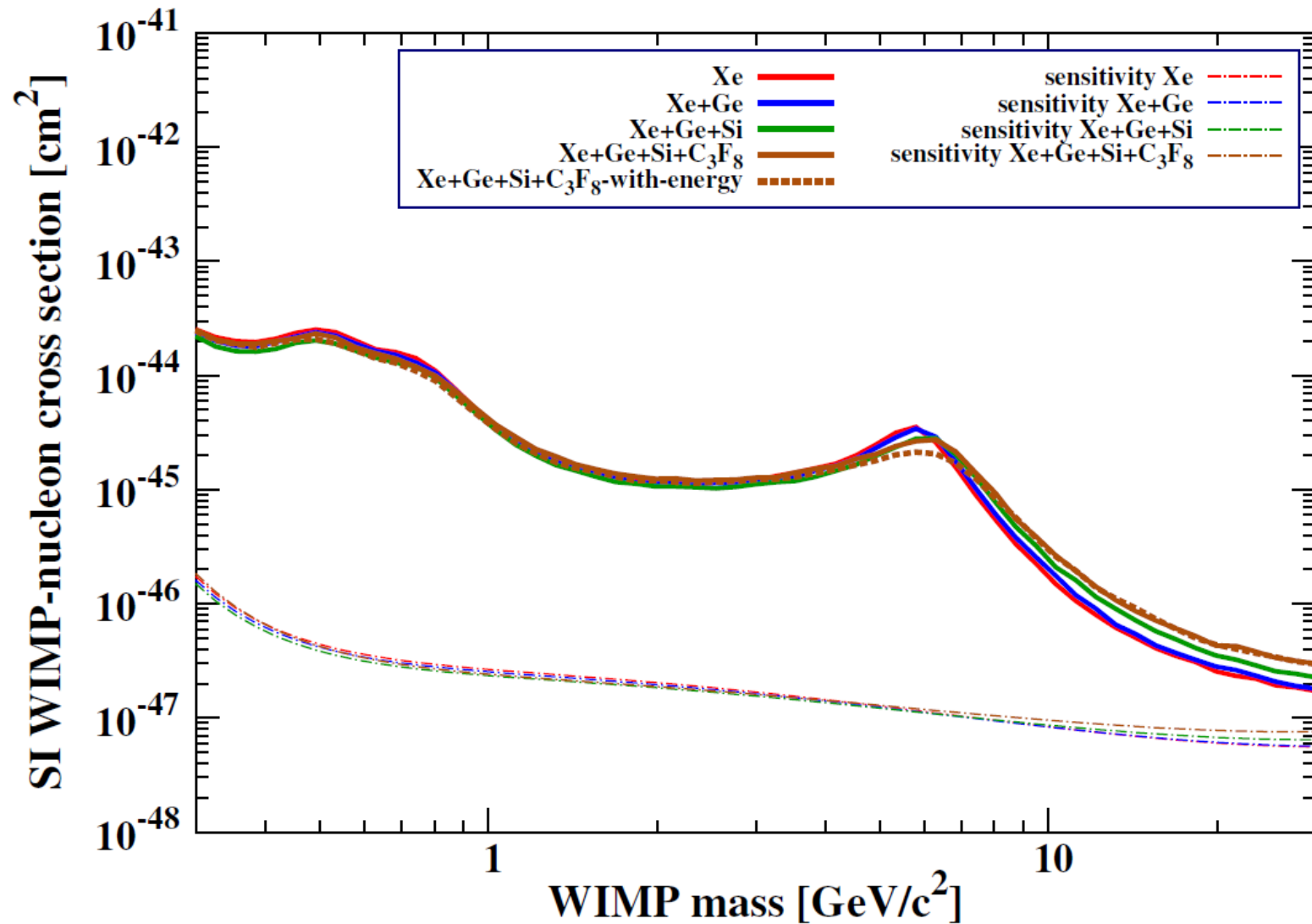
## Simplified Model Lagrangian – Dijet analysis

1. Choose mass close to resonance and some couplings
2. Obtain relic abundance (using full expression not velocity expansion)
3. Test for relic abundance, see if its within Planck errors (if not goto 1)
4. Use Madgraph and Pythia to generate events with at least 2 jets with  $p_T > 30$  GeV and  $|\eta| < 2.5$
5. Use Fastjet to form outgoing jets using trigger parameters from CMS analysis  $m_{jj} > 890$  GeV and  $|\eta_{jj}| < 1.3$
6. Look for constraints based upon  $300 \text{ fb}^{-1}$  at 14 TeV assuming similar signal to background ratio to run 1

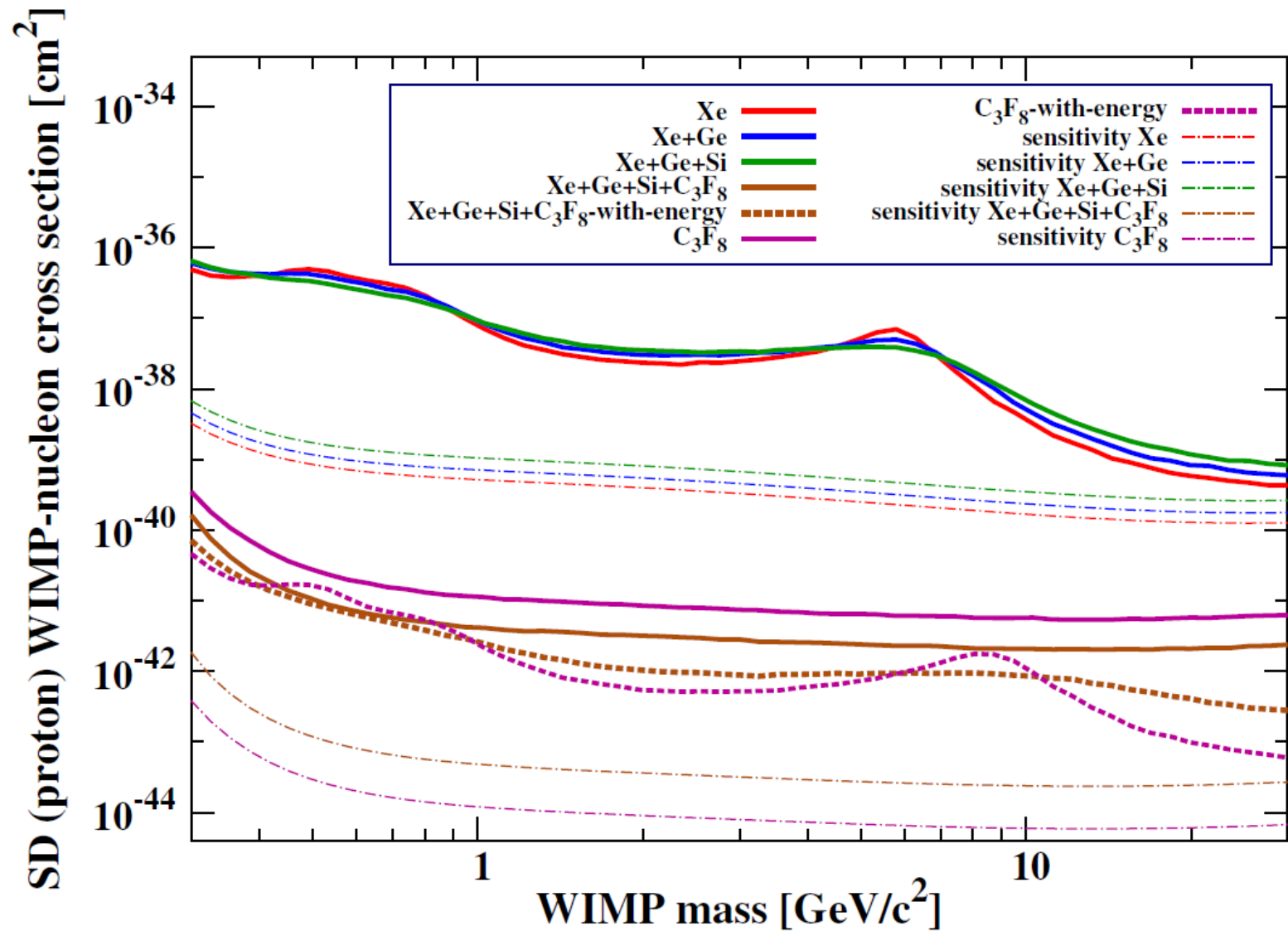
We respect  $\Gamma_{A'} < 0.15 m_{A'}$  to allow events to be studied in context of CMS narrow dijet search :-

CMS-PAS-EXO-12-059

Combining different targets not particularly effective for Spin Independent Searches...



...but more interesting for Spin Dependent Searches



# The Phenomenology of the Extra Scalar Field

Two mass eigenstates:-

$$h_1 = \sin \alpha \, s + \cos \alpha \, h$$

$$h_2 = \cos \alpha \, s - \sin \alpha \, h$$

Effective branching ratio of  $h_1 \rightarrow 2h_2$ ,  $\bar{\psi}\psi$  needs to be calculated. Introduce parameter

$$\mu = \cos^2 \alpha (1 - BR_{BSM}^1) \mu_{SM} = a'^2 \mu_{SM}$$

Then current constraints are  $a' > 0.9$

Likewise can look at coupling of  $h_2$  to the standard model. Signal strength is

$$\mu = \sin^2 \alpha (1 - BR_{BSM}^2) \mu_{SM} = b'^2 \mu_{SM}$$

and  $b'^2 \lesssim 0.1$  for  $\lesssim 400$  GeV, this latter constraint dropping rapidly as the mass increases

$$\tan \alpha = \frac{x}{1 + \sqrt{1 + x^2}}$$

$$x = \frac{2m_{sh}^2}{m_h^2 - m_s^2}$$

$$m_{sh}^2 = \left. \frac{\partial^2 V}{\partial h \partial s} \right|_{(v,w)}$$

For LHC constraints,  
Ellis and You 2013  
Falkowski, Riva and  
Urbano 2013  
CMS 1304.0213

# Statistics

$$\tilde{Q} = \frac{\frac{e^{-(s+b)} (s+b)^n}{n!}}{\frac{e^{-b} b^n}{n!}} \frac{\prod_{j=1}^n \frac{s S_t(t_j) + b B_t(t_j)}{s+b} \frac{s S_{\theta,E}(\theta_j, E_j) + b B_{\theta,E}(\theta_j, E_j)}{s+b}}{\prod_{j=1}^n B_t(t_j) B_{\theta,E}(\theta_j, E_j)}$$

$$Q = -2 \log \tilde{Q}$$

1. Calculate expected number of  $\nu$  events then generate  $n_1$  events using Poisson
2. Choose dark matter mass and cross section and generate  $n_2$  dark matter events
3. Generate  $Q_B$  for  $n_1$   $\nu$  events and  $Q_{SB}$  for  $n_1+n_2$   $\nu$ +DM events, then

$$\beta_{SB} = \int_{-\infty}^q P_{Q_{SB}}(Q_{SB}) dQ_{SB}$$

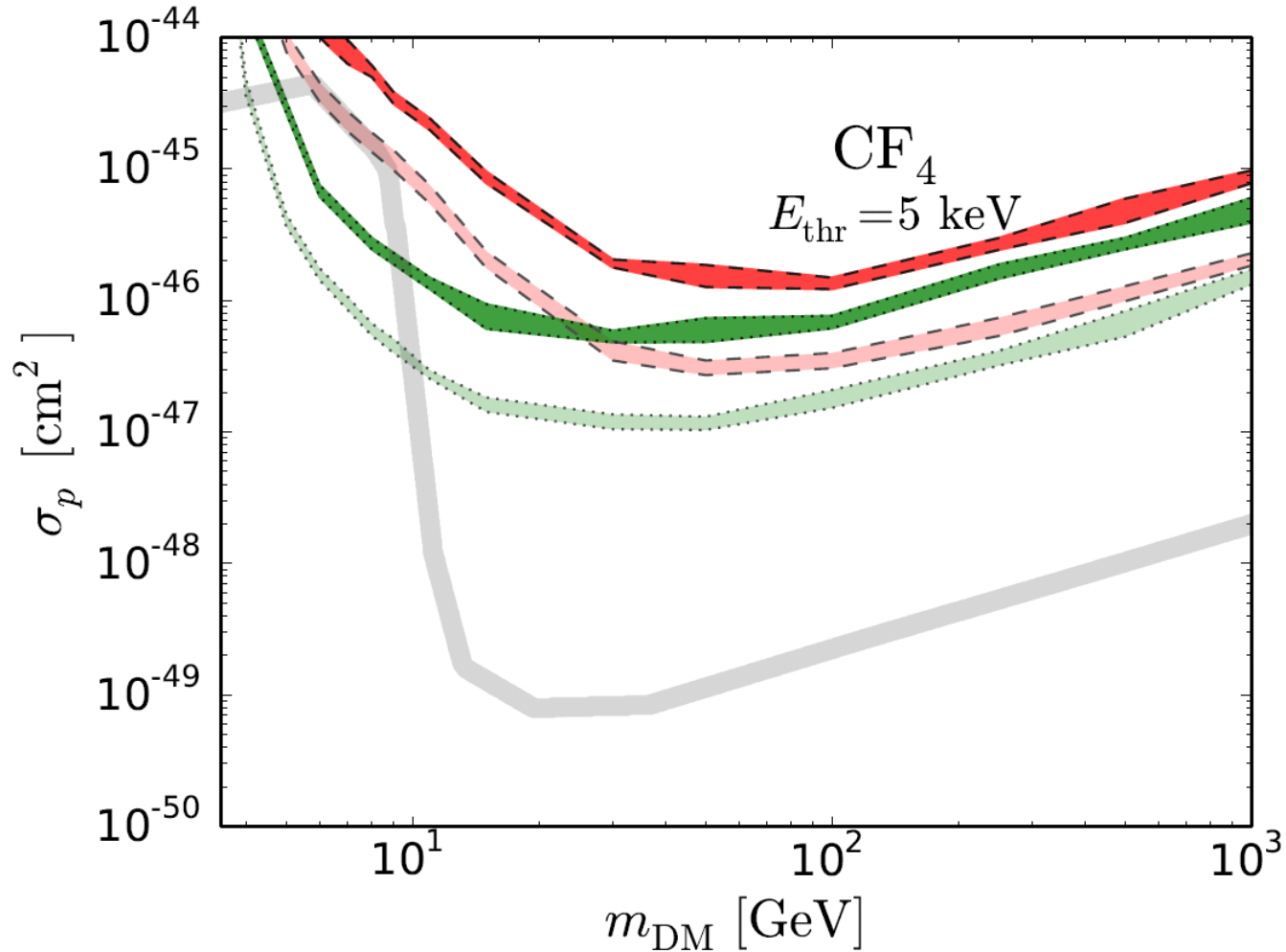
$$\beta_B = \int_{-\infty}^q P_{Q_B}(Q_B) dQ_B$$

4. Choose integral limit  $q$  such that  $1 - \beta_{SB} = \beta_B = \alpha$

where  $\alpha$  is your desired exclusion probability.



## Results (in comic sans)

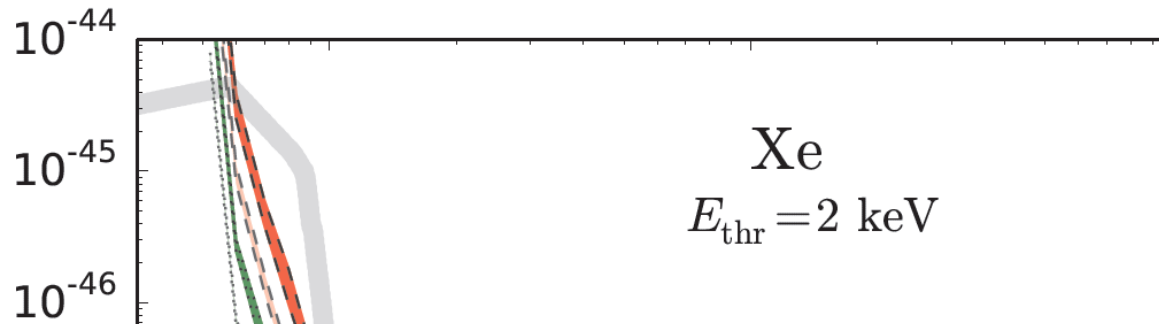


36 ton years of  $\text{CF}_4$  (500 neutrino events)

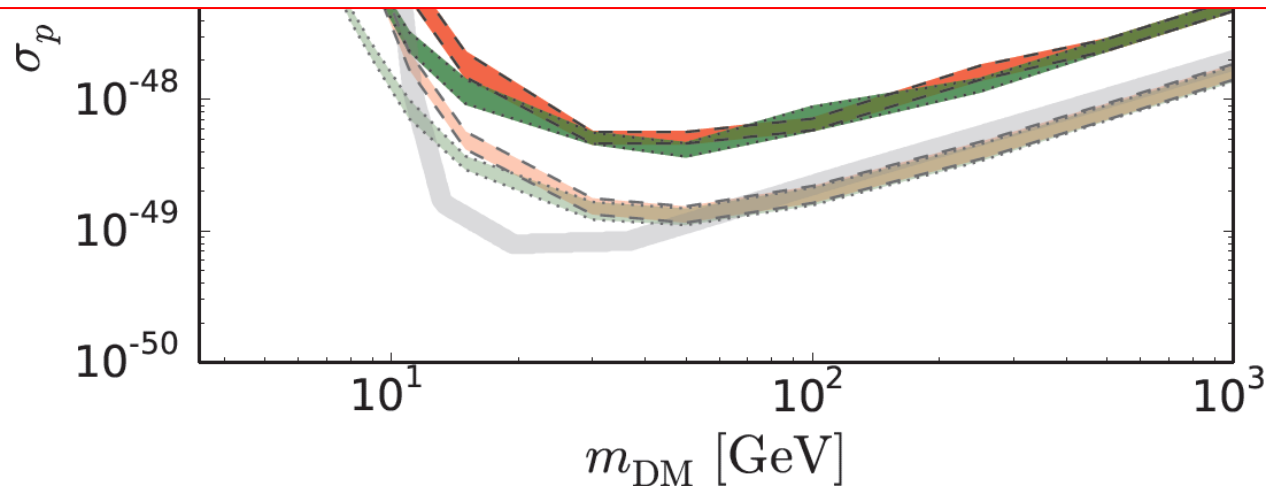
Energy threshold = 5 keV

Green is with directional dependence, red without.

# Results



NOTE THIS IS ALL THE XENON. ALL OF IT.



367 ton years of Xe (500 neutrino events)

Energy threshold = 2 keV

Green is with directional dependence, red without.

# Some fun facts about Xenon (mostly from Wikipedia)



- Makes up 0.1 ppm of air -  $10^{12}$  tons in total
- Costs about \$3 per gram
- Only about 36 tons obtained per year
- Increased demand might actually lower the cost (that was the one that didn't come from wikipedia)
- Xenon is used as a general anaesthetic
- Ultraviolet laser
- Fluoresces with same colour as noon day sun
- Photographic Flash Tube
- Protects against brain and cardio damage when blood supply compromised
- Couldn't tell from Wikipedia if it gets you high

# Philosophy

- Understand and quantify problem of neutrino background
- Estimate the size of detectors required to fight the problem
- Throw ideas around
- Can we come up with ideas for viable detectors? (not yet)

**YES**



OK, should we build them?

**NO**



OK, end of direct detection.