



EDM measurements – with storage rings –

Gerco Onderwater
VSI, University of Groningen
the Netherlands

Solvay Workshop 'Beyond the Standard model with Neutrinos and Nuclear Physics' 2017



university of
 groningen

Outline

- ▶ **Motivation**
- ▶ **EDM landscape**
- ▶ **Current & future limits**
- ▶ **Impact on & of experiments**
- ▶ **Summary & outlook**



Motivation

CP/T Violation

Direct measurements

K, B, D

Cosmology (WMAP)

Cosmological matter-antimatter asymmetry

explainable with e.g. Sakharov conditions

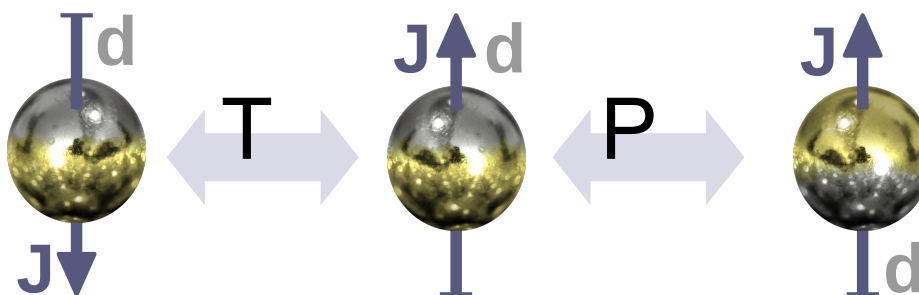
\neq

- ▶ Baryon number violation
- ▶ C & CP violation
- ▶ Thermal non-equilibrium

δ_{CKM} from K- and B-physics

Precision Searches

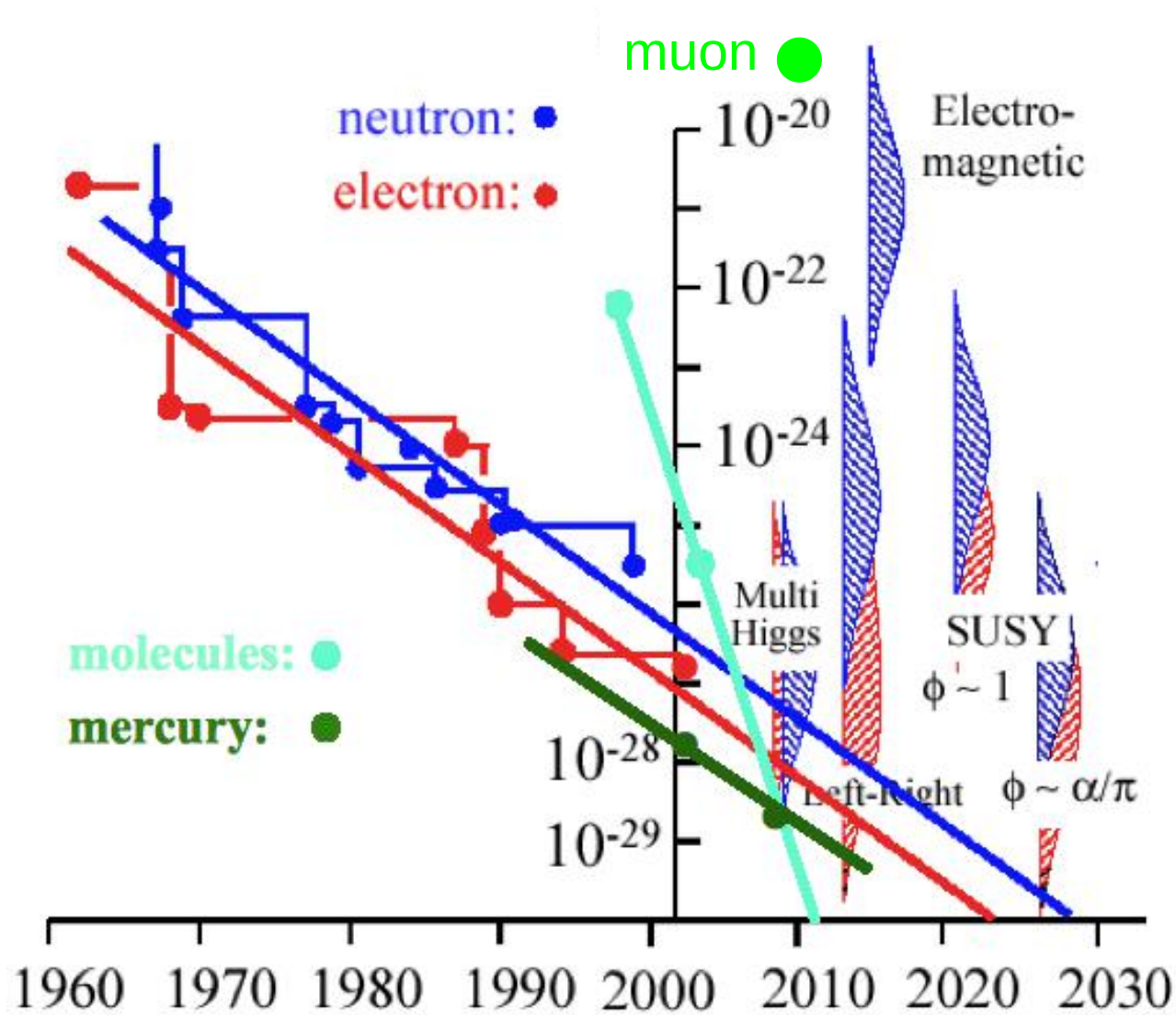
- ▶ Correlations in β -decay
- ▶ Electric dipole moments



SM predicts EMDs beyond experimental reach

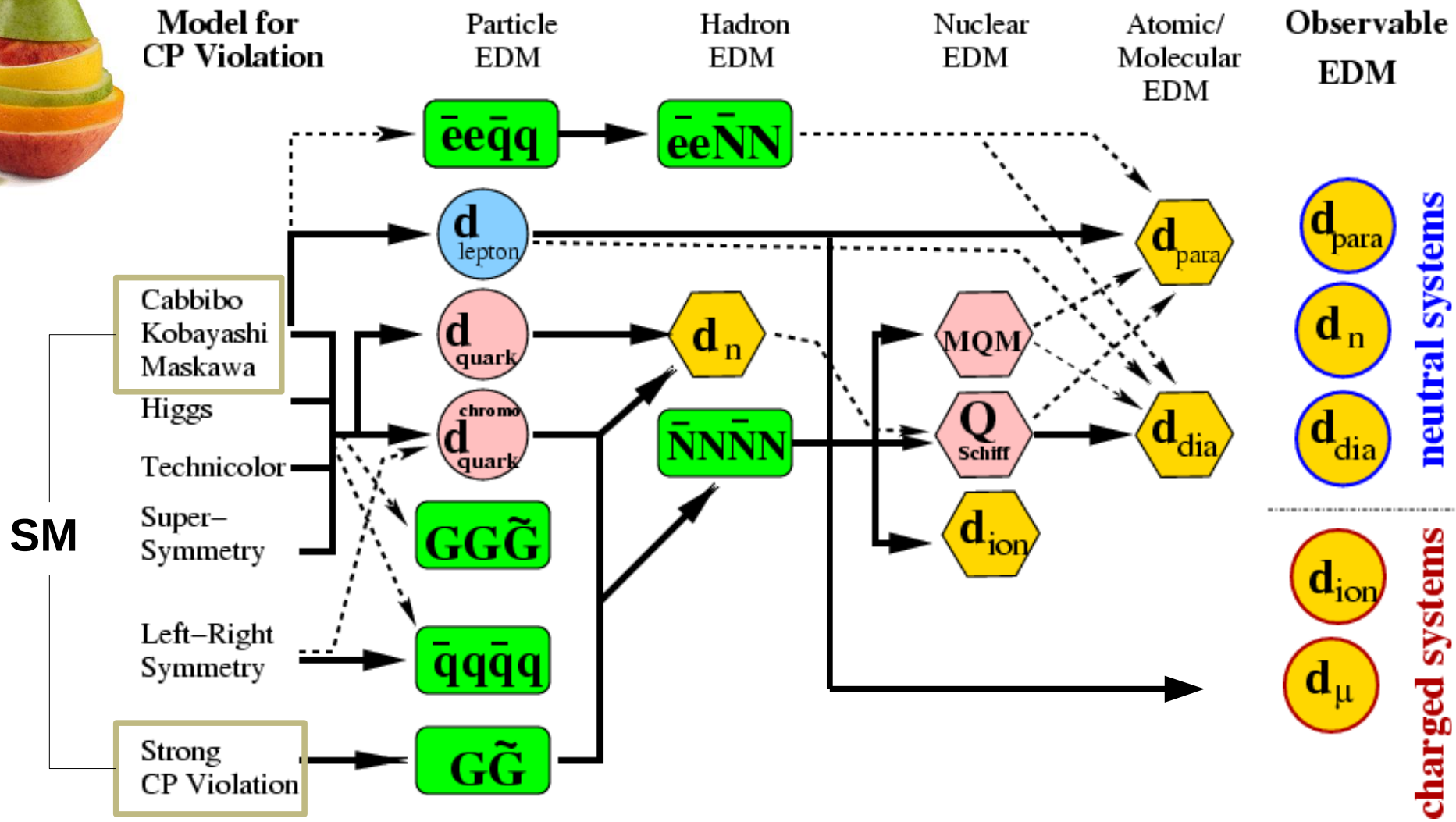
↳ EDMs are sensitive probe for new physics

EDM limits



First non-zero EDM is a major discovery!!!

From theory to observable ... and back



Picture from K. Jungmann

Current EDM limits

	Limit [e-cm] 90%CL	System
n	2.9×10^{-26}	UCN
^{199}Hg	6.3×10^{-30}	vapor
↳ p	2.0×10^{-25}	 Assuming all others zero
↳ n	1.2×10^{-26}	
↳ e	6.0×10^{-28}	
TIF	5.5×10^{-23}	molecular beam
↳ p	1.2×10^{-22}	
↳ e	6.7×10^{-25}	
^{129}Xe	5.5×10^{-27}	maser (adj. $\chi^2=1.35$)
^{205}Tl	9.4×10^{-25}	atomic beam
↳ e	1.6×10^{-27}	
YbF	???	molecular beam
↳ e	1.1×10^{-27}	
μ	1.8×10^{-19}	rest frame E-field
D	$\sim 10^{-15}$	Deuterium 1S-2S

Why probe (light) nuclei?

Nuclear EDMs from constituents and CPV NN-interaction

$$d_{nucl} = d_n \oplus d_p \oplus d_{\pi NN}$$

n, p, ^2H , ^3H , ^3He , ..., ^{129}Xe , ..., ^{199}Hg , ...

CPV one boson exchange

Liu, Timmermans, et al.

EDM operator long range
 ↓
 one-pion exchange dominates

- EDM in terms of P-odd/T-odd NN interaction:

$$d_{nucl} = g_{\pi NN} \left[a_0 g_{CP}^{I=0} + a_1 g_{CP}^{I=1} + a_2 g_{CP}^{I=2} \right] + [\eta] + [\rho] + [\omega]$$

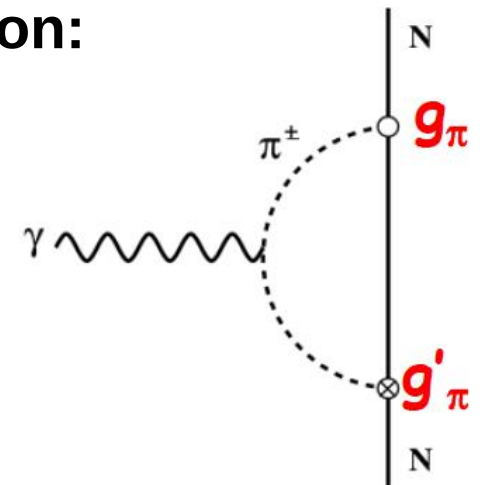
\uparrow ~ 14 \nwarrow nuclear structure \nearrow

- Schiff moment in terms of P-odd/T-odd NN interaction:

$$S_{nucl} = g_{\pi NN} \left[a_0 g_{CP}^{I=0} + a_1 g_{CP}^{I=1} + a_2 g_{CP}^{I=2} \right]$$

$$d_{atom} = \kappa_S S_{nucl} + \eta_e d_e + (k_T C_T + k_S C_S)$$

\nwarrow atomic structure \nearrow diamagnetic



Complementarity

► Coefficients for light nuclei & heavy atoms

	$g_{\pi NN} a_0$	$g_{\pi NN} a_1$	$g_{\pi NN} a_2$	
nuclei	n	0.14	0.00	-0.14
	p	-0.05	0.03	0.14
	D	0.09	0.23	0.00
	^3He	0.34	0.32	0.38
atoms	$^{129}\text{Xe}^*$	6×10^{-5}	6×10^{-5}	12×10^{-5}
	$^{199}\text{Hg}^*$	-21×10^{-5}	11×10^{-5}	-22×10^{-5}
	$^{225}\text{Ra}^*$	-0.06	-0.12	0.11

Liu & Timmermans 2004
 Stetcu et al. 2008
 Ban et al. 2010
 Ginges & Flambaum 2004
 Dzuba et al. 2002
 Dzuba et al. 2009

(*) Use Schiff moments :
 $d(^{129}\text{Xe}) = +0.38 \times 10^{-17} \text{ (S/e}\cdot\text{fm}^3) \text{ e}\cdot\text{cm}$
 $d(^{199}\text{Hg}) = -2.6 \times 10^{-17} \text{ (S/e}\cdot\text{fm}^3) \text{ e}\cdot\text{cm}$
 $d(^{225}\text{Ra}) = -8.8 \times 10^{-17} \text{ (S/e}\cdot\text{fm}^3) \text{ e}\cdot\text{cm}$

$\nabla(\vec{a}, \vec{b})$

	<i>p</i>	<i>d</i>	<i>He</i>	<i>Xe</i>	<i>Hg</i>	<i>Ra</i>
<i>n</i>	152	75	93	108	89	134
<i>p</i>		86	60	46	110	56
<i>d</i>			45	58	85	140
<i>He</i>				16	128	100
<i>Xe</i>					133	85
<i>Hg</i>						116

pairwise
 ~orthogonal!

Looking (a little) deeper

- ▶ QCD CPV :

$$g_0 \approx 0.027\bar{\theta} \quad g_1 = g_2 = 0$$

- ▶ quark-chromo-EDMs:

$$g_0 \approx 4(\tilde{d}_u + \tilde{d}_d)g_1 \approx 20(\tilde{d}_u - \tilde{d}_d) \quad g_2 = 0$$

	d/\tilde{d}_d [e·fm]	d/\tilde{d}_u [e·fm]
n	0.56	0.56
p	-0.80	0.40
D	-4.2	5.0
³ He	-5.0	7.8
¹²⁹ Xe(*)	-1.0x10 ⁻³	1.4x10 ⁻³
¹⁹⁹ Hg(*)	-3.0x10 ⁻³	1.4x10 ⁻³
²²⁵ Ra(*)	2.2	-2.6

	$d/\bar{\theta}$ [e·zm]
n	3780
p	-1350
D	2430
³ He	9180
¹²⁹ Xe(*)	1.6
¹⁹⁹ Hg(*)	-5.7
²²⁵ Ra(*)	-1620

Neutron ~orthogonal
to ~everything

Reason : $a_1 = 0$

Others : $|a_0| \sim |a_1|$

See refs. prev. page

Limit on $g_{0,1,2}$

- ▶ Obtain $g_{0,1,2}$ limits from best EDM limits: n , ^{129}Xe & ^{199}Hg
- ▶ Assuming no further constraints, g 's are of the order of 10^{-10} (and of course strongly correlated)
- ▶ Resulting EDMs limits for p , D , ^3He of the order of 10^{-23} e·cm
- ▶ This is dominated by the “poor” Xe limit

Enormous window to have impact already with precursor experiments; p , D & ^3He all good!



Just measure any one!

Rob Timmermans



Generic EDM experiment

1. Prepare spin polarized ensemble
2. Interaction with electric field
3. Measure spin evolution

$$\frac{d\langle\vec{J}\rangle}{dt} = (\mu\vec{B} + d\vec{E}) \times \langle\hat{J}\rangle$$

Example:

$$d = 10^{-26} \text{ e} \cdot \text{cm}$$

$$E = 100 \text{ kV/cm}$$

$$J = \frac{1}{2}$$

$$\Omega = 150 \text{ } \mu\text{Hz}$$

$$(\Delta B \sim 5 \text{ pT})$$

Sensitivity

General expression for the uncertainty of an EDM experiment

$$\sigma_d \propto \frac{1}{P E \sqrt{N T A}}$$

N: number of particles in full experiment

P: initial polarization of sample

A: analyzing power of polarimeter

E: electric field strength in particle rest frame

T: characteristic time of single measurement

Work on:

- ▶ Strong source
- ▶ High polarization
- ▶ Efficient polarimeter
- ▶ High electric field strength
- ▶ Spin coherence, efficient storage

Equally important: understand systematic effects

Charged particles in an electric field

Bare nuclei

Charged particle accelerate and escape due to electric field

$$T \sim \sqrt{\frac{2mL}{qE}} \sim ns$$

Atomic nuclei

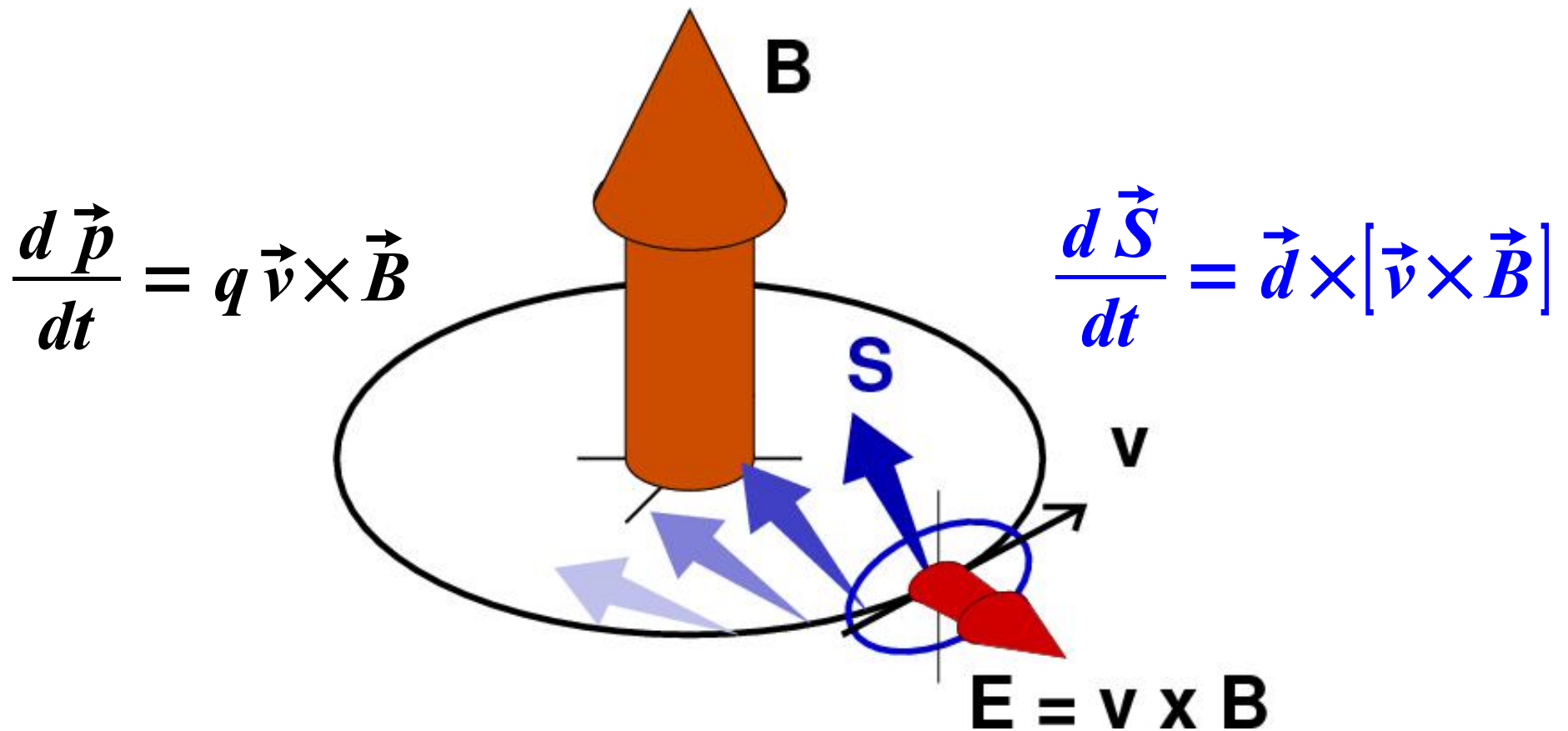
Charged constituent of a neutral system rearrange themselves to balance forces

$$d_{2H} \sim 10^{-7} d_D$$

Established techniques inadequate for charged particles

Solution: store relativistic particles in magnetic field
EDM interacts with motional electric field

Fast charged particles in a magnetic field



$$\vec{E}^{cm} = \vec{v} \times \vec{B} \text{ can be very large (GV/m)}$$

Spins in an electromagnetic field

$$\vec{\Omega} = \frac{e}{m} \left[a \vec{B} + \left(a - \frac{1}{\gamma^2 - 1} \right) \vec{v} \times \vec{E} + \frac{\eta}{2} \left(\vec{E} + \vec{v} \times \vec{B} \right) \right]$$

magnetic moment anomaly

EDM

parasitic

$$\mathbf{E}=0, \mathbf{B}=B_y$$

- (1) $\omega = \sqrt{a^2 + (\eta\beta)^2} / 4 B$
- (2) $\hat{\omega} \times \hat{B} = \eta\beta / 2 a$

electrostatic

$$\mathbf{B}=0, \mathbf{E}_r, 1/(\gamma^2 - 1) = a$$

- (1) $\langle \omega_\eta \rangle = \eta E / 2$
- (2) $\hat{\omega}_\eta = \hat{E}$

resonance

$$\mathbf{E}_z \approx E \cos(\Omega t)$$

- (1) $\langle \omega_\eta \rangle = \eta \Delta \beta B / 4$
- (2) $\langle \hat{\omega}_\eta \times \hat{B} \rangle = 1$

frozen spin

$$\mathbf{E}_r \approx a B c \beta \gamma^2$$

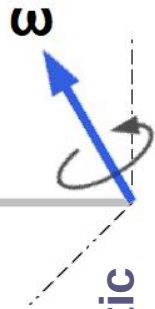
- (1) $\omega = \eta \beta B / 2$
- (2) $\hat{\omega} \times \hat{B} = 1$

Spins in an electromagnetic field

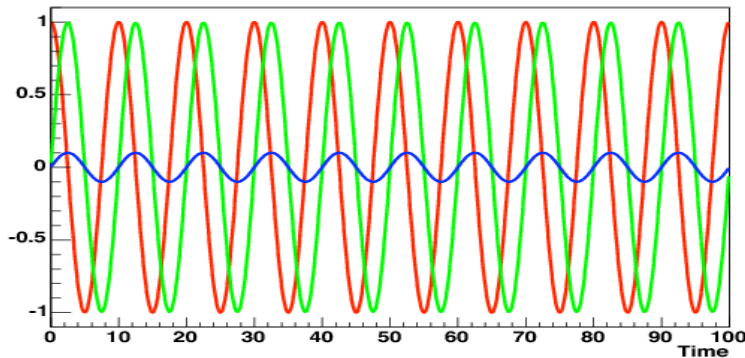
$$\vec{\Omega} = \frac{e}{m} \left[a \vec{B} + \left(a - \frac{1}{\gamma^2 - 1} \right) \vec{v} \times \vec{E} + \frac{\eta}{2} (\vec{E} + \vec{v} \times \vec{B}) \right]$$

magnetic moment anomaly

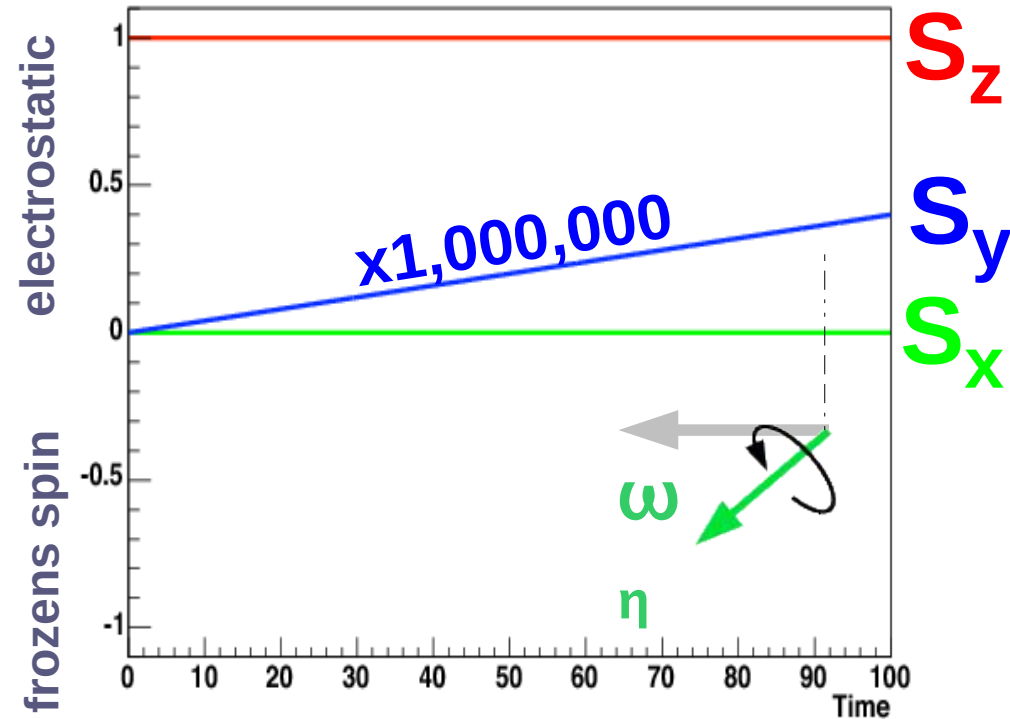
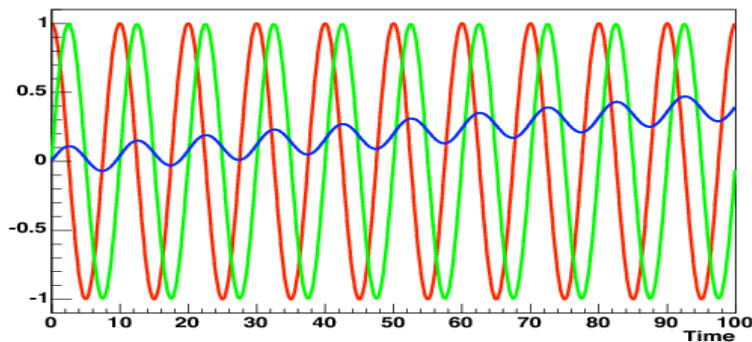
EDM



parasitic



resonance



In all cases : EDM in S_y , MDM in $S_{x,z}$

Frozen spin sensitivity

$$\xi = \frac{E + v \times B}{E} = \frac{a + 1}{a \gamma^2}$$

particle	μ/μ_N	a	$\xi\gamma^2$
μ	-8.891	0.001166	858
n	-1.913	-2.910	–
p	2.793	1.793	1.56
D	0.857	-0.143	-5.99
^3H	2.979	7.918	1.13
^3He	-2.128	-4.184	0.76

Additional requirements

- ▶ Polarizability
- ▶ Polarimetry
- ▶ Lifetime
- ▶ Intensity
- ▶ Competitive



Experiments In Preparation



Parasitic : muon g-2 @ FNAL

FNAL E969:

The New (g-2) Experiment:
Measure the Muon Anomalous
Magnetic Moment to 0.14 ppm
Precision

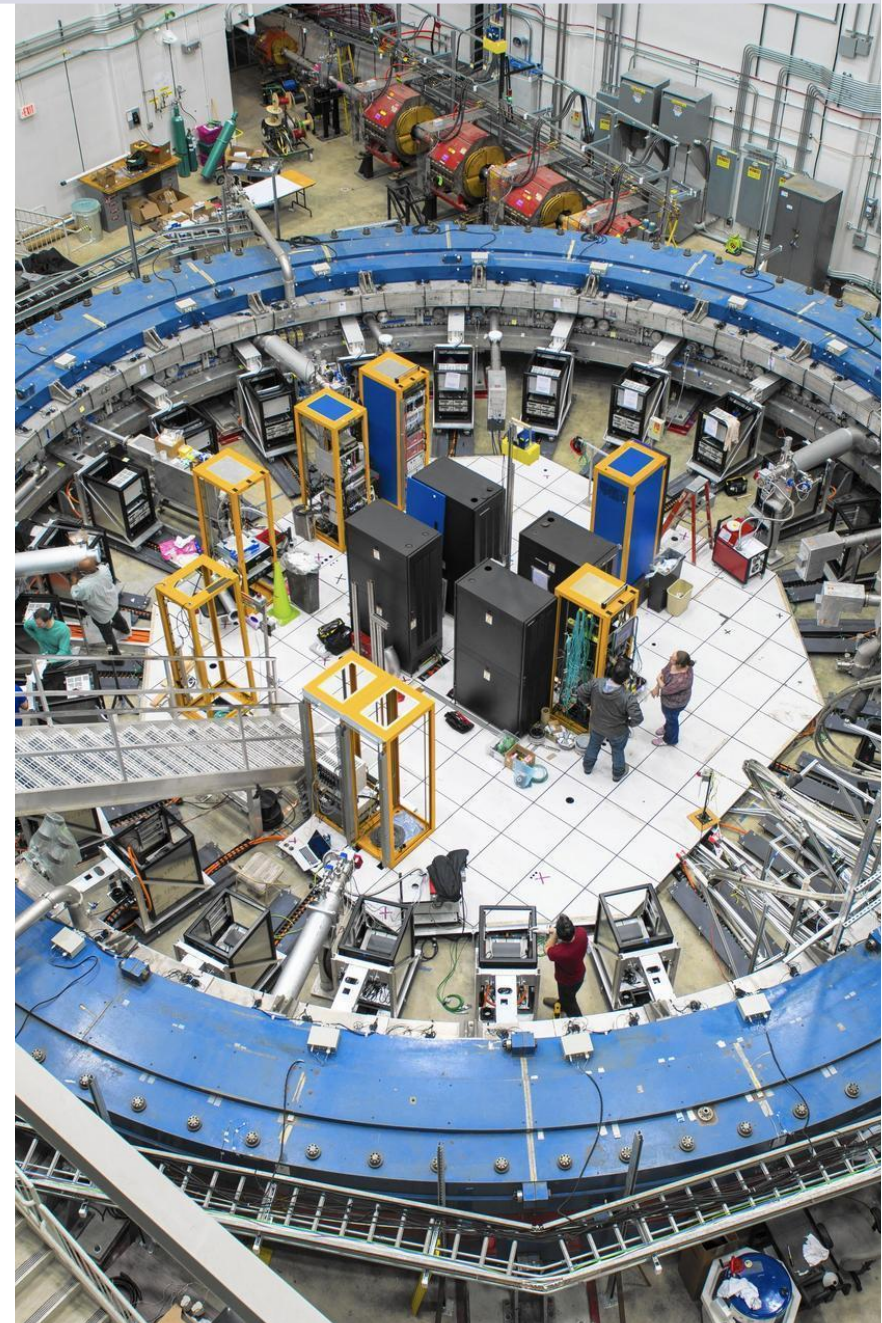
Design:

- ▶ $p = 3.1\text{GeV}/c$
- ▶ $B = 1.45\text{T}$,
- ▶ $R = 7\text{m}$

Estimated EDM Sensitivity

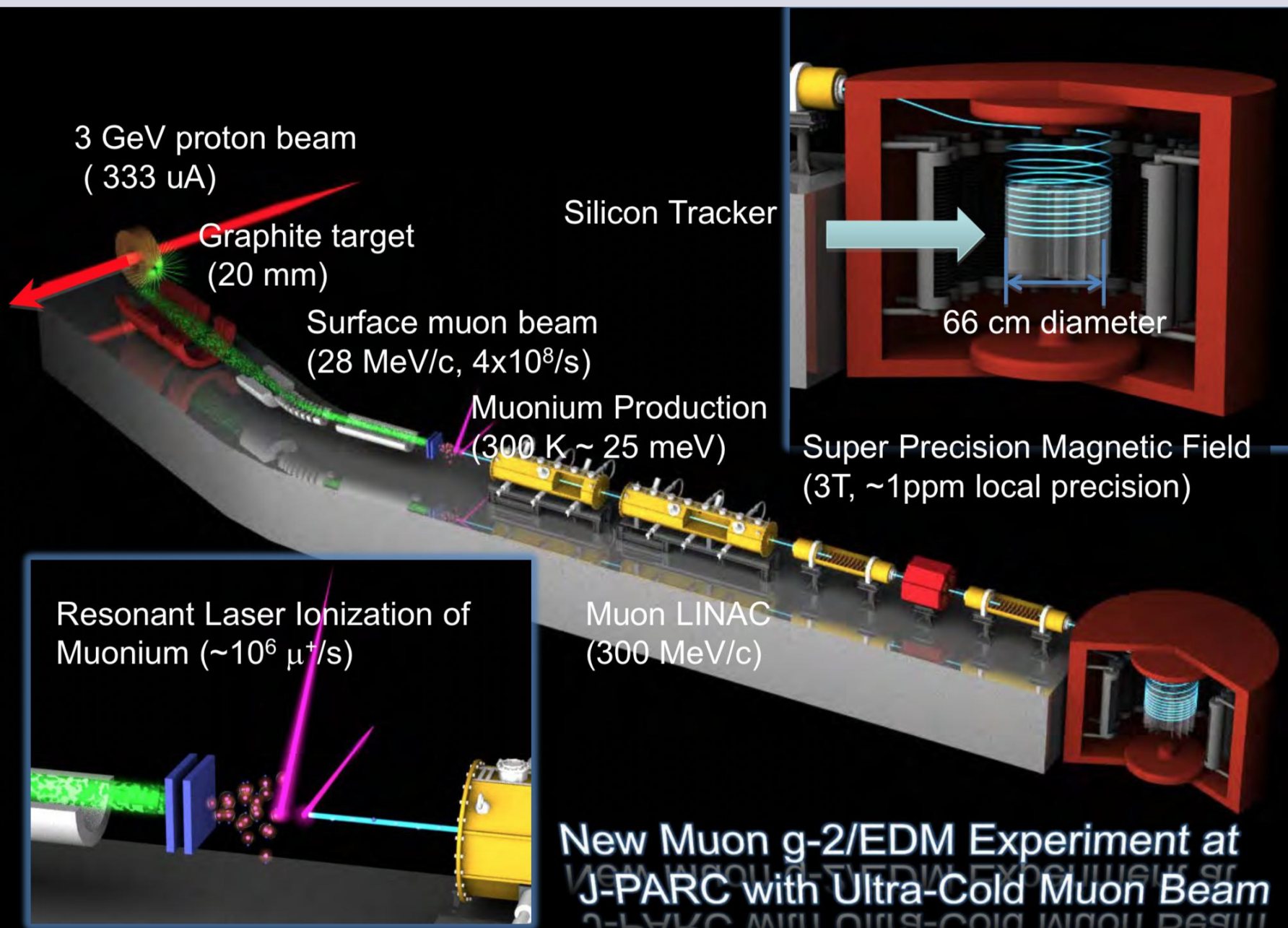
around $10^{-21}\text{ e}\cdot\text{cm}$

two orders below current limit



Ultra-cold muons @ J-PARC

K. Ishida, NuFact'17



New Muon g-2/EDM Experiment at J-PARC with Ultra-Cold Muon Beam

Recent achievements & activities

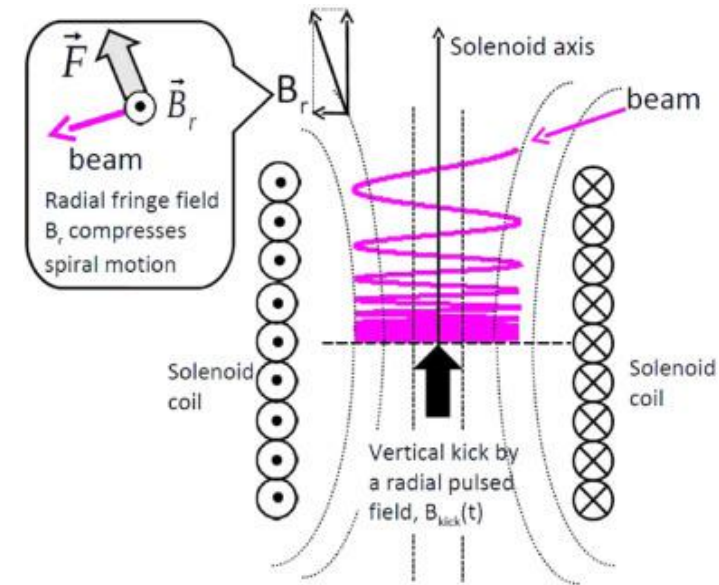
Spiral Injection Scheme for $\eta_{\text{injection}} \geq 80\%$ (vs. 3.5%)

NIMA 832, 51 (2016)

High-Acceptance Muon Re-Acceleration

Phys. Rev. Accel. Beams 19, 040101 (2016)

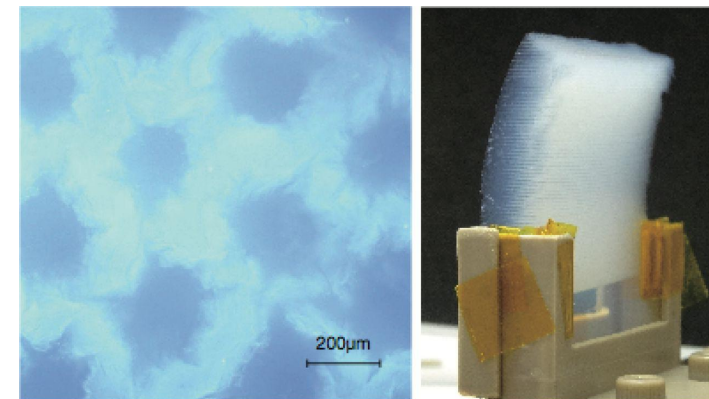
J. Phys.: Conf. Ser. 874 012055 (2017)



Muonium Production @ 20% of $10^6/s$

Prog. Theor. Exp. Phys. 091C01 (2014)

Progress in many essential areas



Muon g-2/EDM@J-PARC : Status

J-PARC PAC

Letter of Intent (July, 2009)

Conceptual Design Report at J-PARC PAC (Jan 2012)

Stage 1 approval as E34 (21 Sep 2012)

Technical Design Report (TDR) (May 2015)

Focused Review on TDR (Nov 15-16, 2016)



Valued as independent approach
that should be done ASAP

Many follow-up works done
to respond recommendations

Selected as one of priority project in KEK Project Implementation Plan (PIP)

Selected as one of 28 in "Master Plan 2017" by Science Council of Japan

("Origin of Matter" with COMET and Hadron extension)

Several grants obtained for each development.

Overall budget is still a issue.

Goal: 10^{-21} e·cm

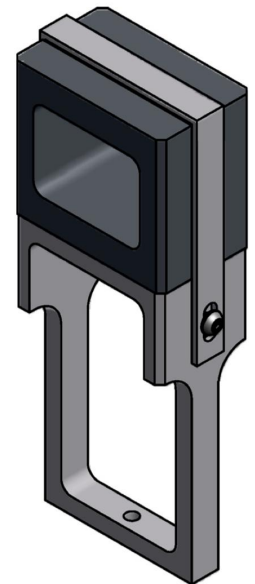
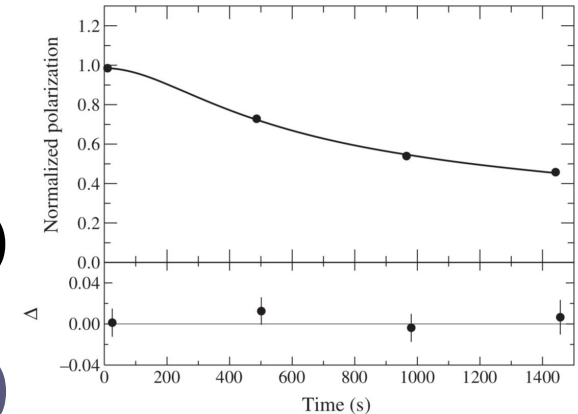
JEDI : Jülich EDM Investigations



Cooler-Synchrotron COSY @ FZJ
Polarized Protons & Deuterons @ 0.3 – 3.7 GeV/c

Recent achievements & activities w/ Deuterons

- ▶ **Spin feedback: sync polarization @ field w/ 12°**
PRL 119, 014801 (2017)
- ▶ **Spin tune mapping \rightarrow field imperfections**
Phys. Rev. ST Accel. Beams 20, 072801 (2017)
- ▶ **Spin Coherence Time: $T_2 > 1000\text{s}$ ($\sim 10^8$ turns)**
PRL 117, 054801 (2016)
- ▶ **Spin Tune: $\nu_S = -0.16097 \dots \pm 10^{-10}$ in 100s**
PRL 115, 094801 (2015)
- ▶ **High-precision polarimetry**
NIMA 664 (2012) 49–64



J. Pretz, CERN, *Physics Beyond Colliders*, Nov. 2017

Electric Dipole Moments
○○○○○○○

EDM Search in Storage Rings
○○○○

Feasibility studies at COSY
○○○○○○○○○○

Precursor experiment
●○○○○○

Conclusions
○○

Concept

Proof of principle experiment using COSY

Highest sensitivity → new type of machine

- Electrostatic circular storage ring:
 - centripetal force produced primarily by electric fields.
 - E couples to EDM providing sensitivity ($< 10^{-29}$ e cm).
 - **B means evil** (μ large).

Proof-of-principle with novel RF Wien filter ($\vec{E} \times \vec{B}$)

- Magnetic machine: spins precess around stable spin axis (\simeq direction of B-fields in dipole magnets).
- RF device at harmonic of spin-precession frequency:
 - \Rightarrow **Phase lock** between spin precession and device RF.
 - \Rightarrow Accumulate EDM effect vs time in cycle (~ 1000 s).

Goal of proof-of-principle experiment:

Show that SR can be used for a first direct EDM measurement.

2018?

SREDM : Storage Ring EDM Collaboration

► All-Electric Storage Ring

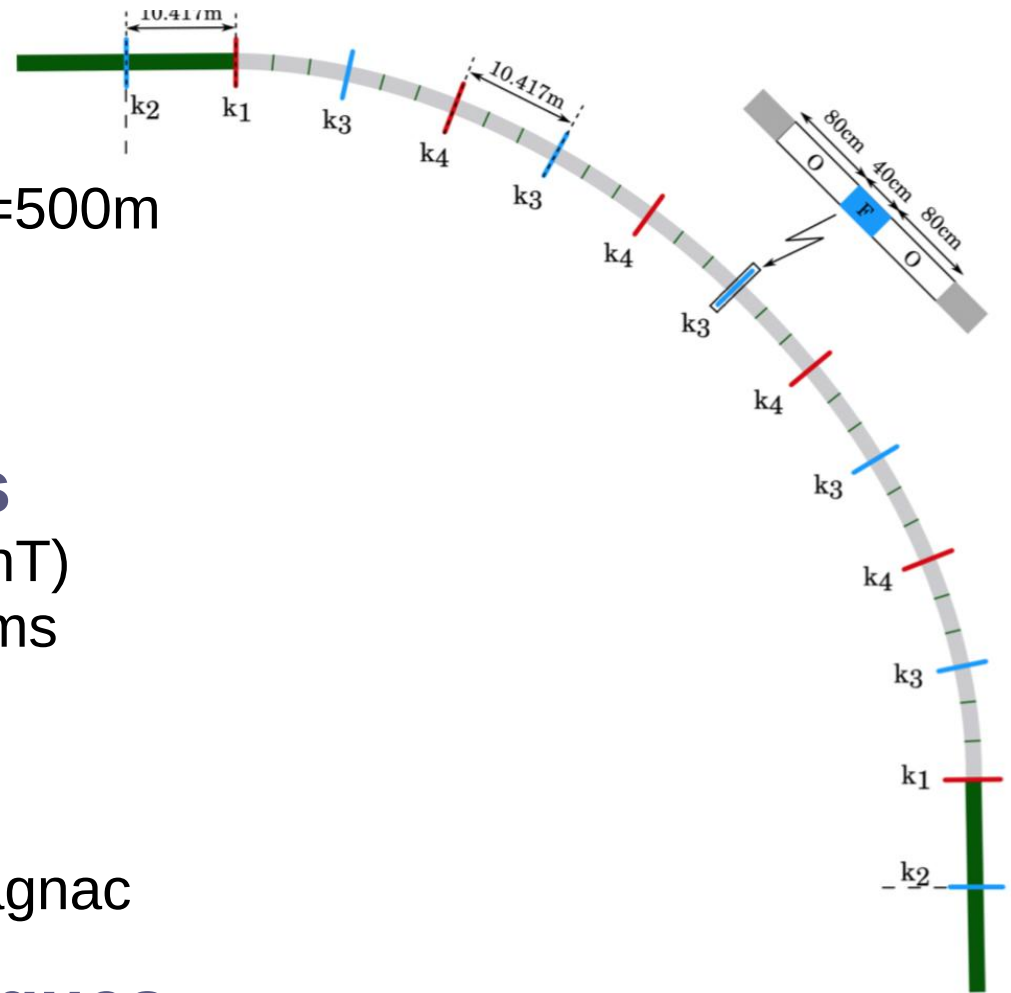
- Optimized for protons
- $p=0.7\text{GeV}/c$, $8\text{MV}/\text{m}$, $\rho=50\text{m}$, $\ell=500\text{m}$
- 1000s storage time
- Aim $10^{-29}\text{ e}\cdot\text{cm}$

► Deal w/ systematic errors

- Stray B-field shielding (10–100nT)
- Simultaneous CW & CCW beams
- Different helicities
- Develop & test simulation tools
- Misalignments
- Understand gravity, Coriolis, Sagnac

► Develop detection techniques

- Squid magnetometers
- High-precision BPMs (pm @ 10^7s)



Rev. Sc. Inst. 87, 115116 (2016)

ArXiv:1709.01208

“The Electric Dipole Moment Challenge”,
Richard Talman, IOPScience (2017)

A background image of a foggy beach with large rocks. The scene is misty and atmospheric, with the ocean and sky blending into a soft, greyish-white fog. Large, dark rocks are scattered across the beach and in the shallow water.

Summary & Outlook



Summary & Outlook

- ▶ **Strong Motivation for Light Ion EDM Search**
 - ▶ Protons, deuterons, ... complementary to heavy nuclei
 - ▶ Muons only second generation particle

- ▶ **Storage Rings open new EDM territory**
 - ▶ Loads of experience
 - ▶ Intense Effort to Overcome Experimental Challenges
 - ▶ Intense Effort to Study Systematic Errors

- ▶ **Future**
 - ▶ FNAL muon $g-2$ /EDM : commissioning
 - ▶ KEK muon $g-2$ /EDM : applying for funding
 - ▶ JEDI deuteron EDM : preparing proof-of-principle
 - ▶ srEDM proton EDM : pioneering all-E concept

